

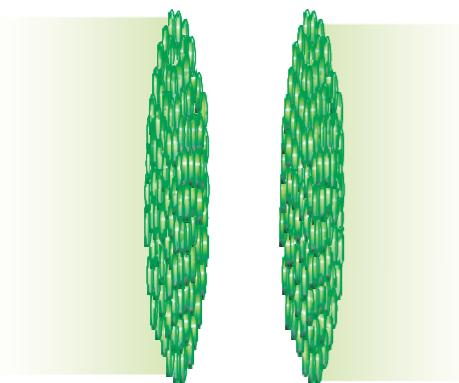
Baryon Production in Relativistic Heavy Ion Collisions

Anne Sickles
April 29, 2009



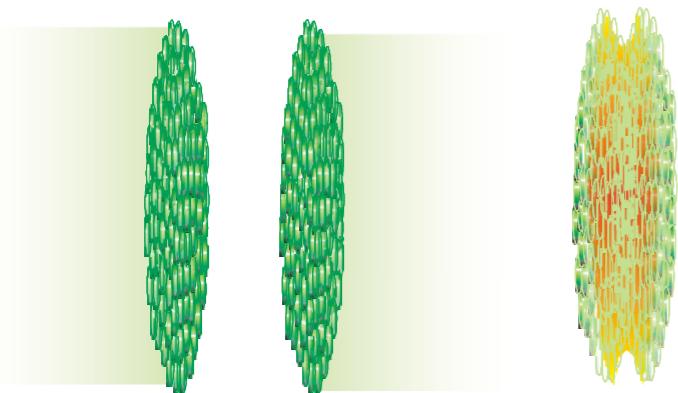
Heavy Ion Collision

Heavy Ion Collision



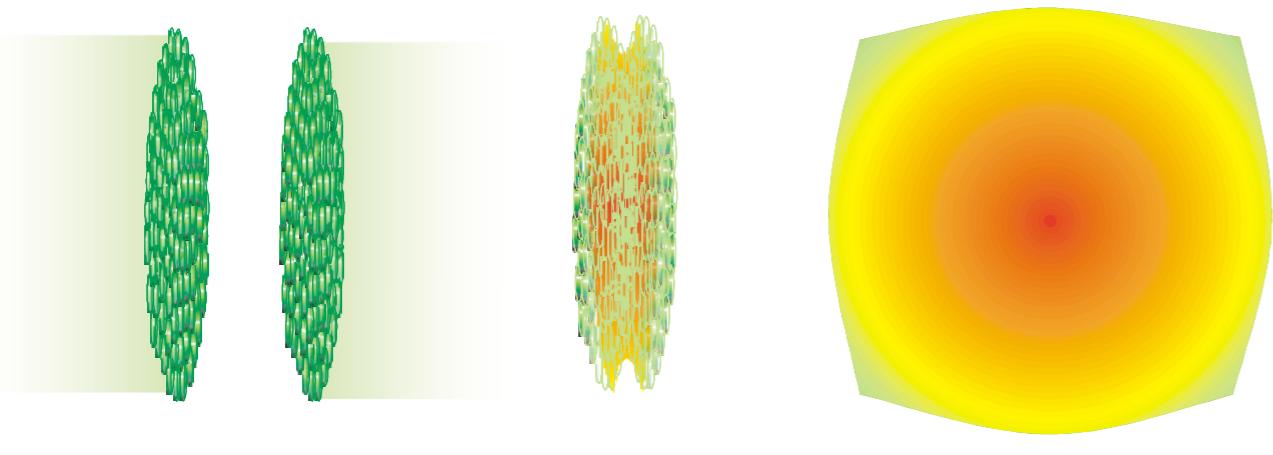
incoming
nuclei

Heavy Ion Collision



incoming
nuclei

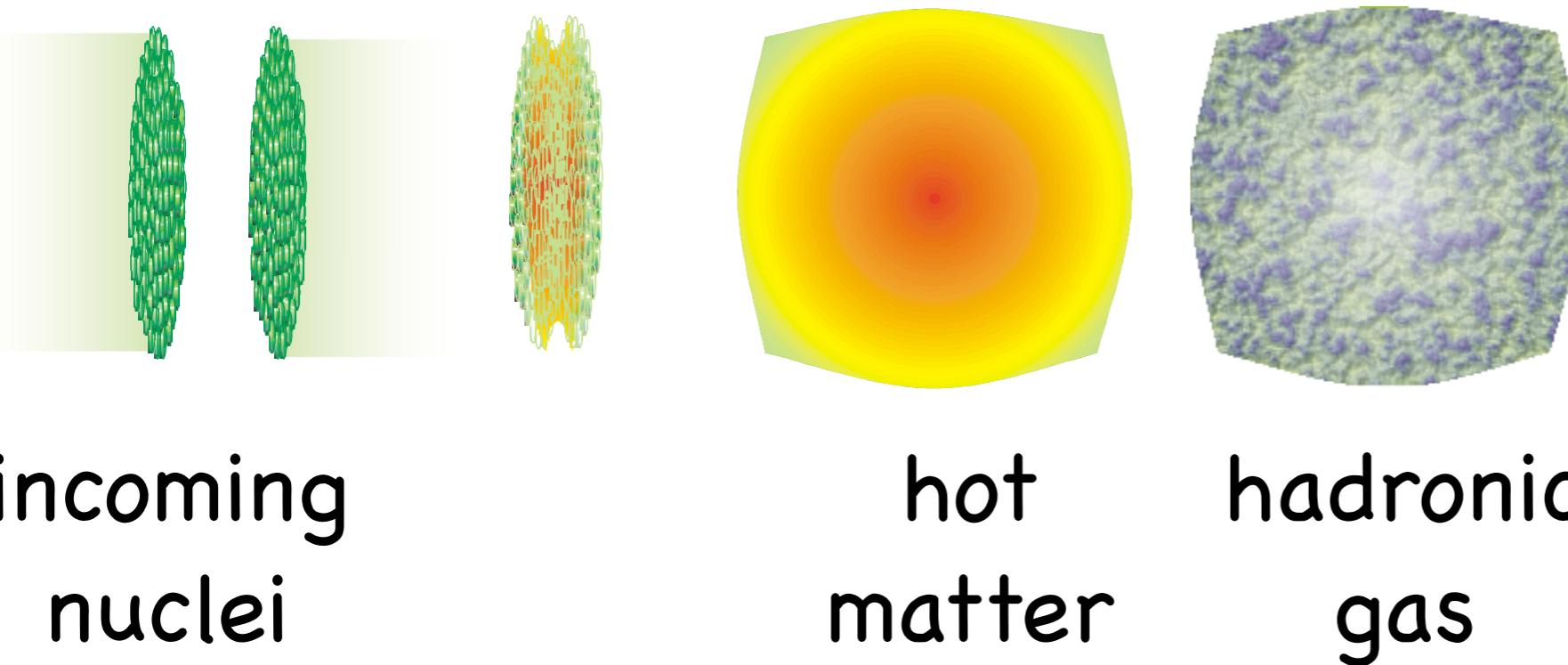
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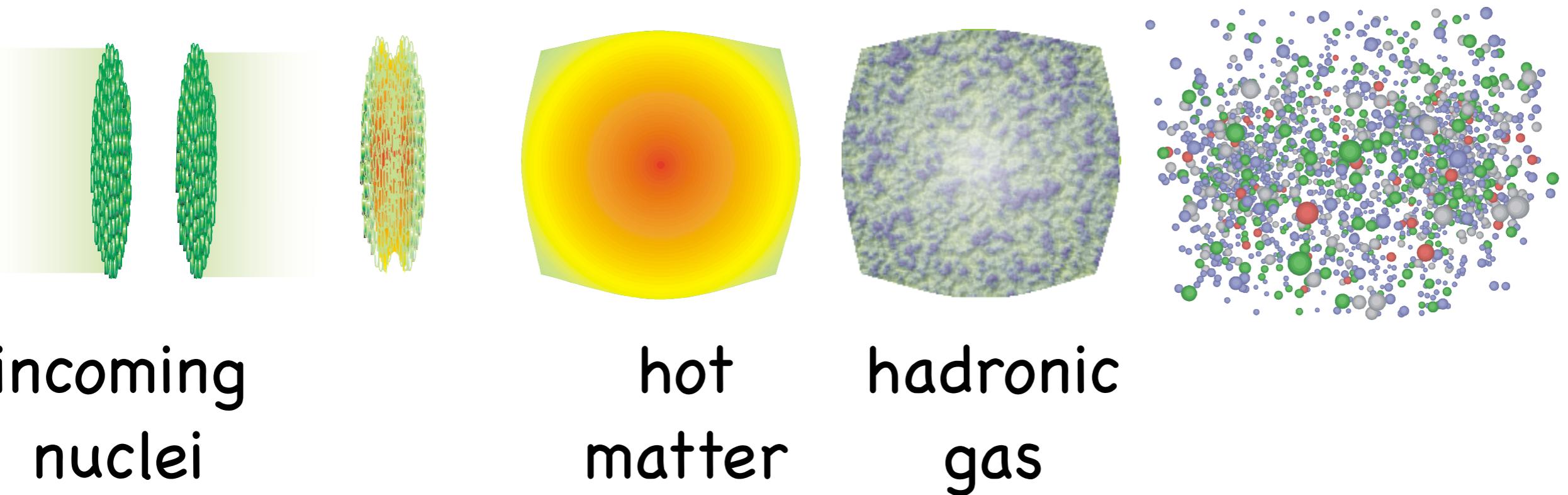
incoming
nuclei

hot
matter

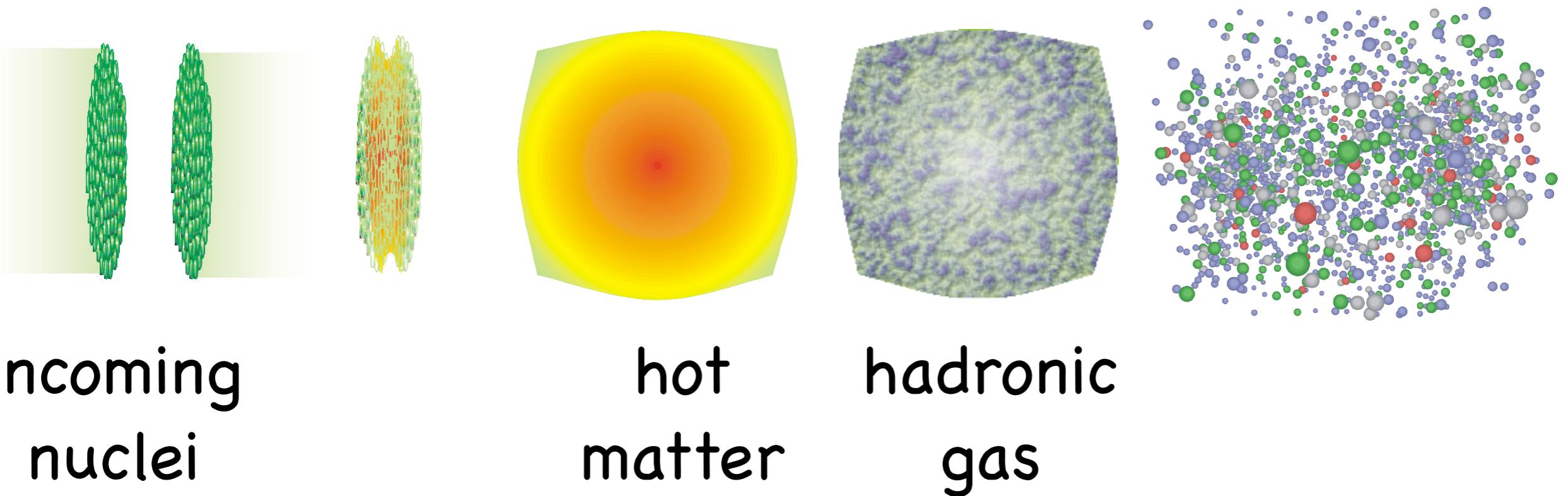
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Heavy Ion Collision

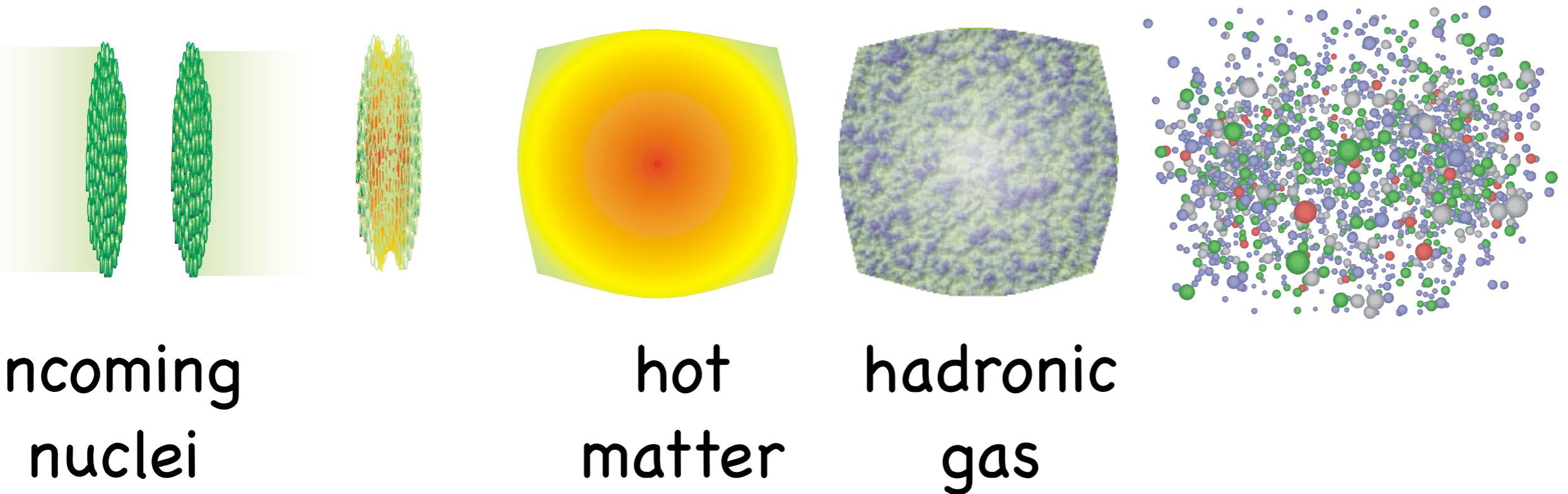


Heavy Ion Collision



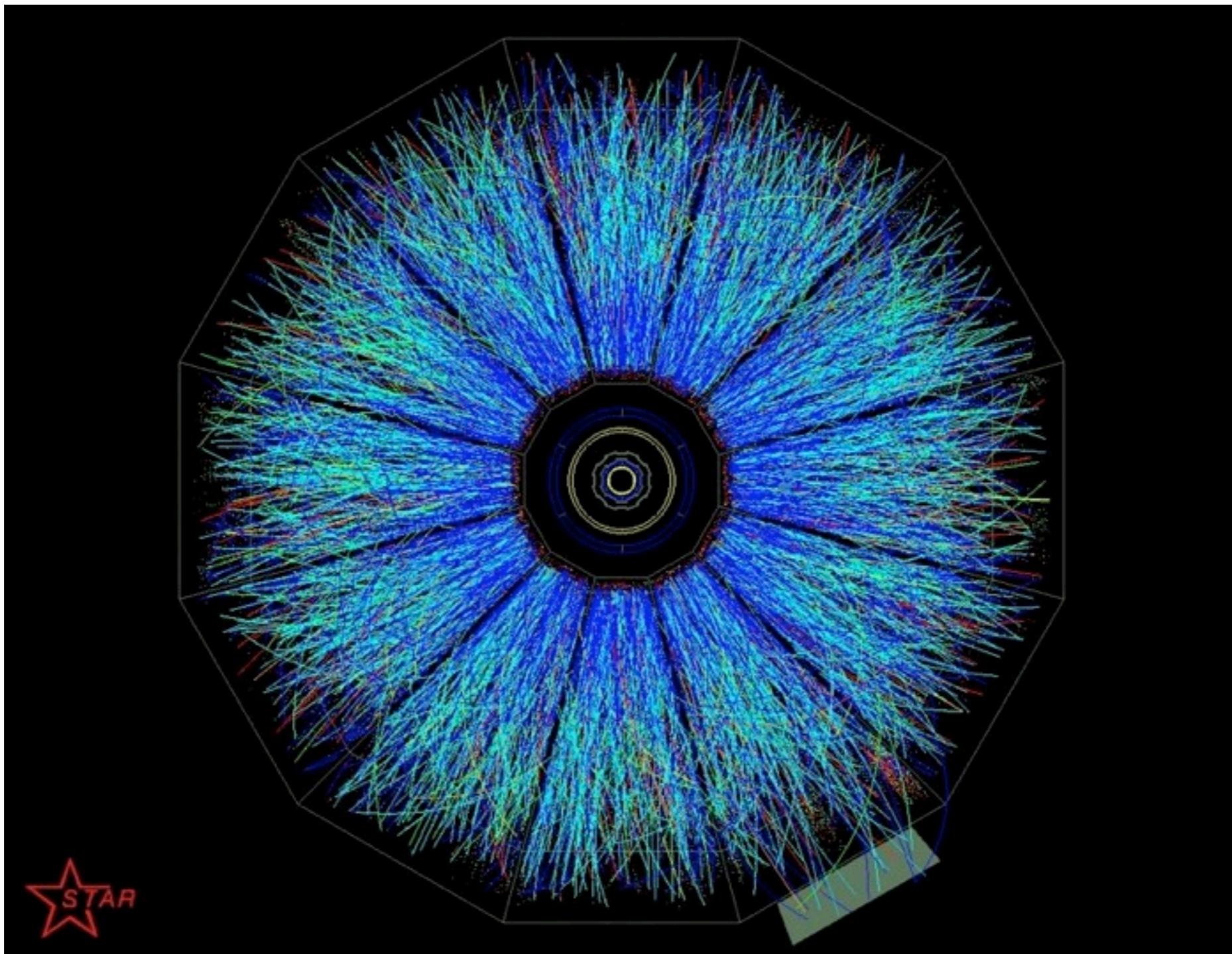
- RHIC: ion-ion collisions at up to $\sqrt{s_{NN}}=200\text{GeV}$

Heavy Ion Collision

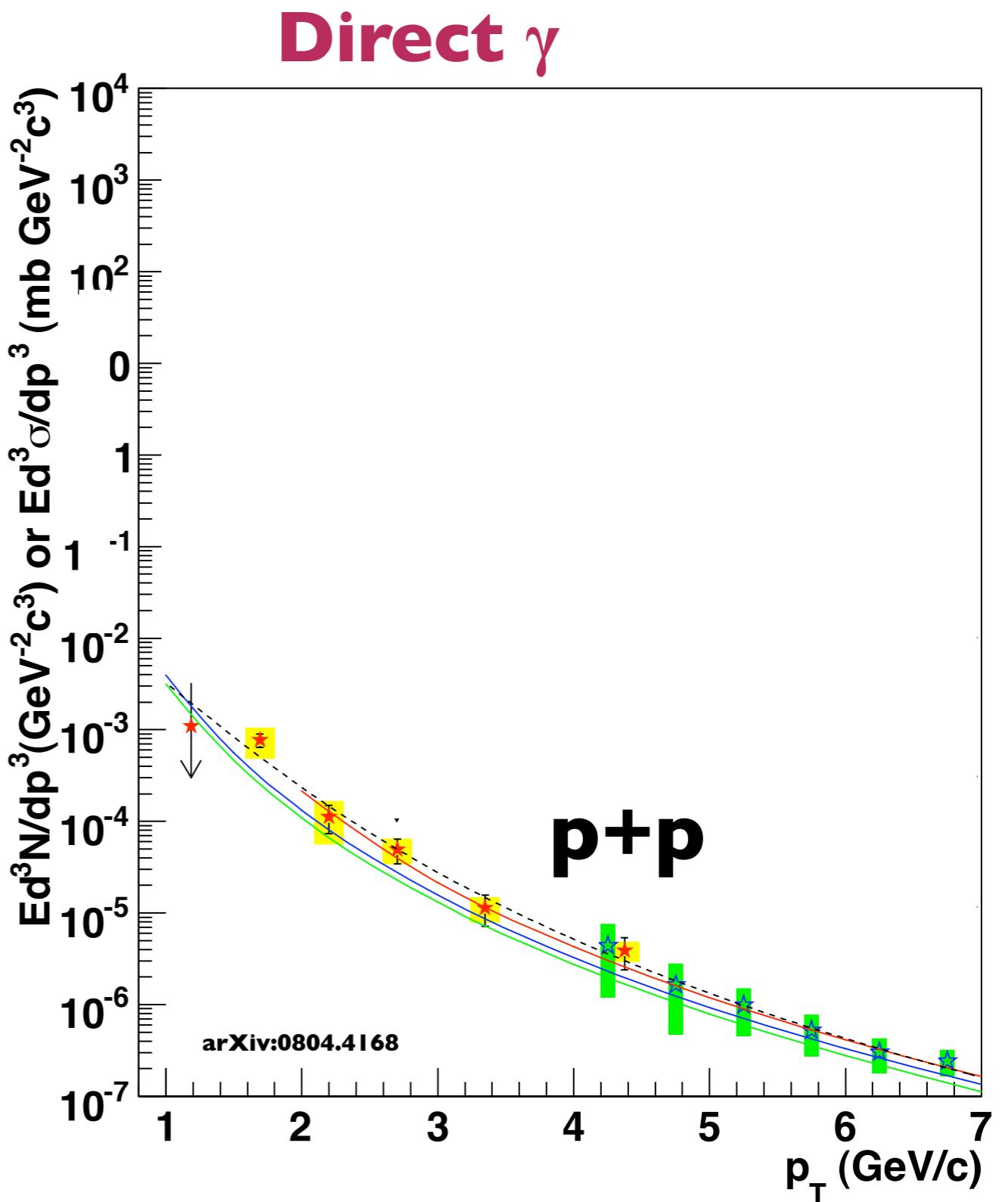
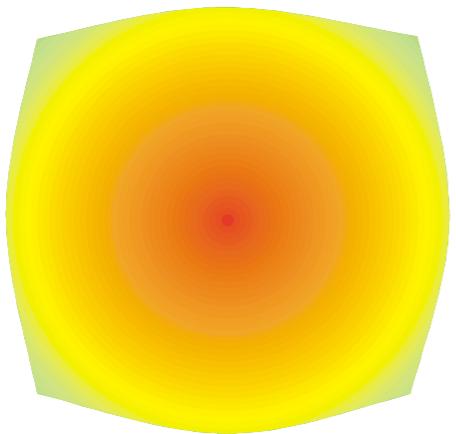


- RHIC: ion-ion collisions at up to $\sqrt{s_{NN}}=200\text{GeV}$
- also p+p collisions, crucial baseline

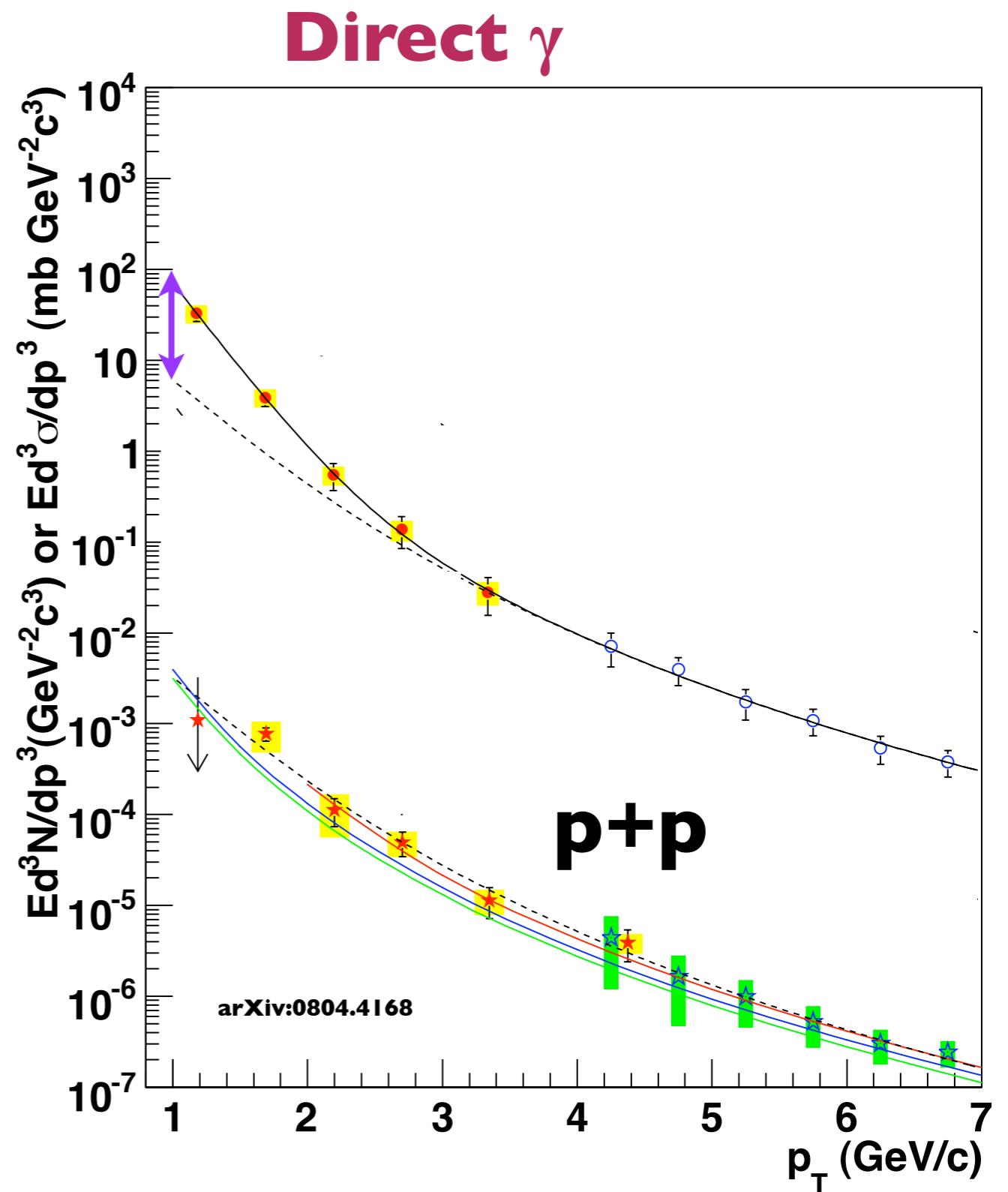
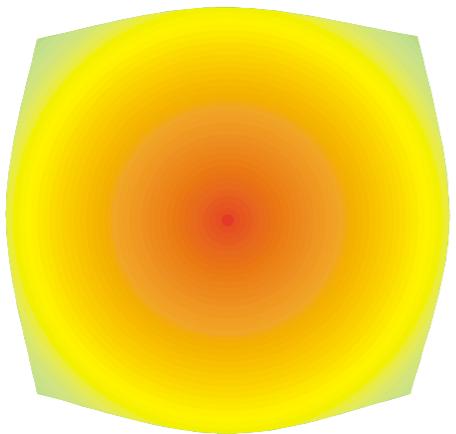
Au+Au collision



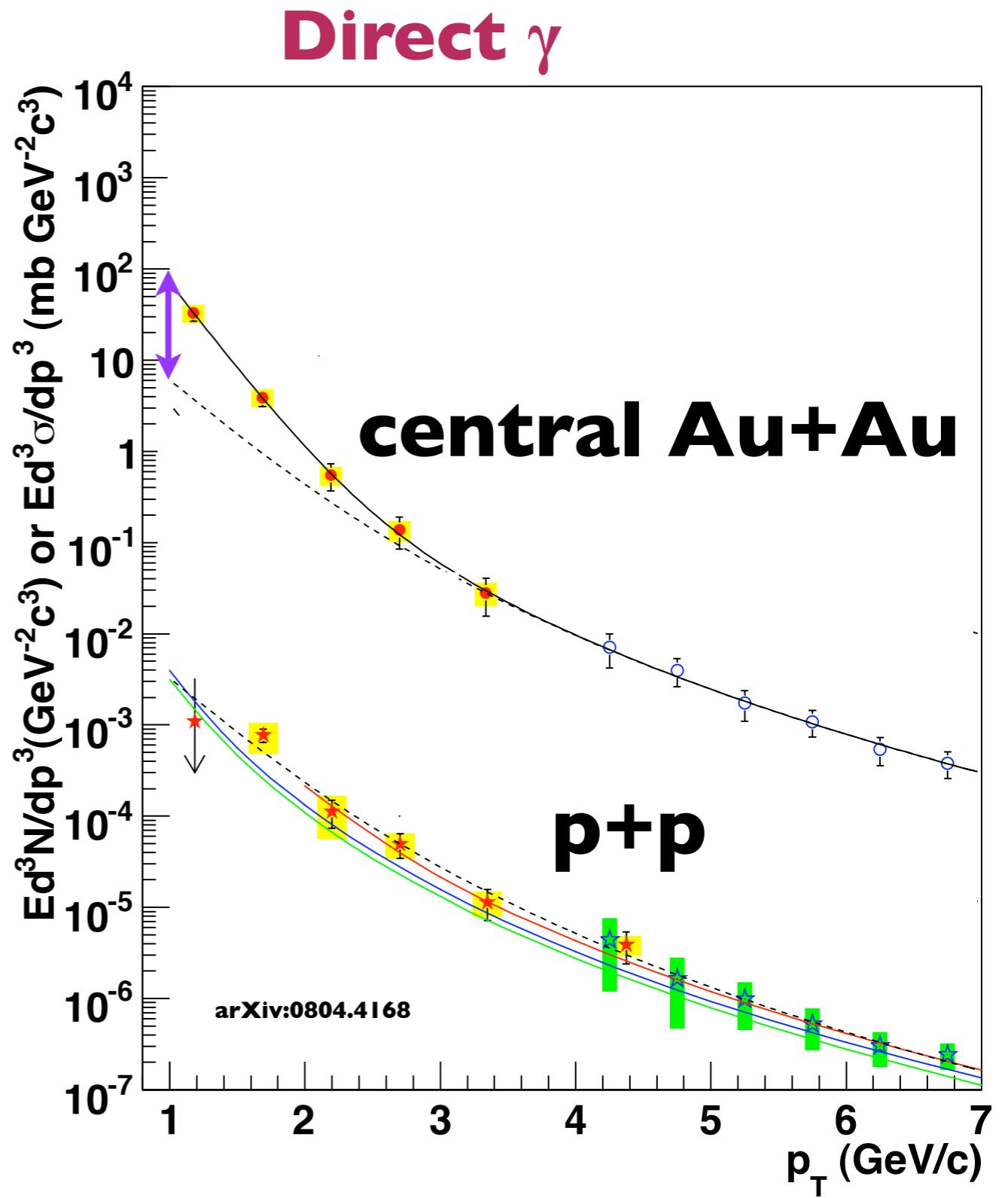
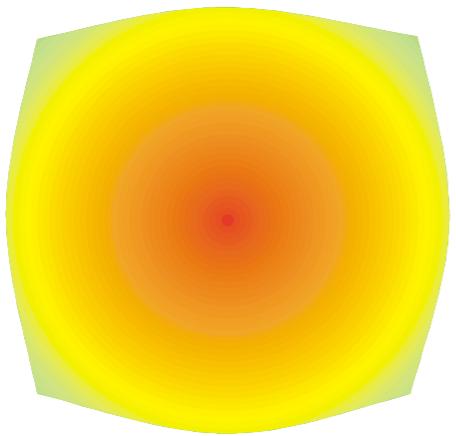
hot nuclear matter



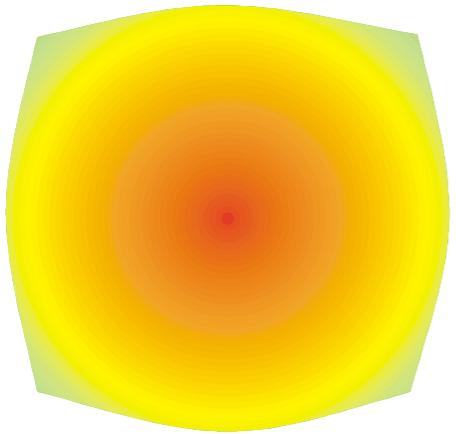
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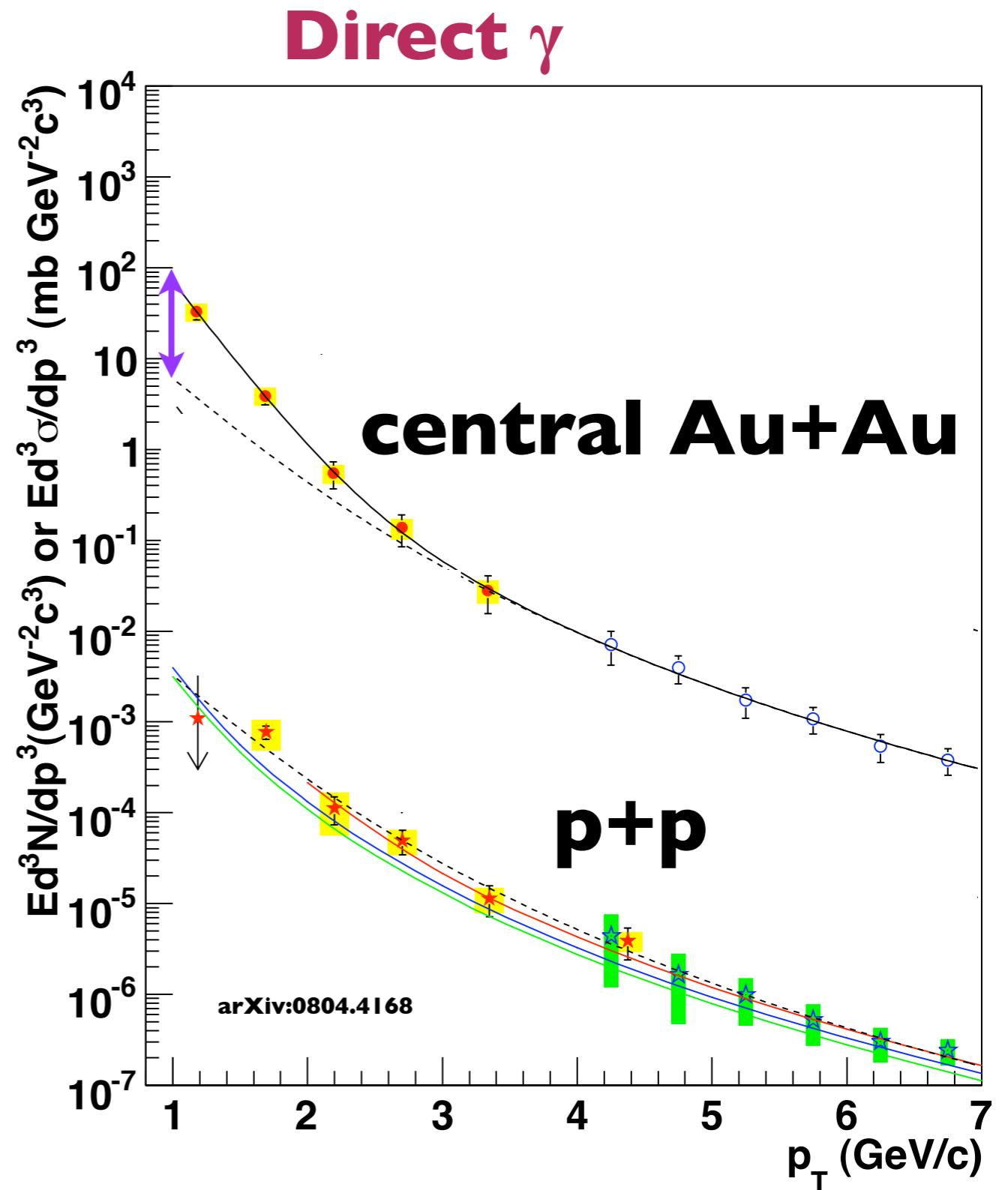
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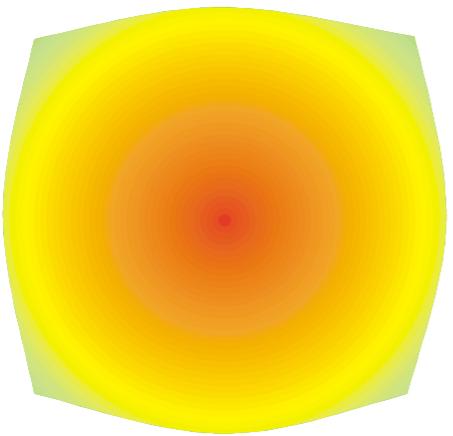
hot nuclear matter



central Au+Au:
large excess over
binary scaled p+p

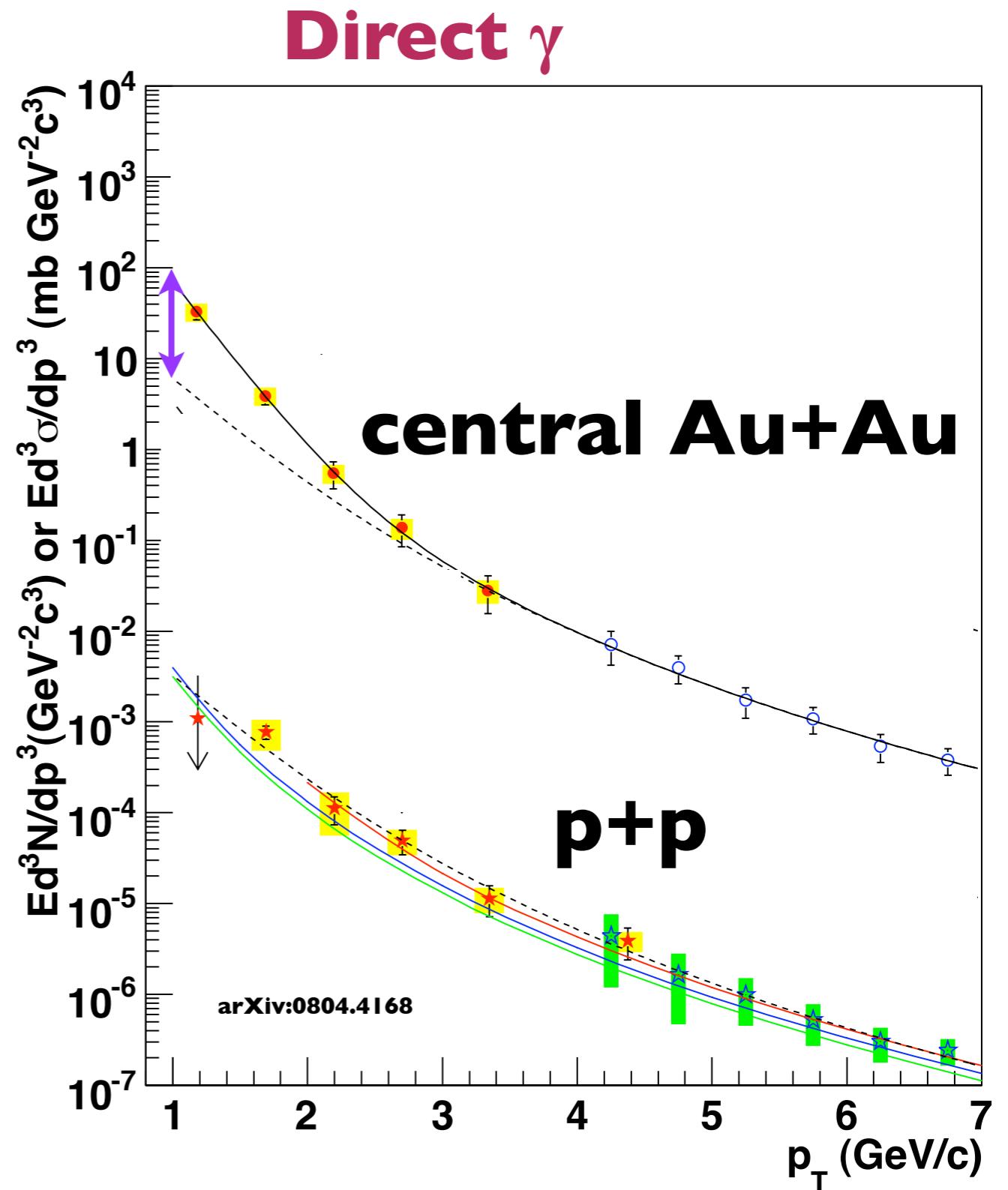


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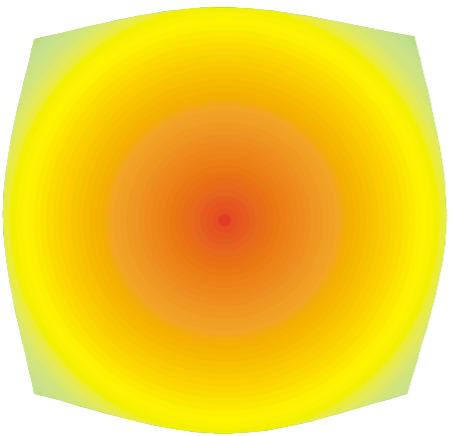


central Au+Au:
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excess:
 $221 \pm 23 \pm 18 \text{ MeV}$



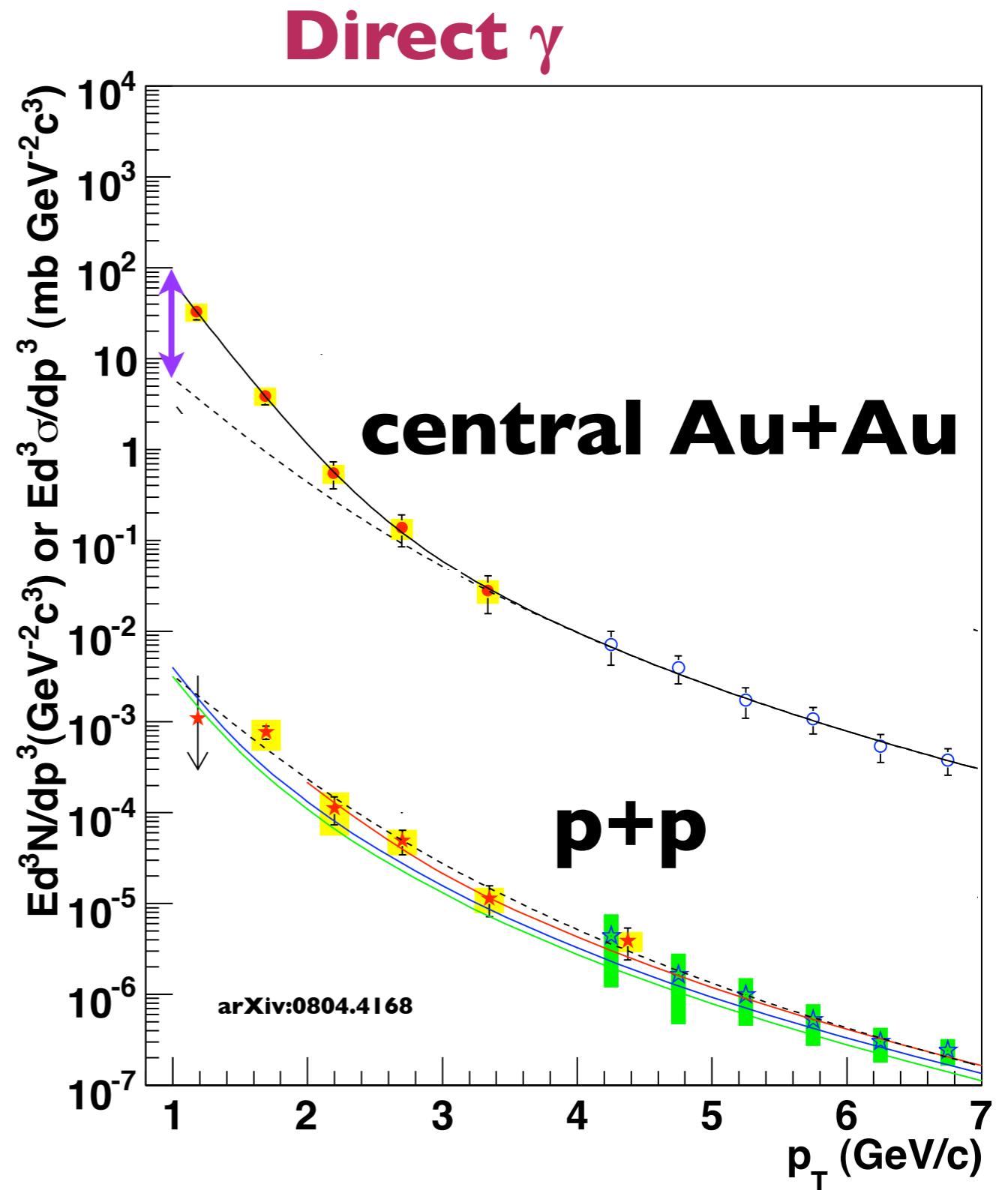
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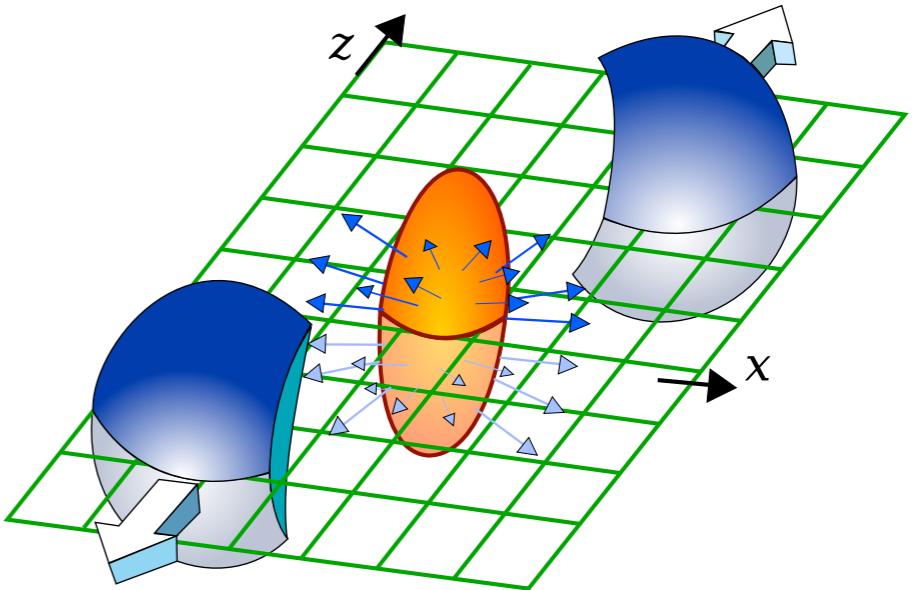
excess:
 $221 \pm 23 \pm 18 \text{ MeV}$

consistent with initial
 $T \sim 300\text{-}600 \text{ MeV}$



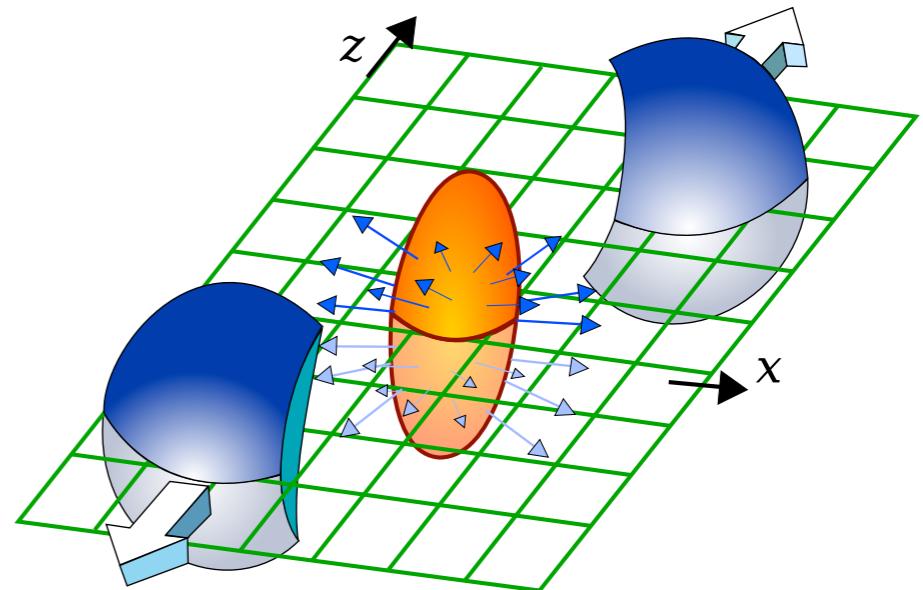
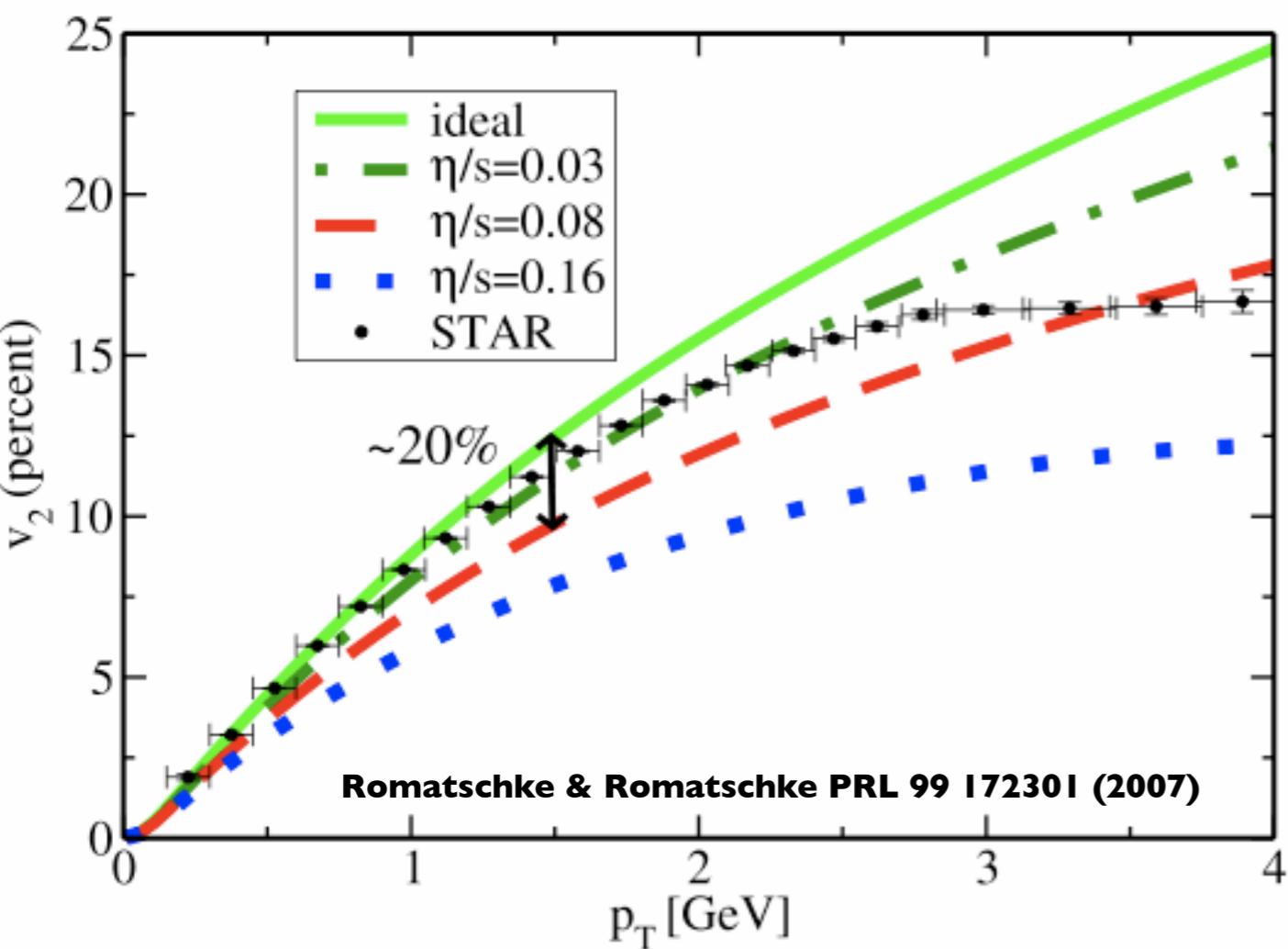
the matter flows

$$\frac{dN}{d(\Psi - \phi)} \propto 1 + 2v_2 \cos(\Psi - \phi) + \dots$$



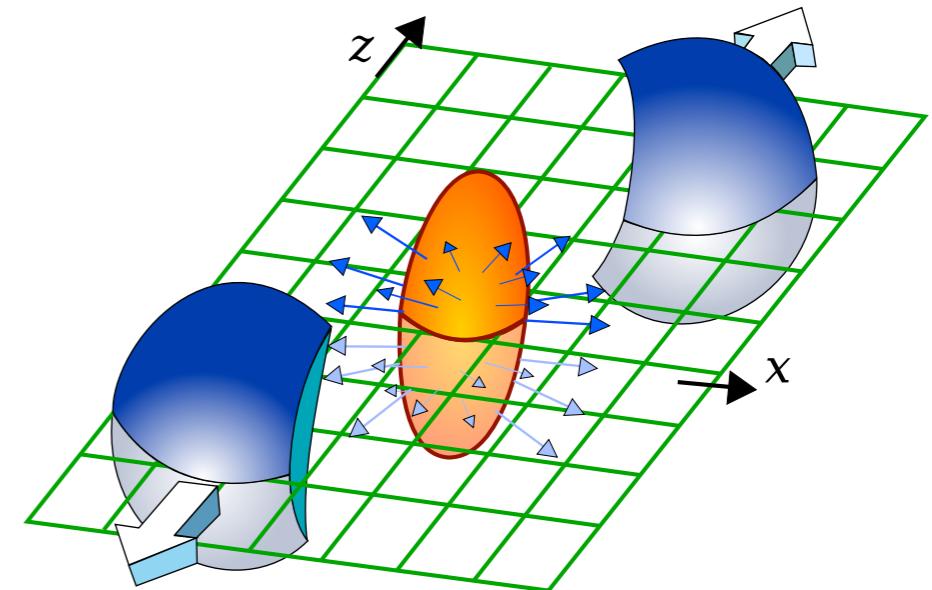
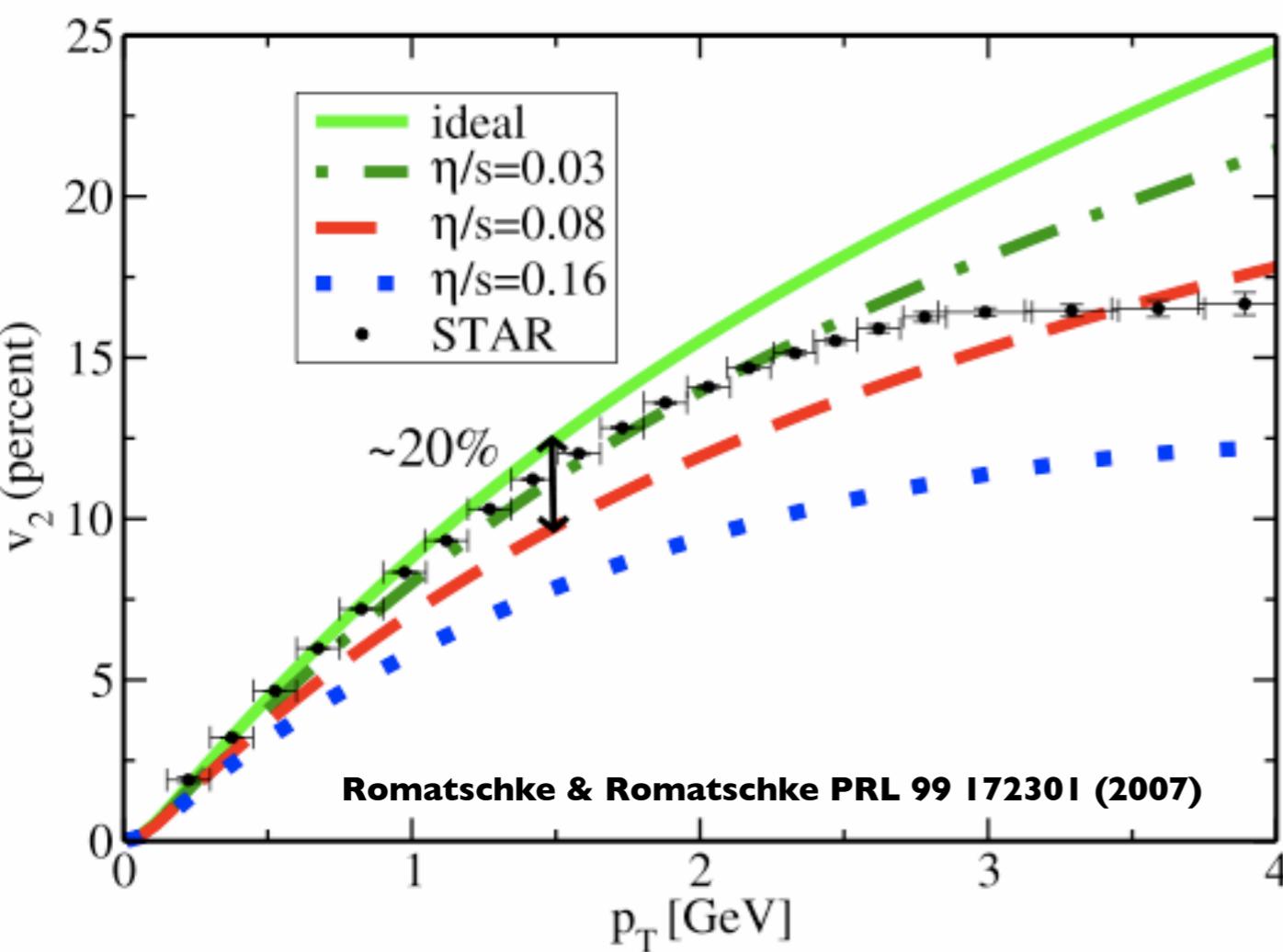
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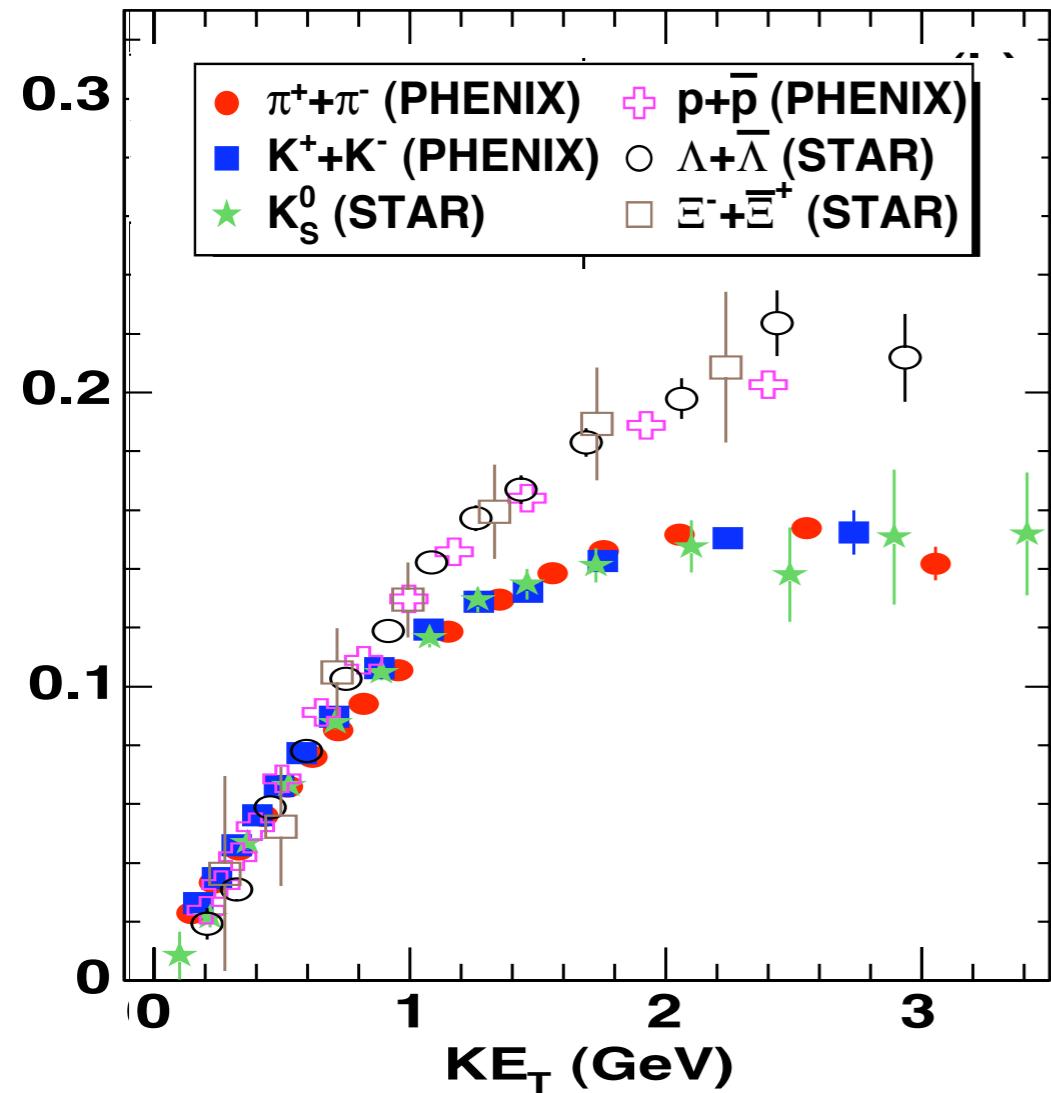
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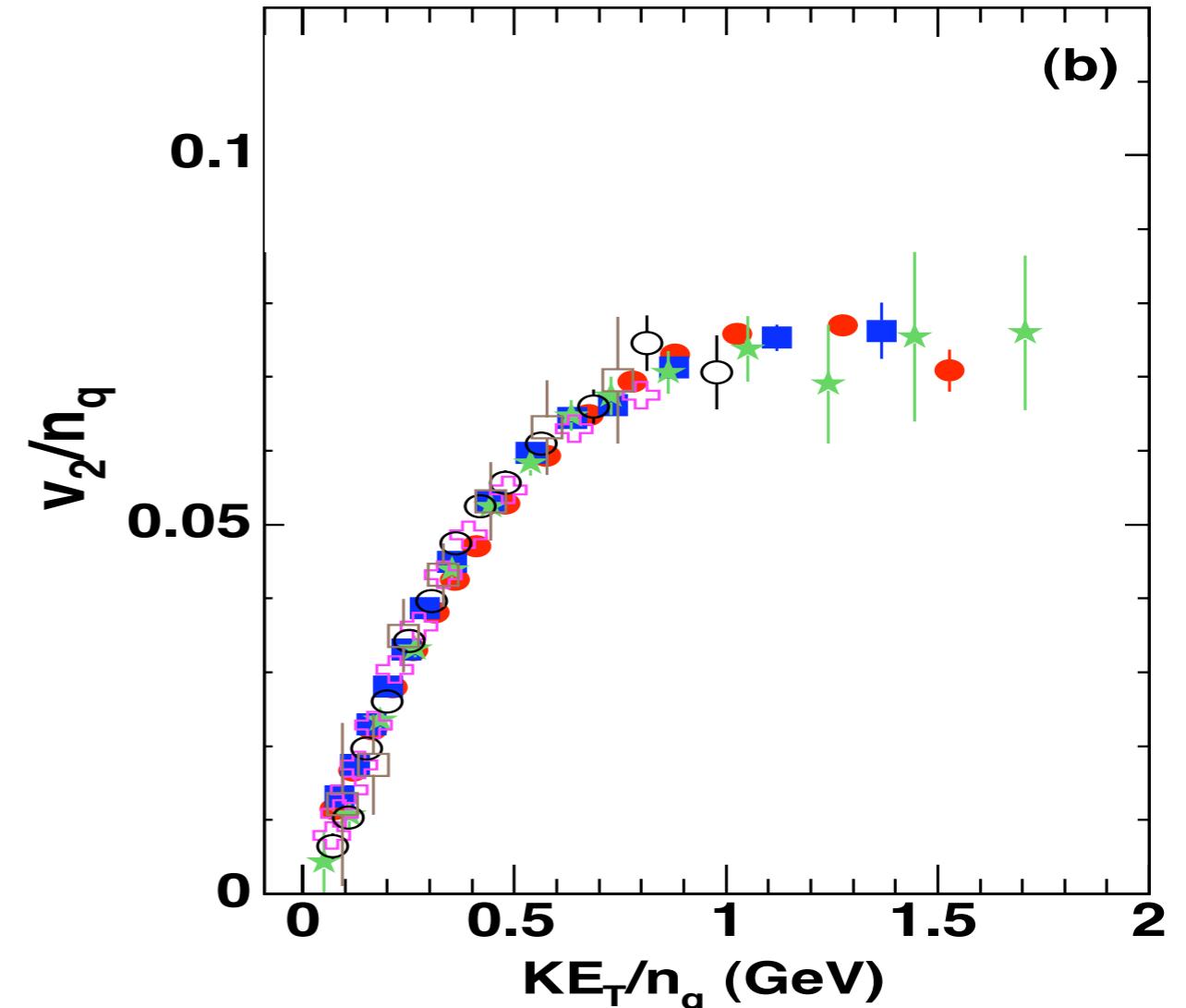
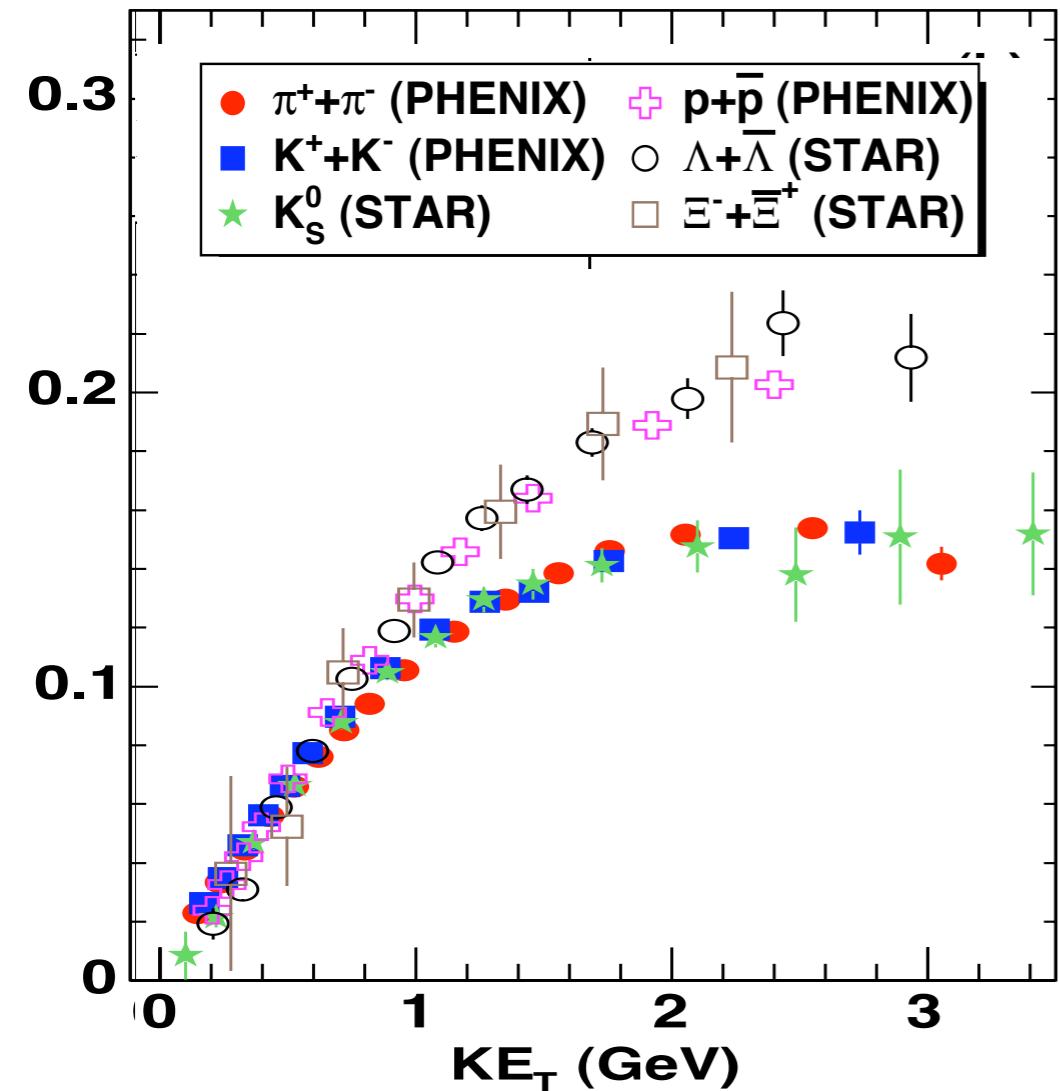
well described by hydrodynamics with small viscosity

the partons flow



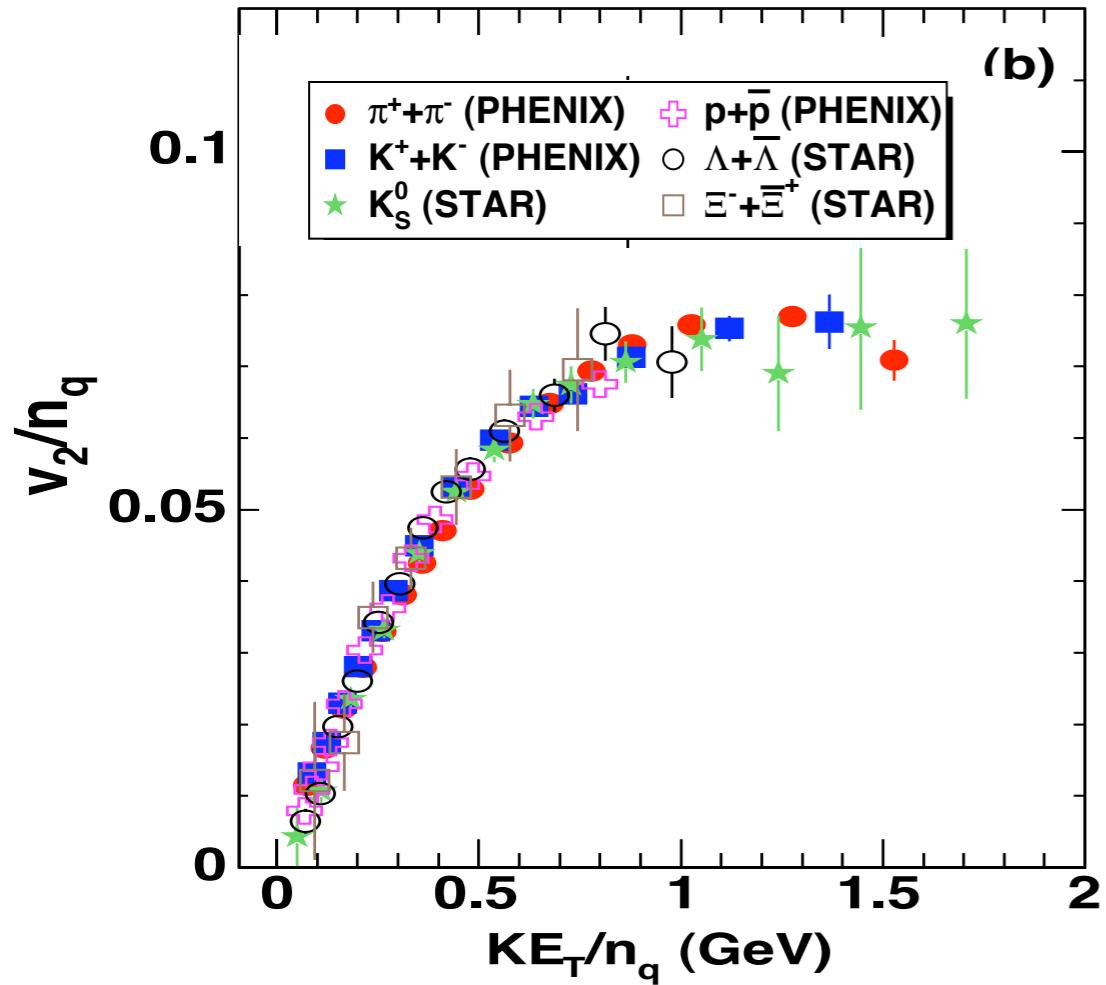
$$KE_T = m_T - m$$

the partons flow



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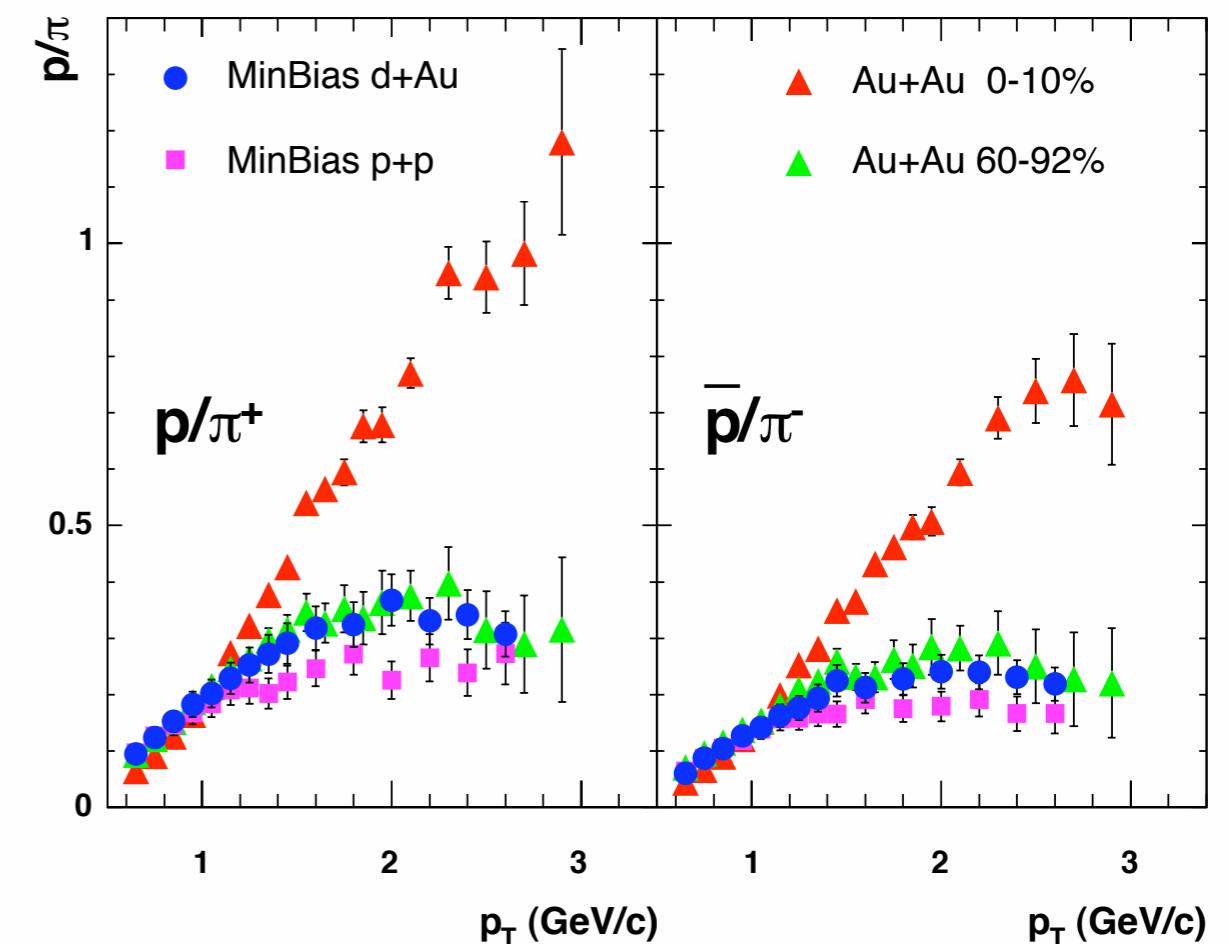
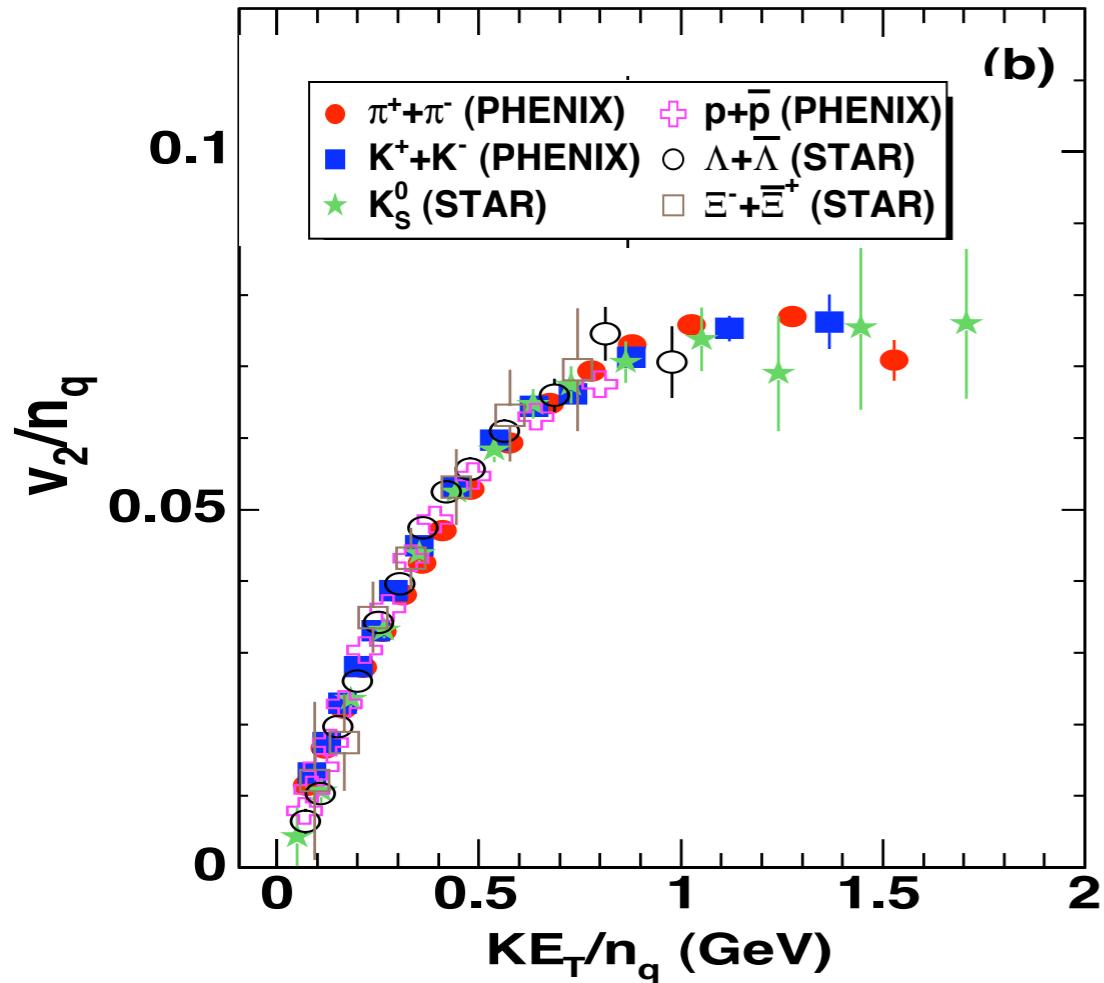
anomalous (anti)baryons



valence quark flow

PHENIX PRL 98 162301 (2007)

anomalous (anti)baryons



valence quark flow

PHENIX PRL 98 162301 (2007)

excess baryons

PHENIX PRC 74 024904 (2006)

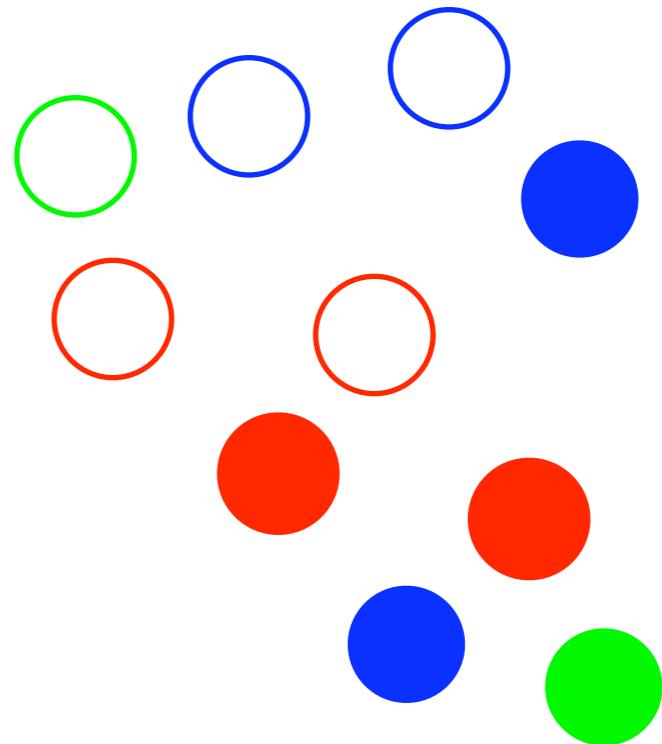
recombination

basic idea: valence quarks coalesce to form final state hadrons

Fries et al., Hwa et al., Ko et al.

recombination

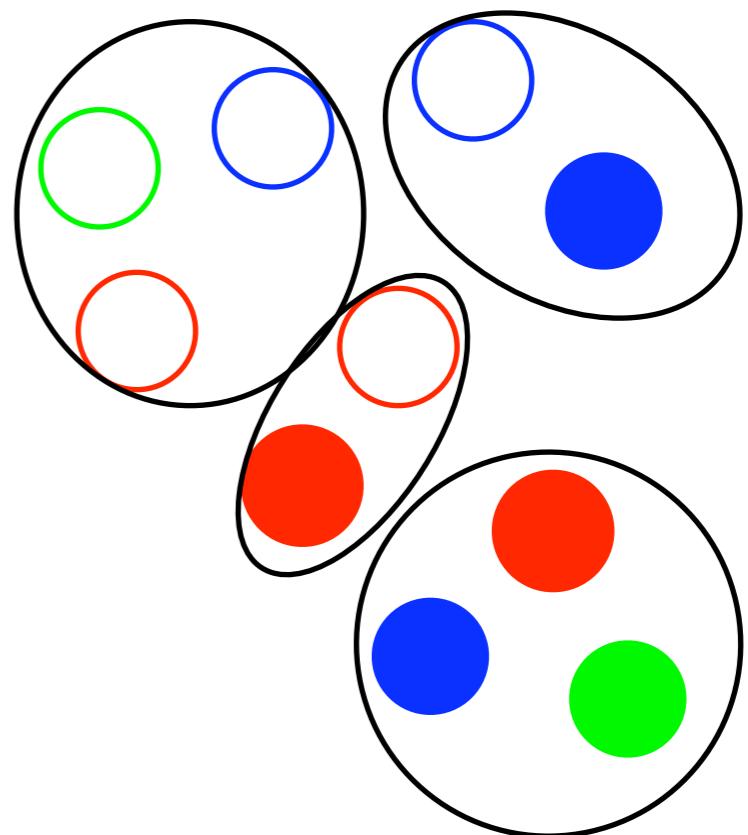
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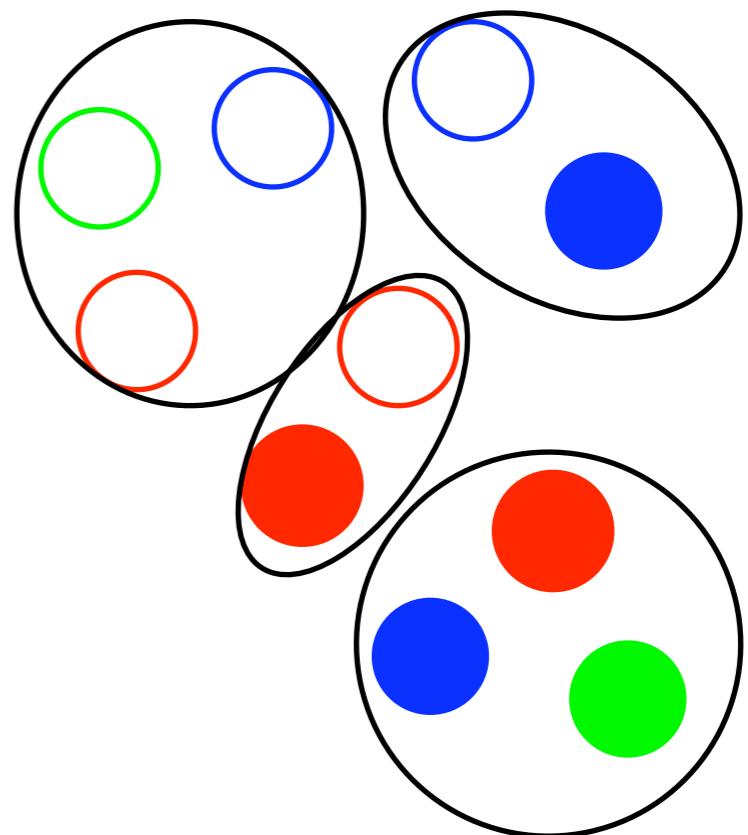
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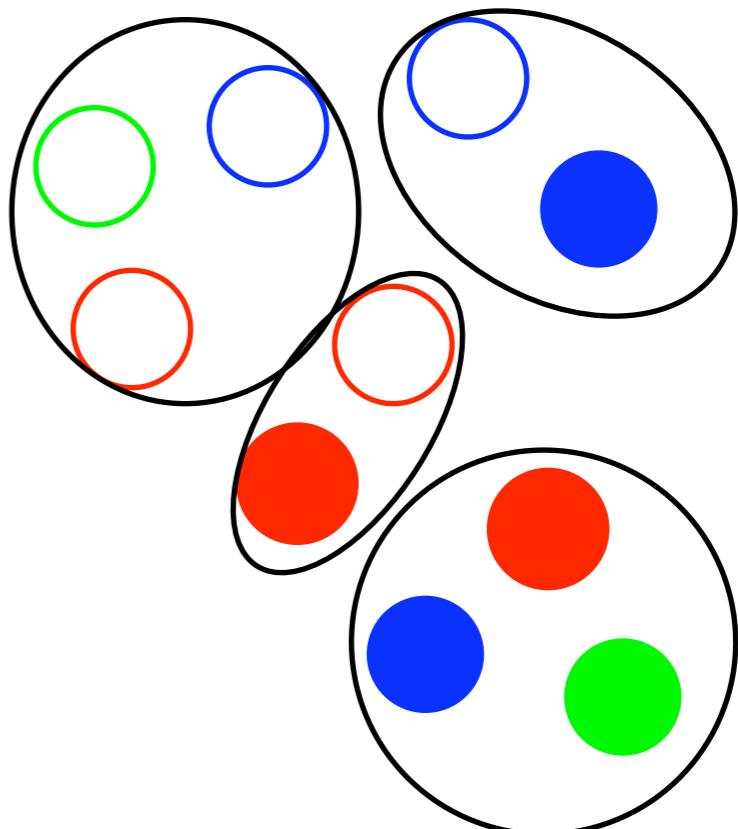


Fries et al., Hwa et al., Ko et al.

recombination

basic idea: valence quarks coalesce to form final state hadrons

- quark momenta add:
 - $p_T(\text{hadron}) > p_T(\text{quark})$
 - baryons get an extra boost \rightarrow extra quark

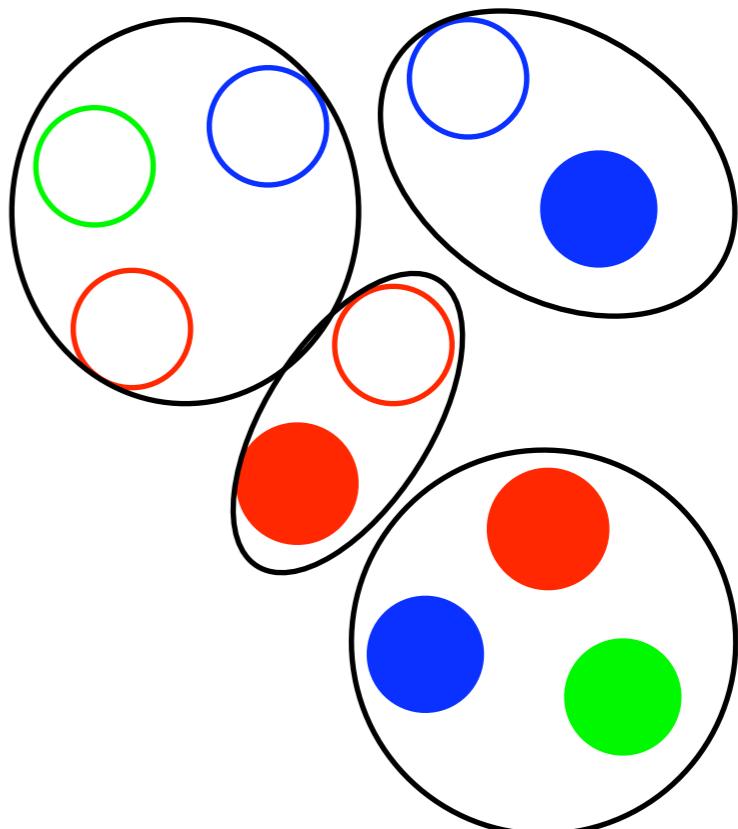


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recombination

basic idea: valence quarks coalesce to form final state hadrons

- quark momenta add:
 - $p_T(\text{hadron}) > p_T(\text{quark})$
 - baryons get an extra boost \rightarrow extra quark
- quark correlations amplified in hadrons:
 - e.g. flow



Fries et al., Hwa et al., Ko et al.

baryons via fragmentation

baryons via fragmentation

fragmentation: parton $A \rightarrow N$ hadrons

for each hadron: $p_{T,N} < p_{T,A}$

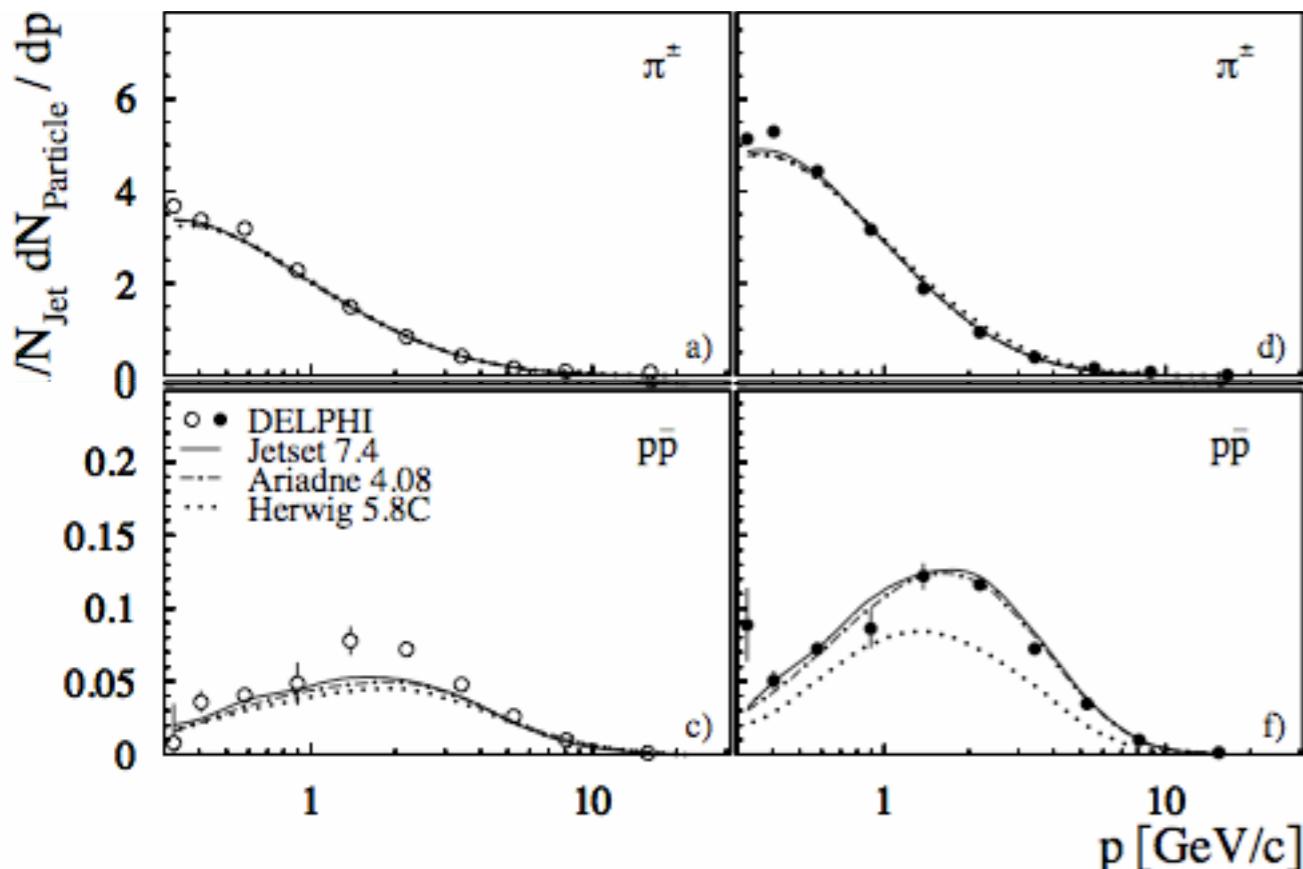
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DELPHI e^+e^-

quark jets

gluon jets

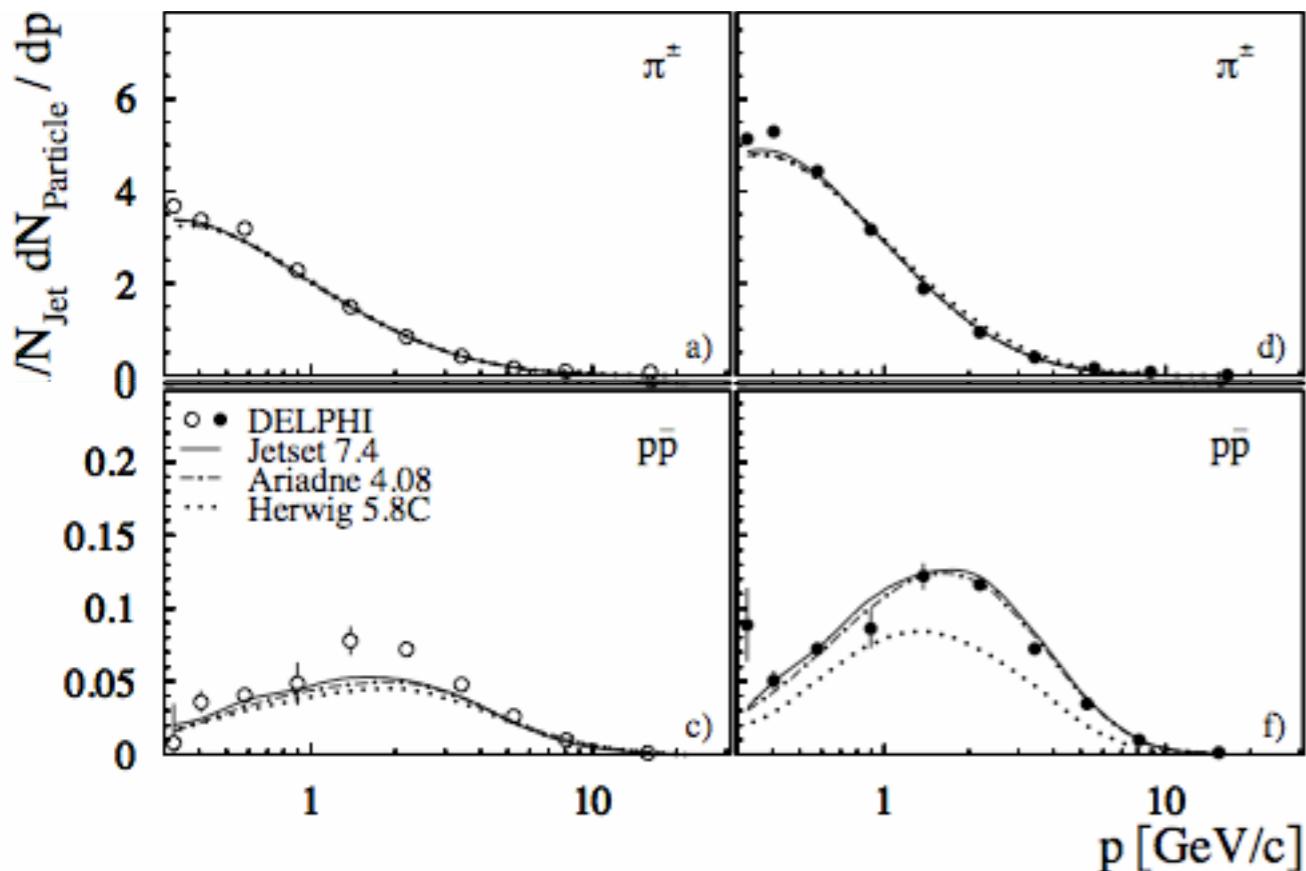


baryons via fragmentation

**fragmentation: parton $A \rightarrow N$ hadrons
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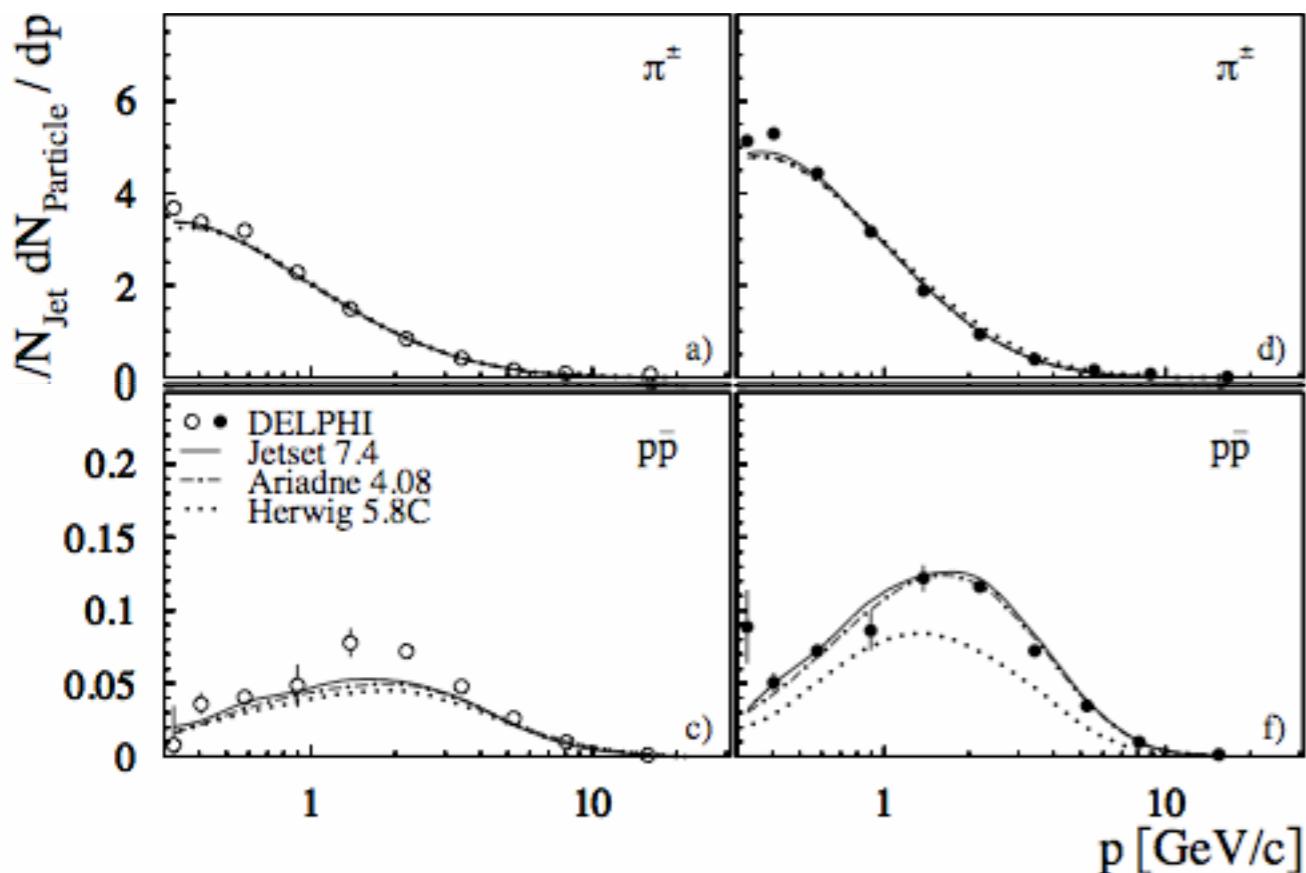
- baryon production difficult in fragmentation



baryons via fragmentation

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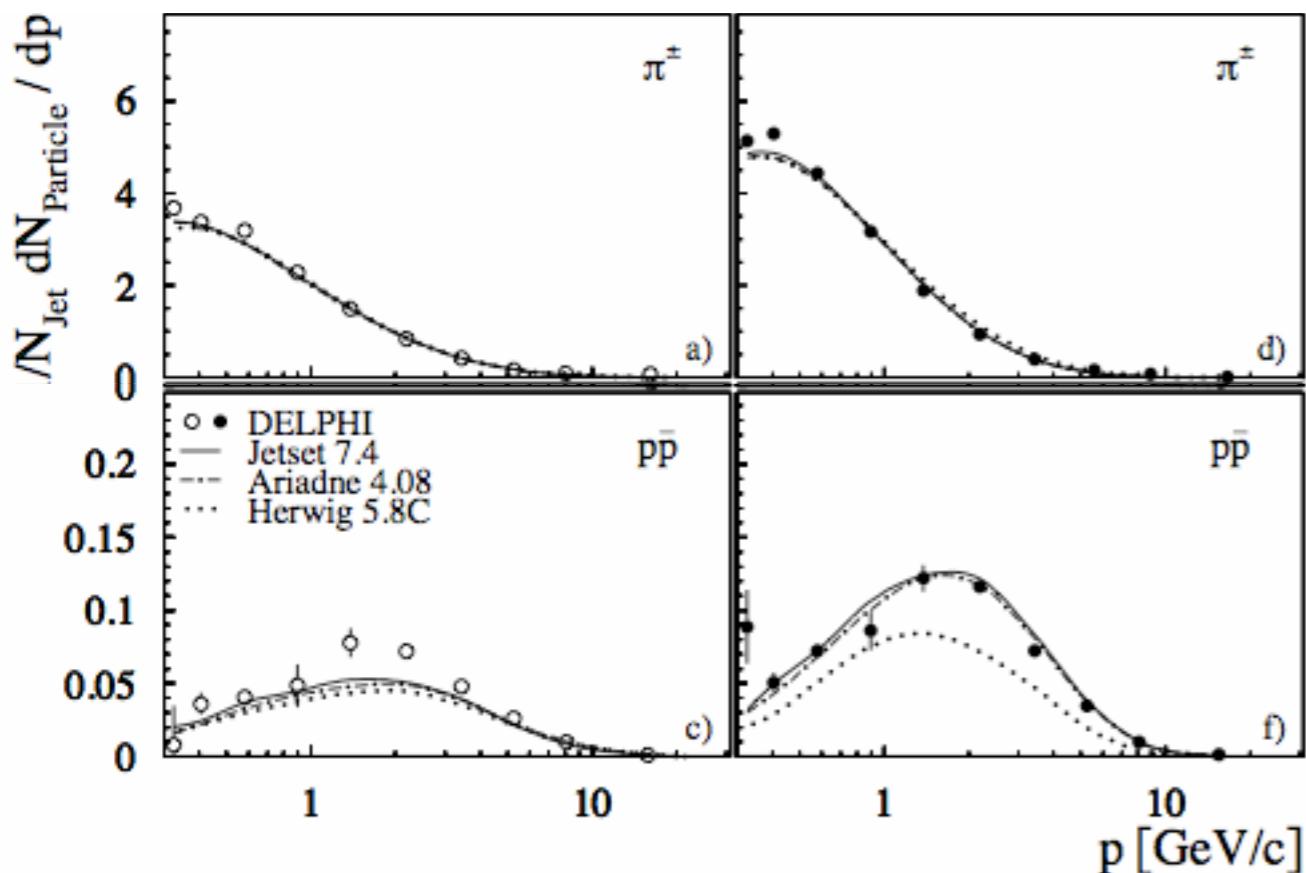


- baryon production difficult in fragmentation
- need 3 quarks together

baryons via fragmentation

fragmentation: parton $A \rightarrow N$ hadrons
for each hadron: $p_{T,N} < p_{T,A}$

DELPHI e^+e^-
quark jets gluon jets



- baryon production difficult in fragmentation
- need 3 quarks together
- makes baryons a good place to look for novel effects

recombination: when?

recombination: when?

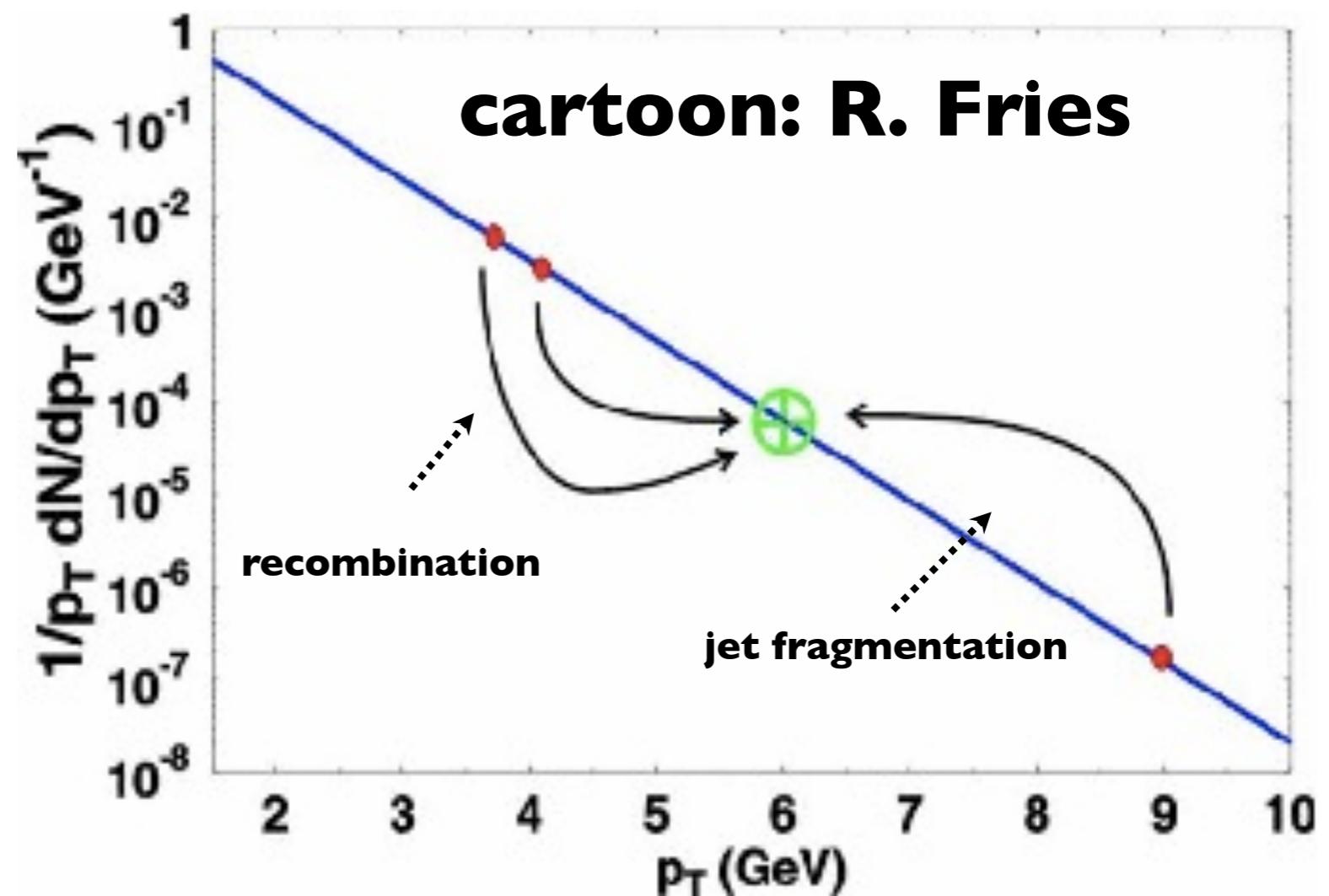
- high phase space density
- large system, low p_T

recombination: when?

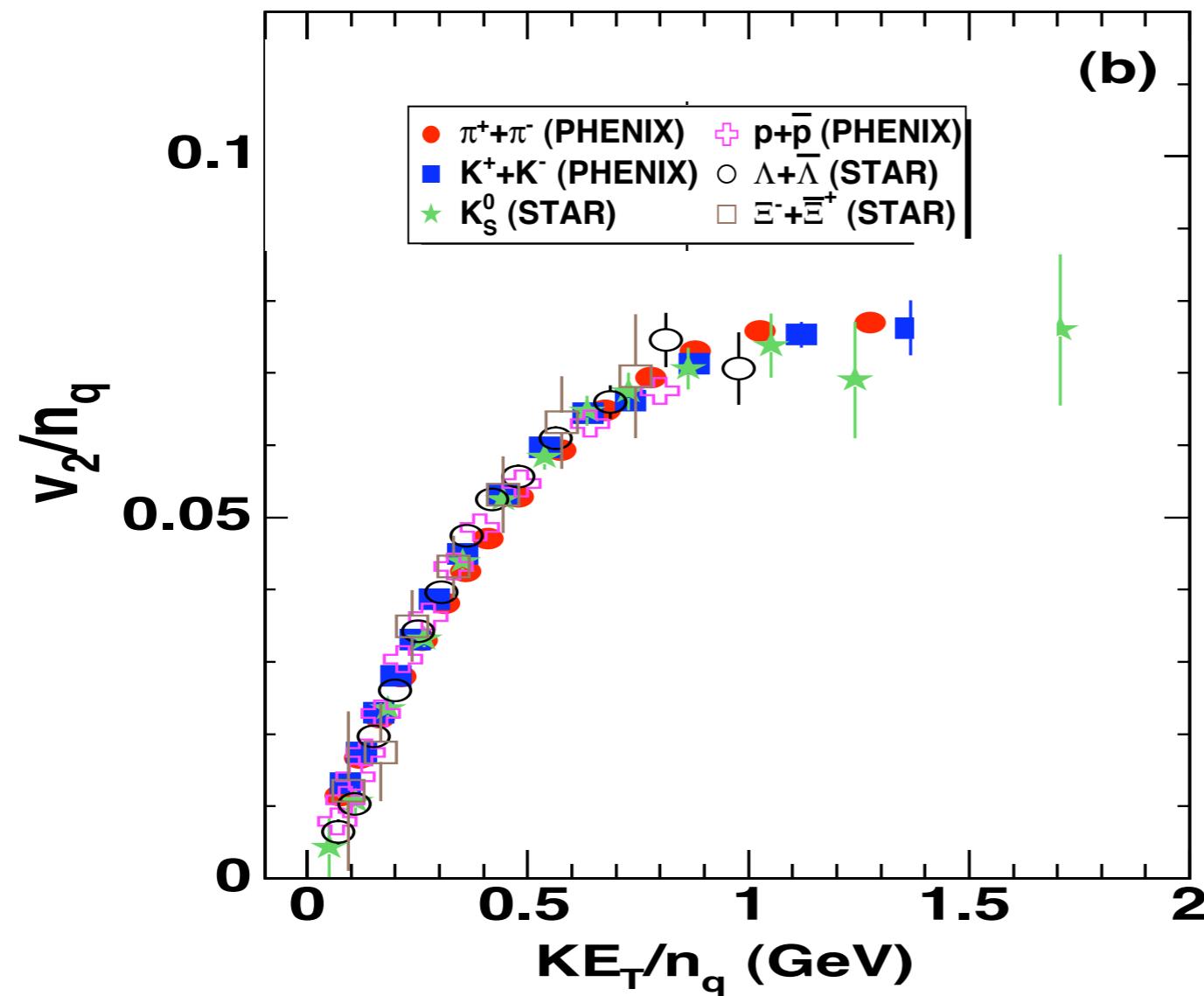
- high phase space density
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 - exponential quark p_T spectrum disfavors fragmentation
 - high p_T hard power law distribution disfavors recombination

recombination: when?

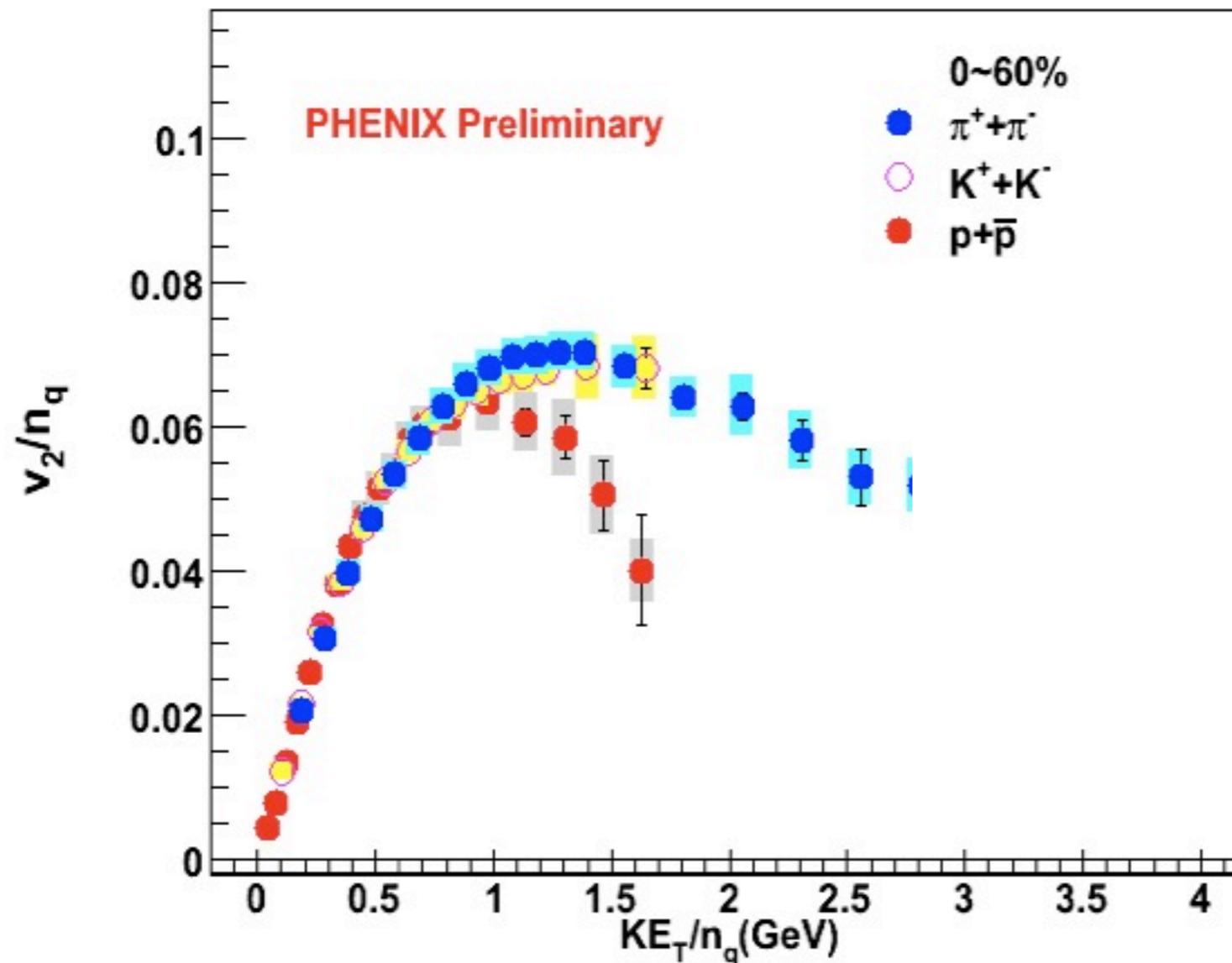
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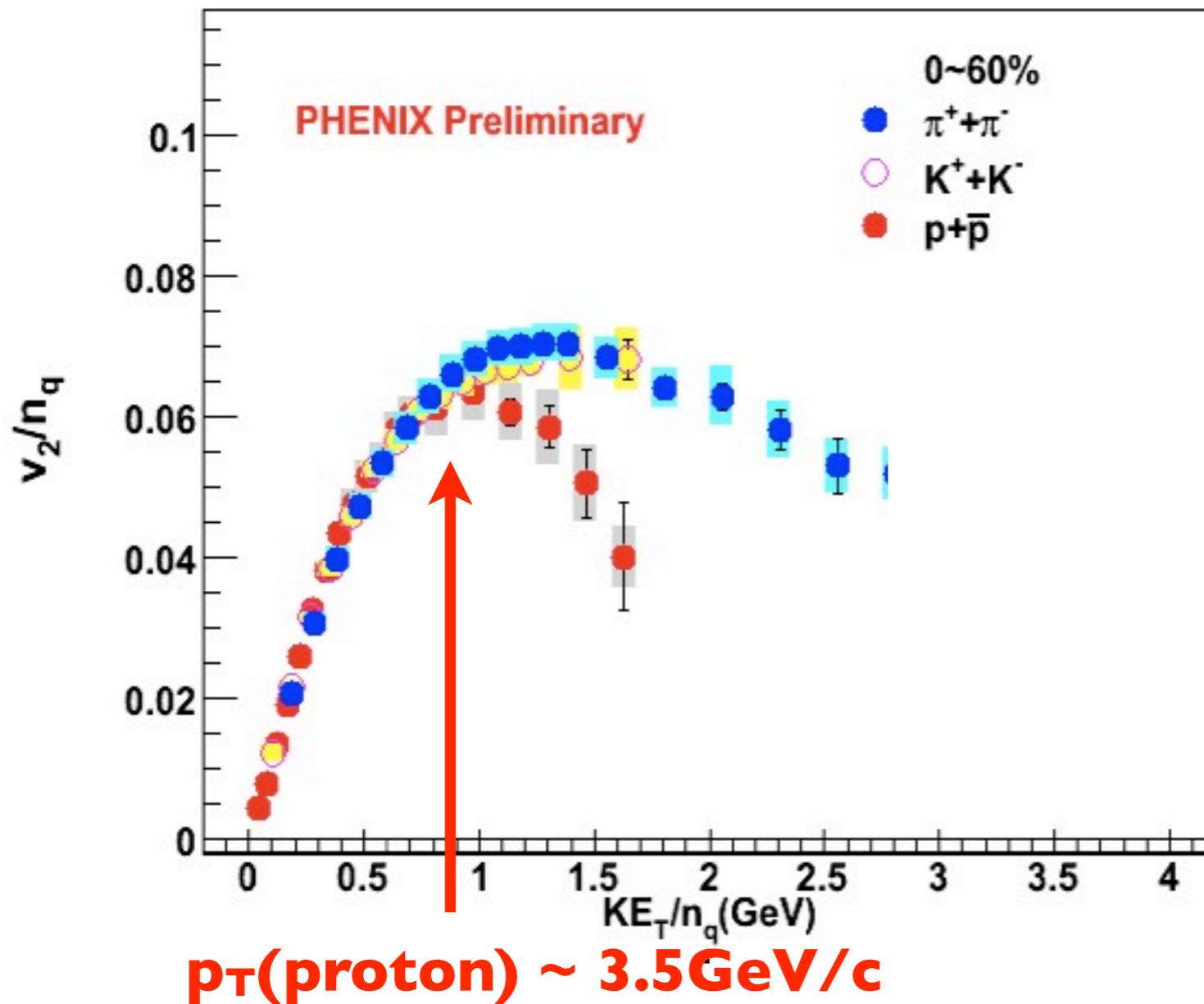
beyond recombination



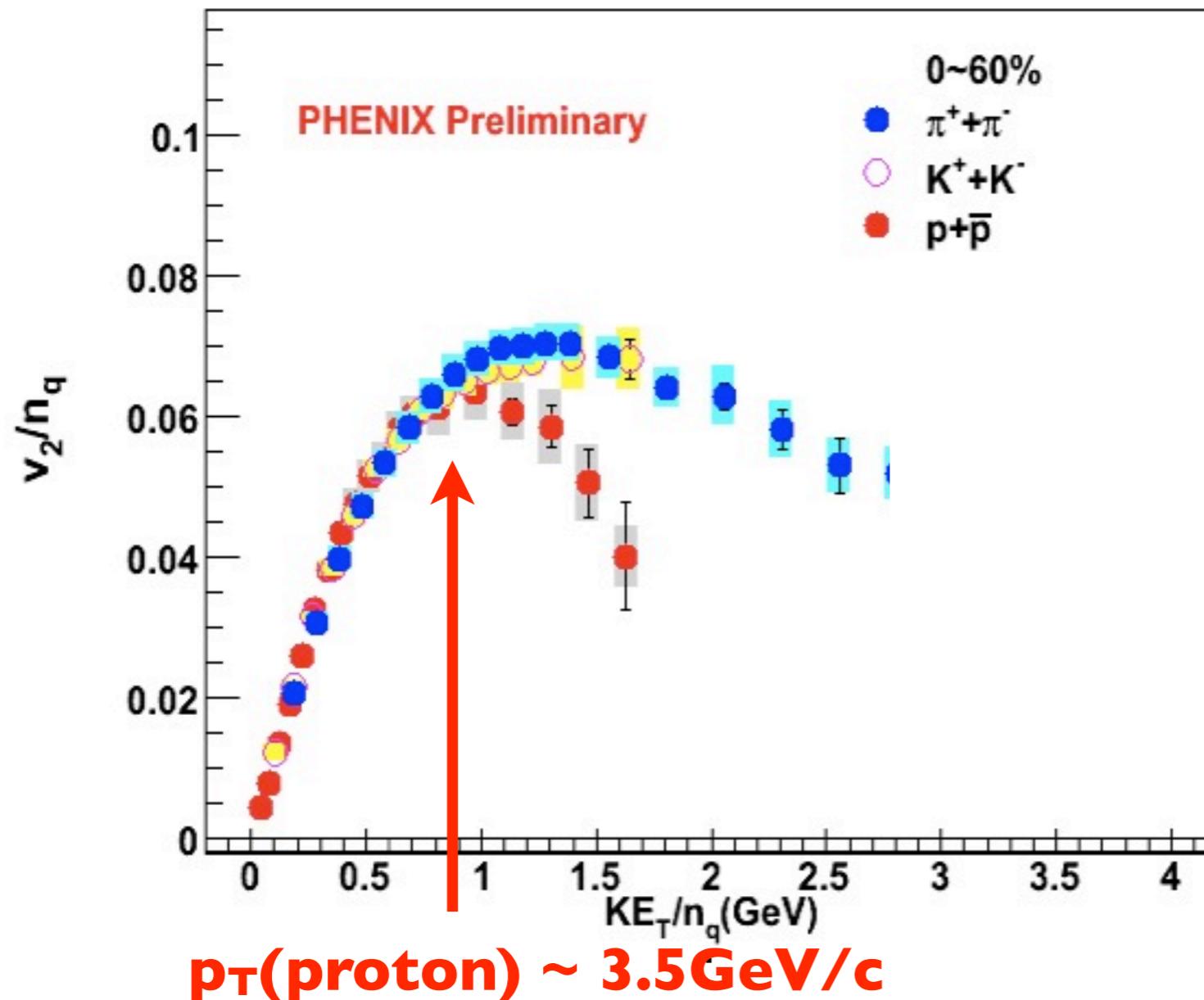
beyond recombination



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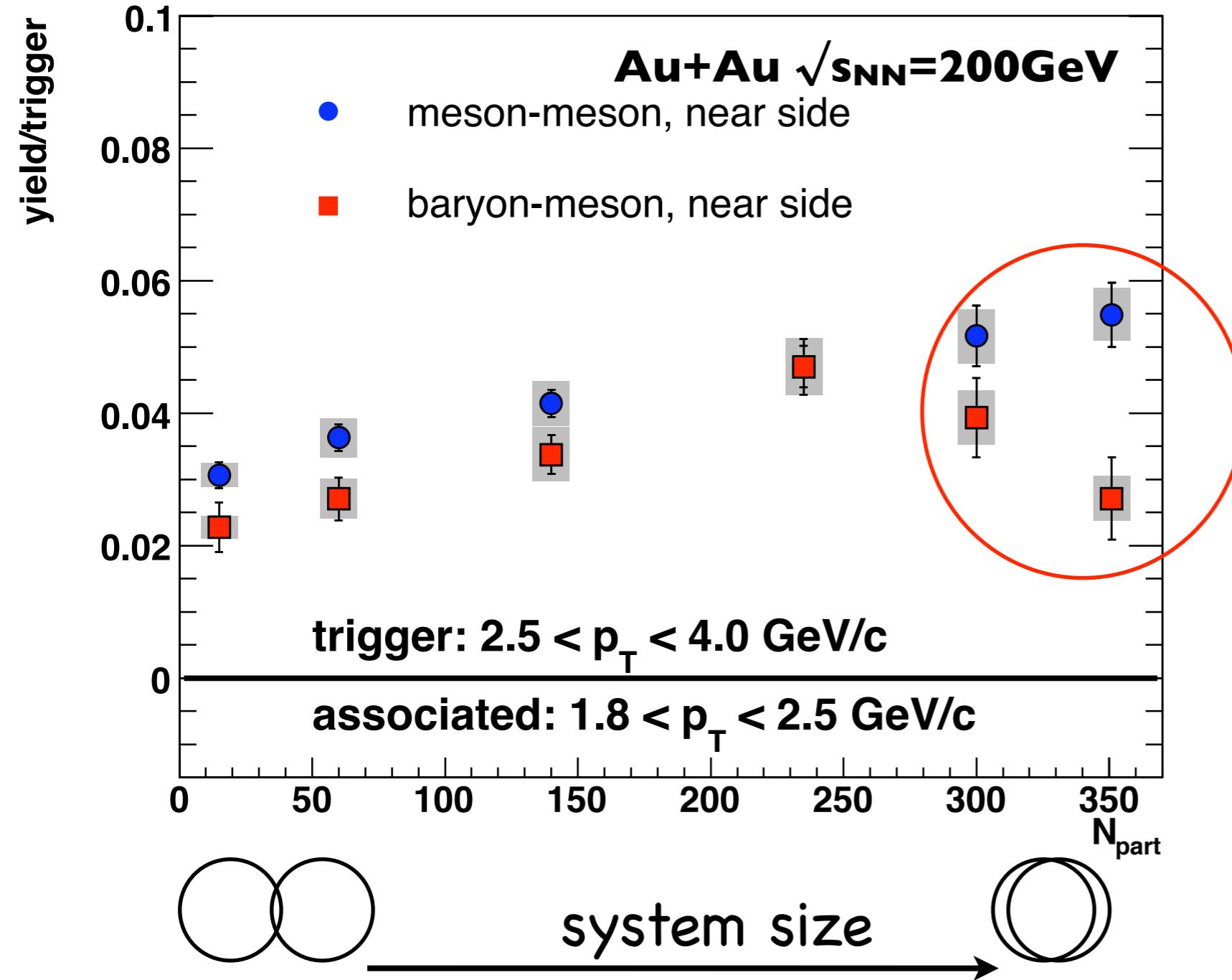
beyond recombination



- scaling deviations: $p_T \sim 3-4 \text{ GeV}/c$

correlated baryons?

pairs from jet-like correlations



baryons: less same
side correlations in
the most central
collisions

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high p_T particle production

p+p collisions

Parton Distribution

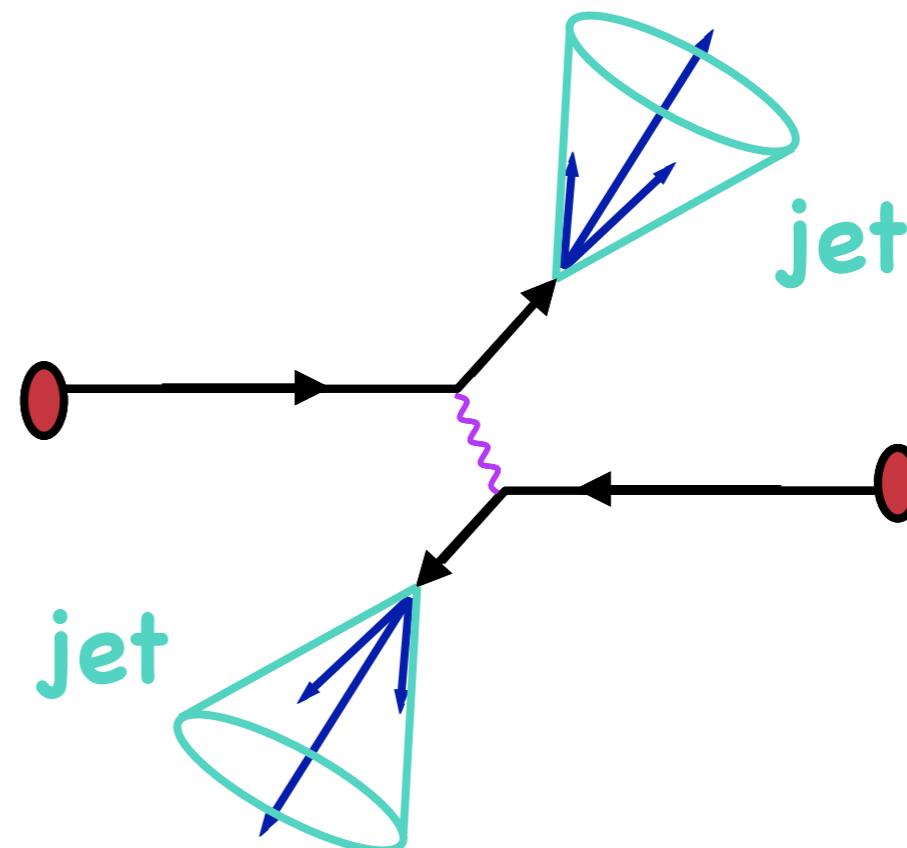
Functions: Measured in
Deep Inelastic
Scattering

Hard Scattering Cross

Section: Calculated
with pQCD

Fragmentation into

Hadrons: Measured in
 e^+e^- Collisions



high p_T particle production

Au+Au collisions

Parton Distribution

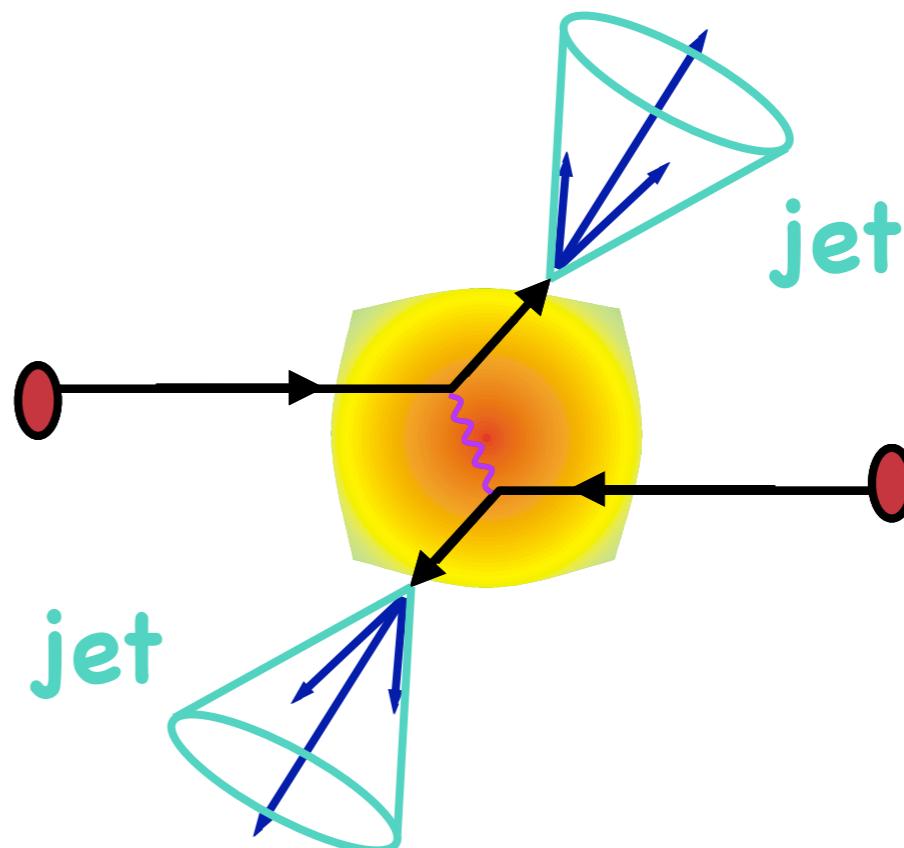
Functions: Measured in Deep Inelastic Scattering

Hard Scattering Cross

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Parton Medium Interactions

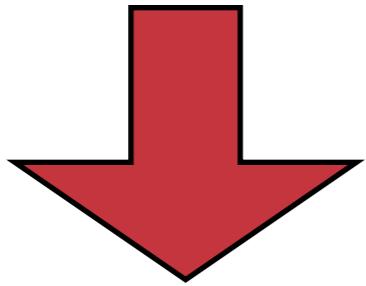
Fragmentation into Hadrons: Measured in e^+e^- Collisions



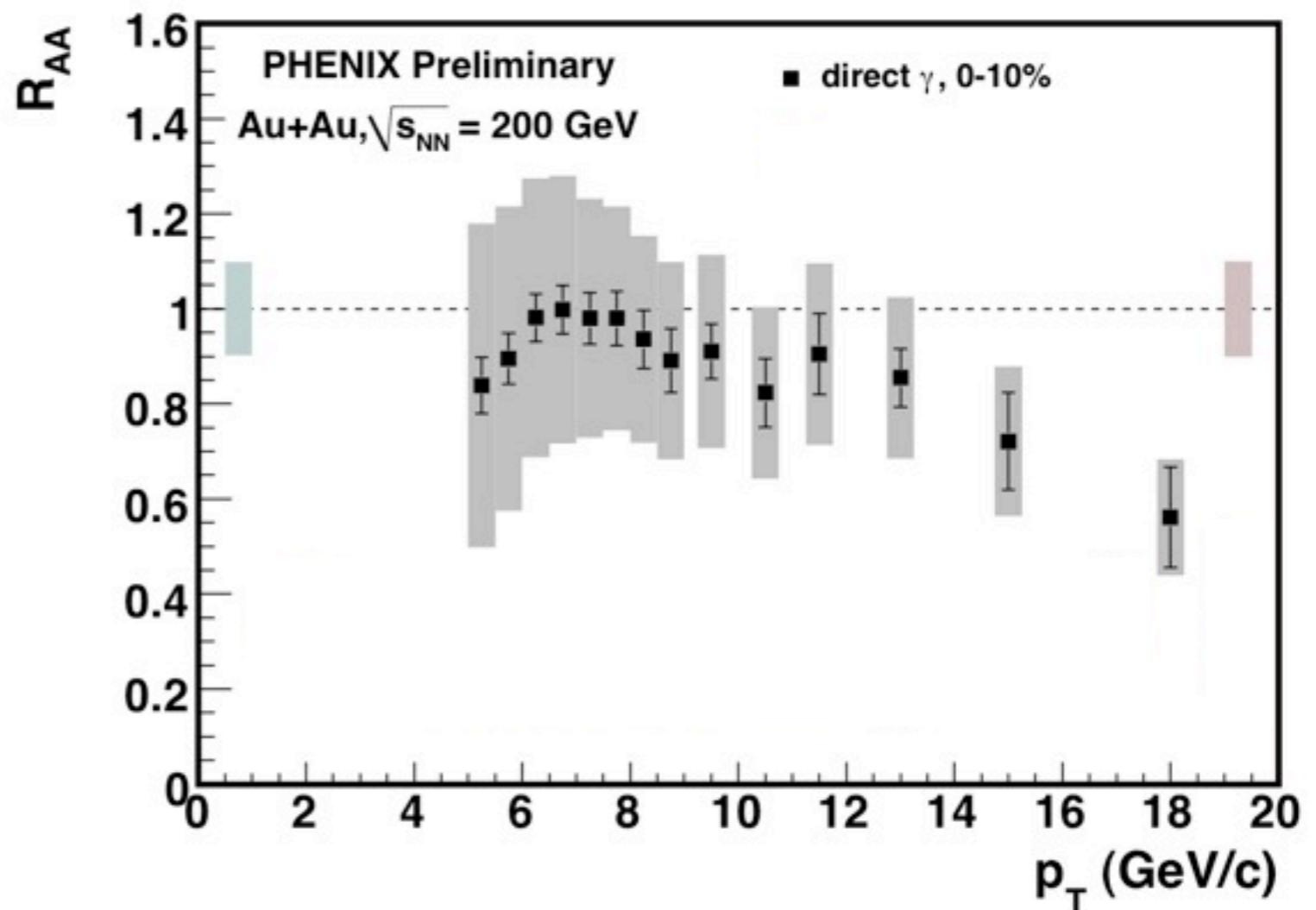
γ : control measurement

$$R_{AA} = \frac{\text{yield}_{AA}}{\text{yield}_{pp} * N_{\text{coll}}}$$

$$R_{AA} = 1$$



no nuclear effects



γ : no color charge \rightarrow insensitive to produced matter

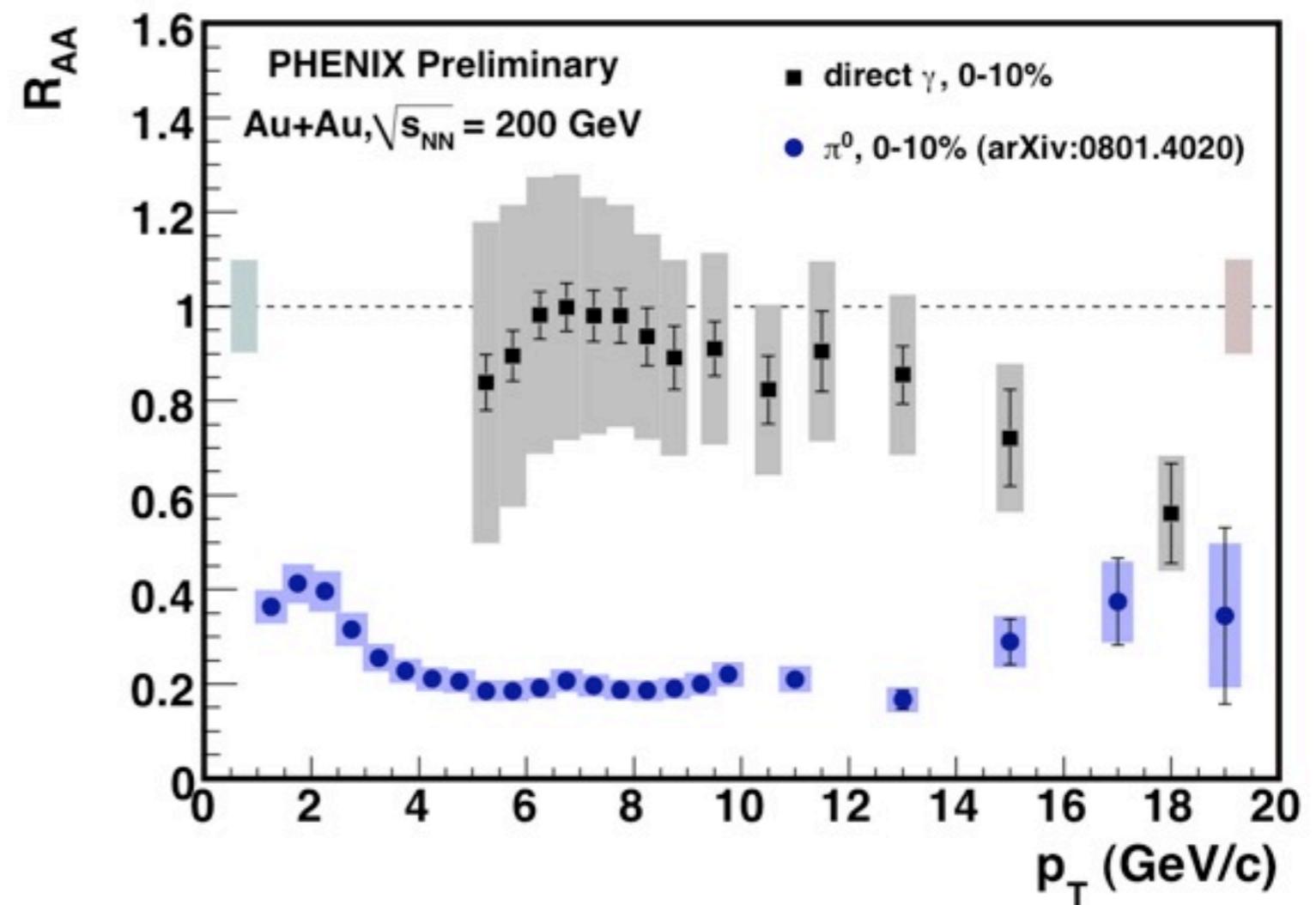
$R_{AA}(p_T < 14 \text{ GeV}/c)$ consistent with unity

π^0 : light meson

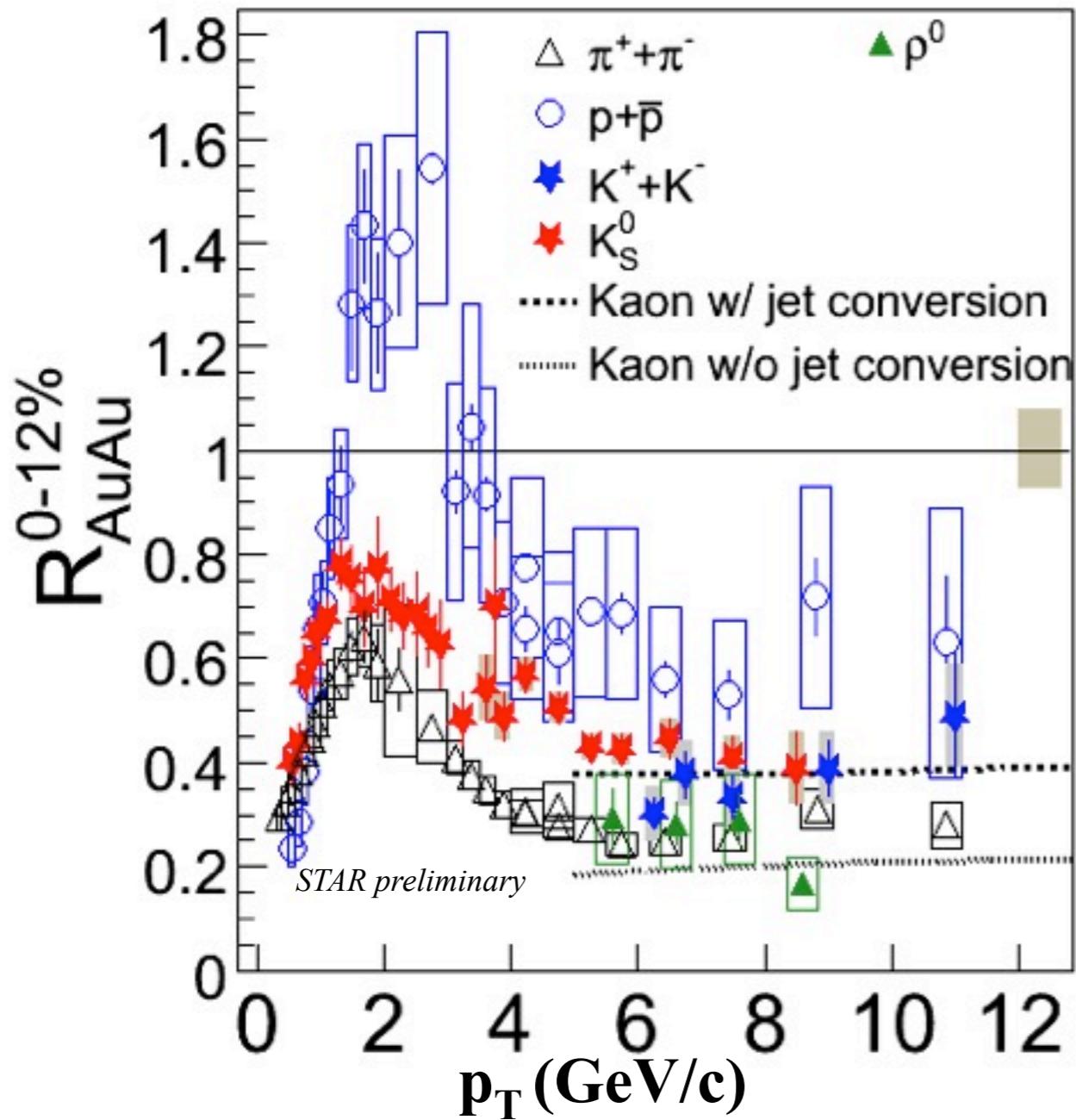
$$R_{AA} = \frac{\text{yield}_{AA}}{\text{yield}_{pp} * N_{\text{coll}}}$$

$R_{AA} << 1$

parton energy loss

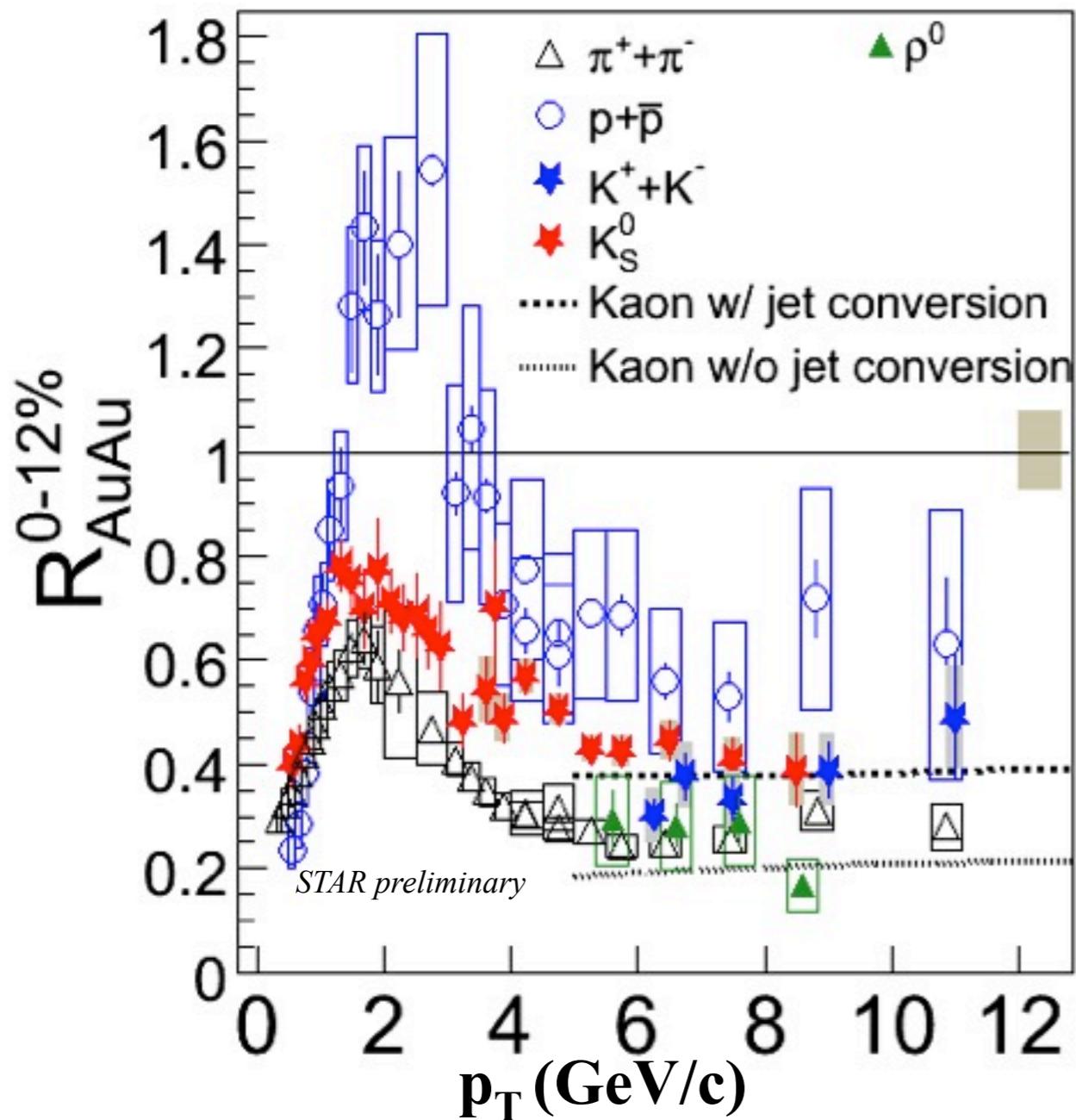


and protons...



- $R_{\text{AA}}(p,p\bar{p}) > R_{\text{AA}}(\pi)$
- even @ high p_T , baryon/meson differences persist!
- inconsistent with parton energy loss & vacuum fragmentation

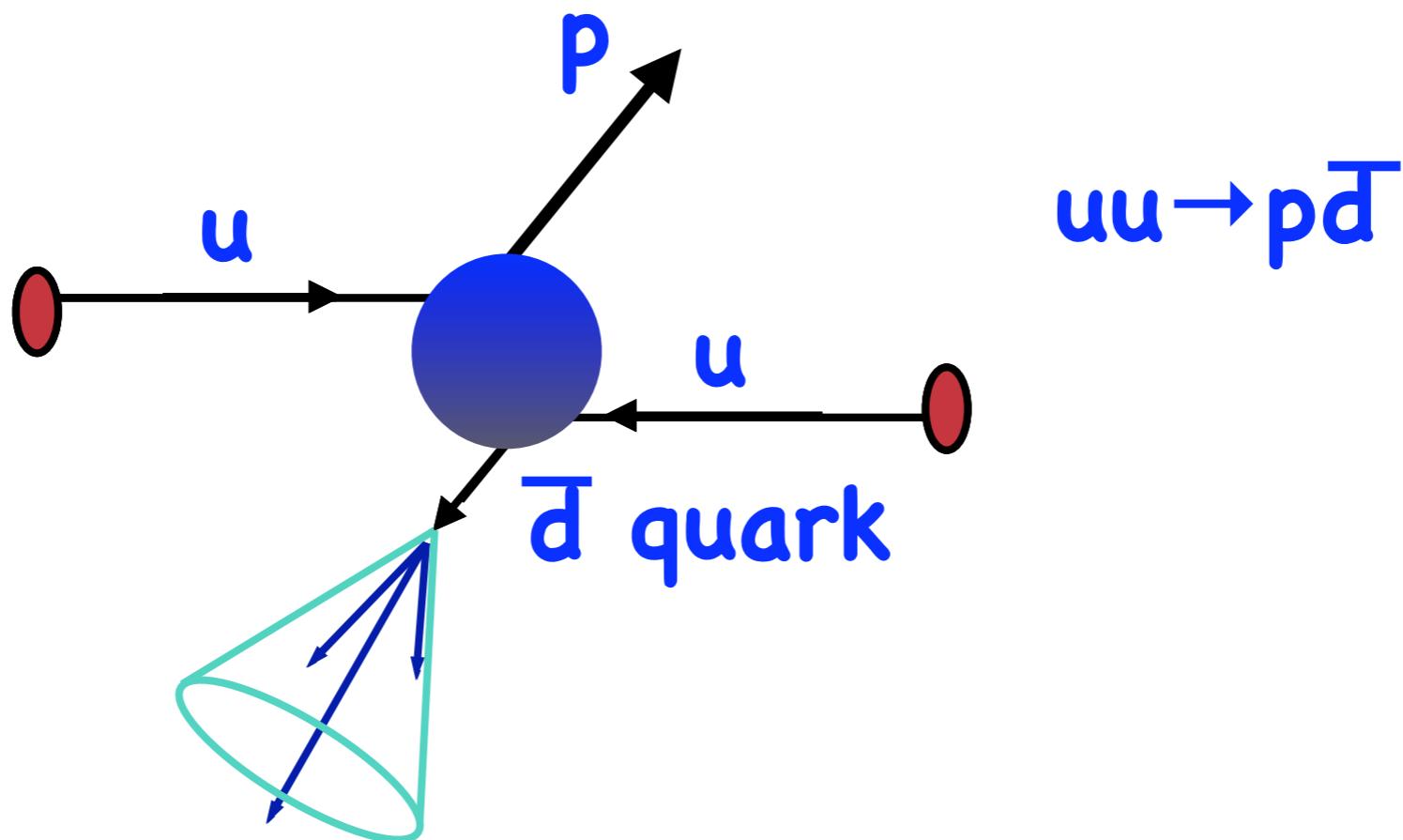
and protons...



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**are baryons coming
from somewhere else?**

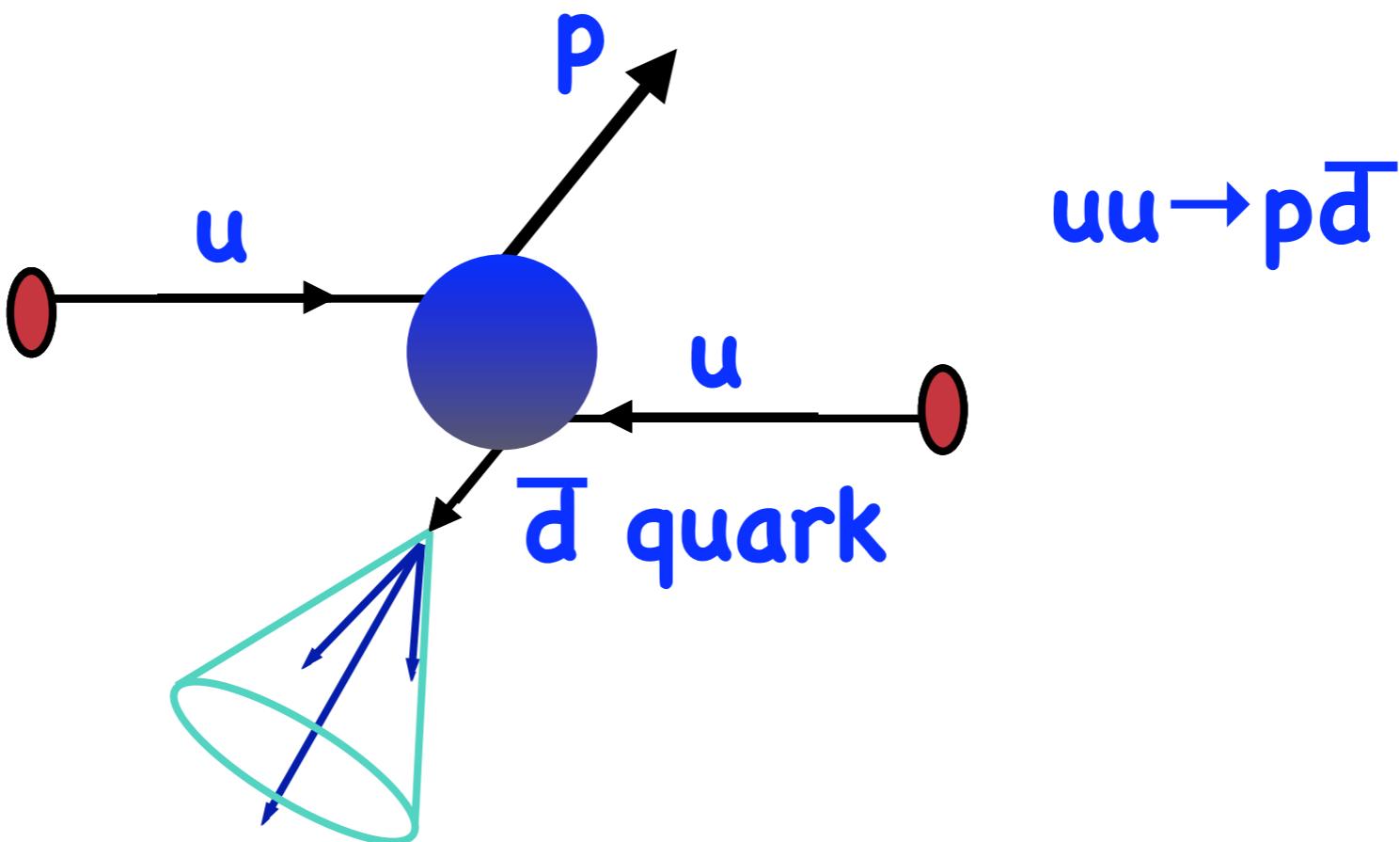
direct proton production?



Brodsky & AMS PLB 668 111 (2008)

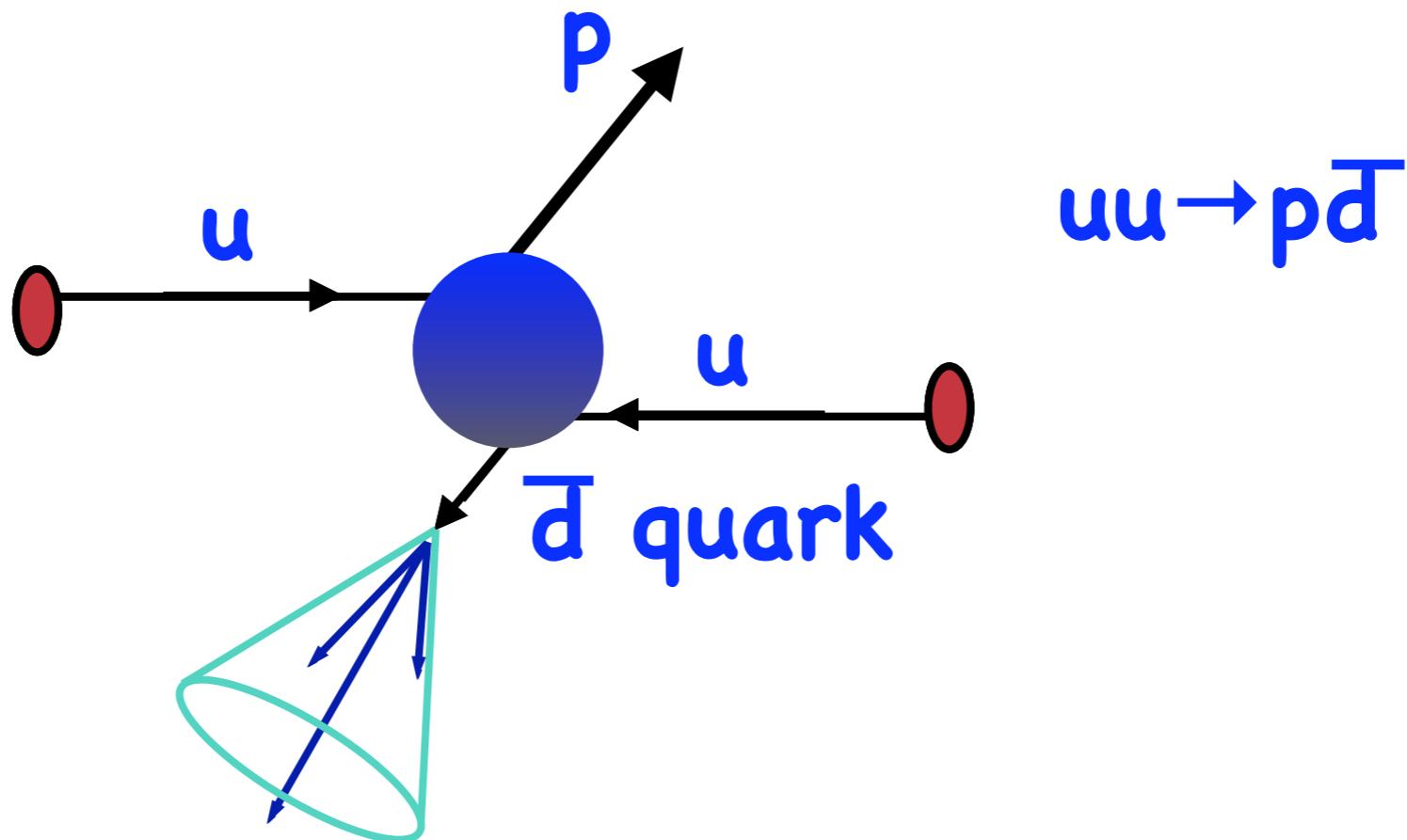
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direct proton production?



- color singlet proton directly produced within hard scattering

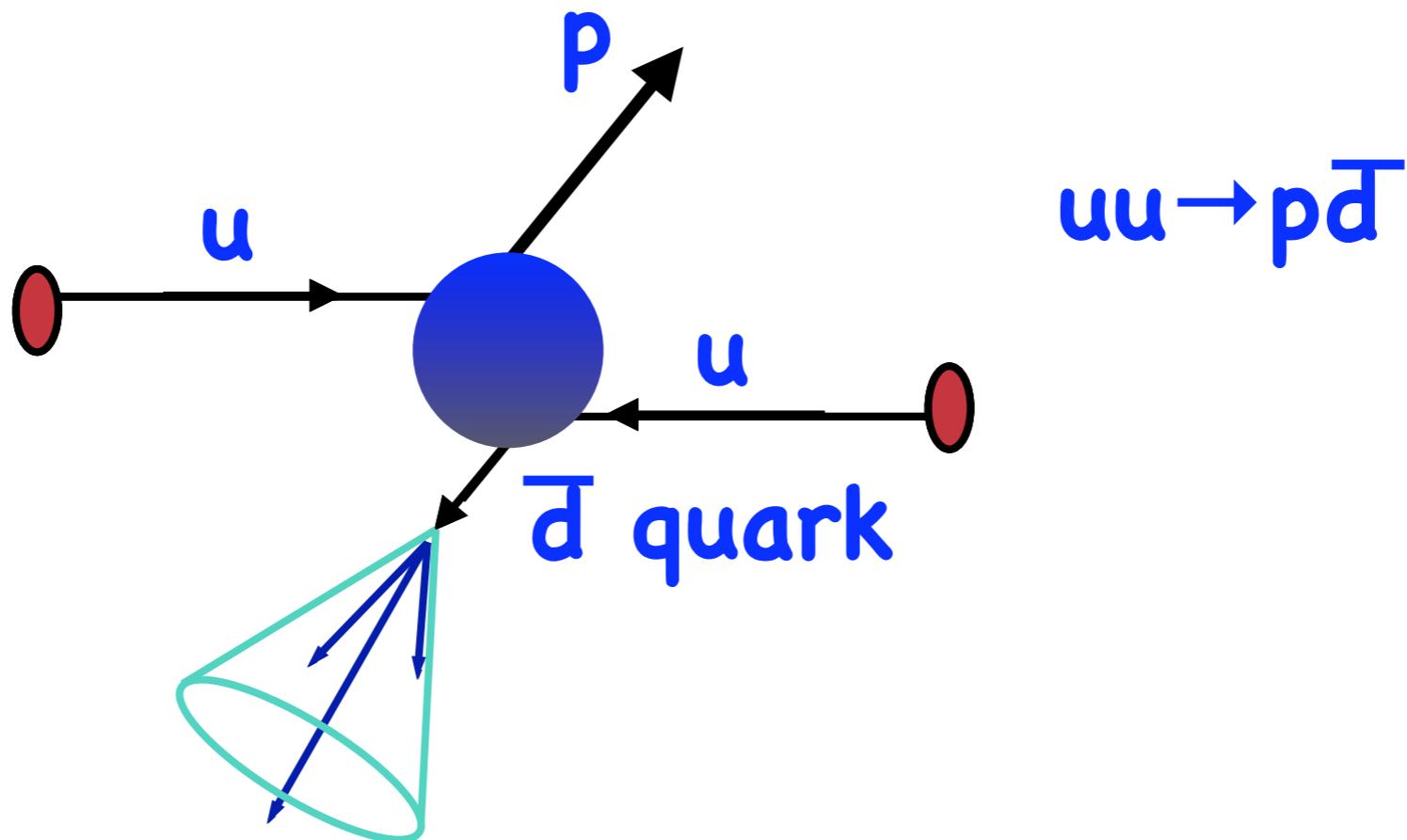
direct proton production?



- color singlet proton directly produced within hard scattering
- small color neutral protons: **color transparent**

Brodsky & AMS PLB 668 111 (2008)

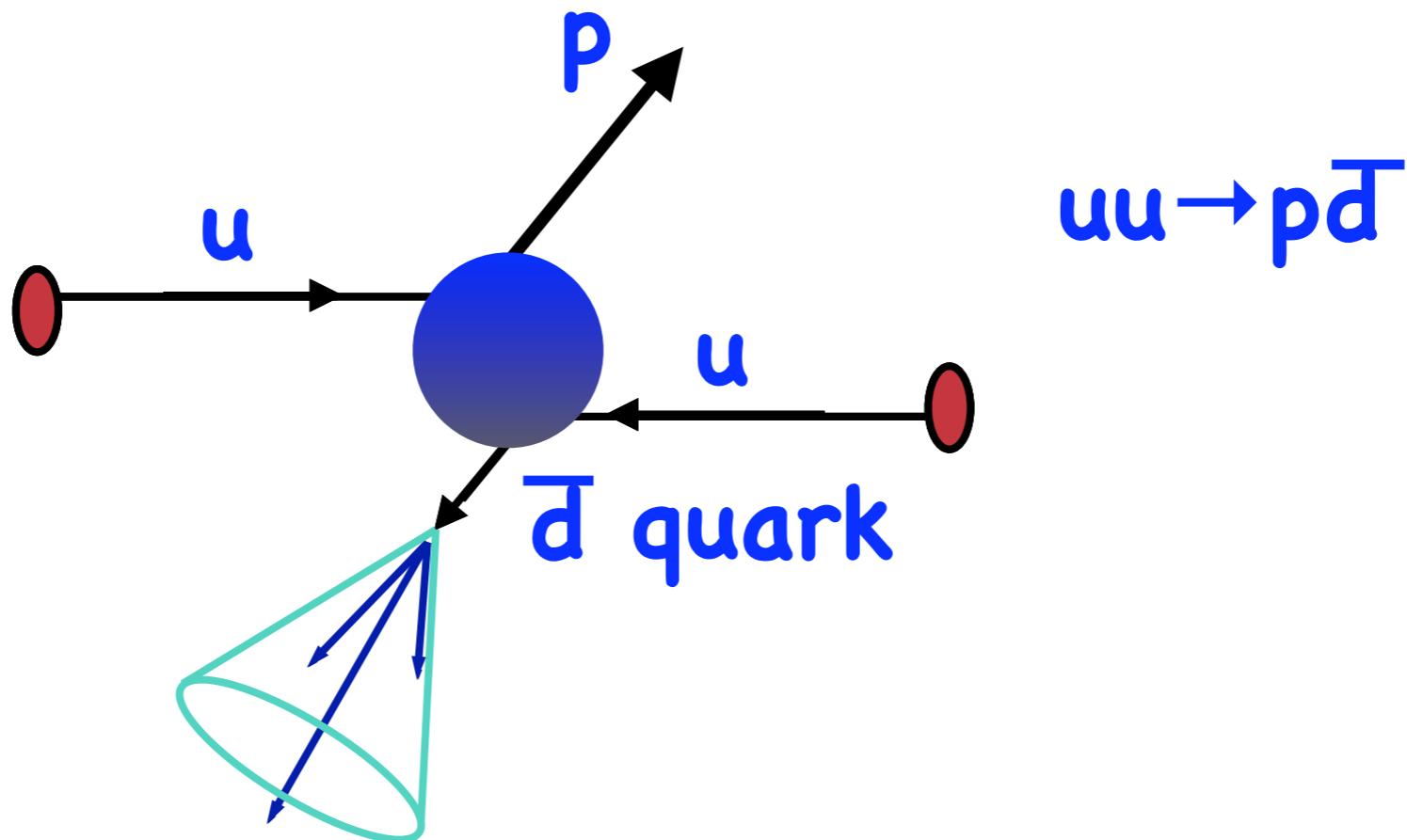
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 - proton exits collision region without interacting, like a direct γ

Brodsky & AMS PLB 668 111 (2008)

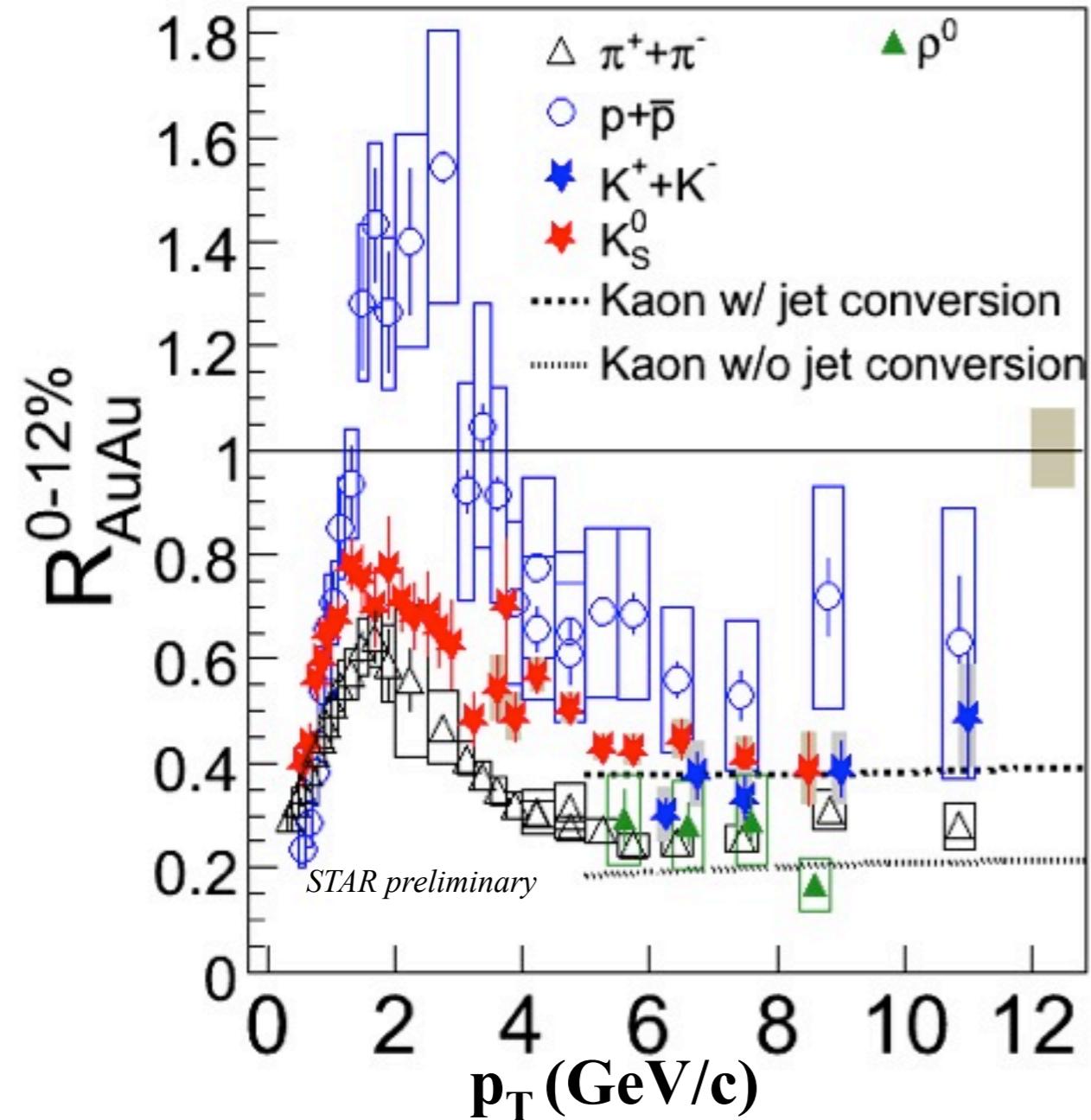
direct proton production?



- color singlet proton directly produced within hard scattering
- small color neutral protons: **color transparent**
 - proton exits collision region without interacting, like a direct γ
 - $R_{AA}(\text{proton}) > R_{AA}(\pi)$

Brodsky & AMS PLB 668 111 (2008)

filter: hot nuclear matter



- colored partons lose a lot of energy
- suppresses baryons from fragmentation
- direct processes unsuppressed
- relative contributions enhanced

x_T scaling

$$\frac{d\sigma}{d^3p/E}(pp \rightarrow HX) = \frac{F(x_T, \theta_{cm})}{p_T^n}$$

$$x_T = \frac{2p_T}{\sqrt{s}}$$

x_T scaling

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- n related to “twist”, number of participants, of the hard scattering

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- leading twist: $g+g \rightarrow g+g$, $n=4$

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- n related to “twist”, number of participants, of the hard scattering
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- higher twist: $q\bar{q} \rightarrow p+\bar{q}\bar{q}$, $n=8$

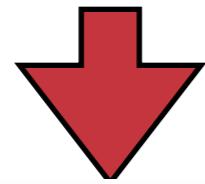
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- n related to “twist”, number of participants, of the hard scattering
- leading twist: $g+g \rightarrow g+g$, $n=4$
- higher twist: $q\bar{q} \rightarrow p+q\bar{q}$, $n=8$
- n increased slightly
 - running coupling, evolution of PDFs & FFs

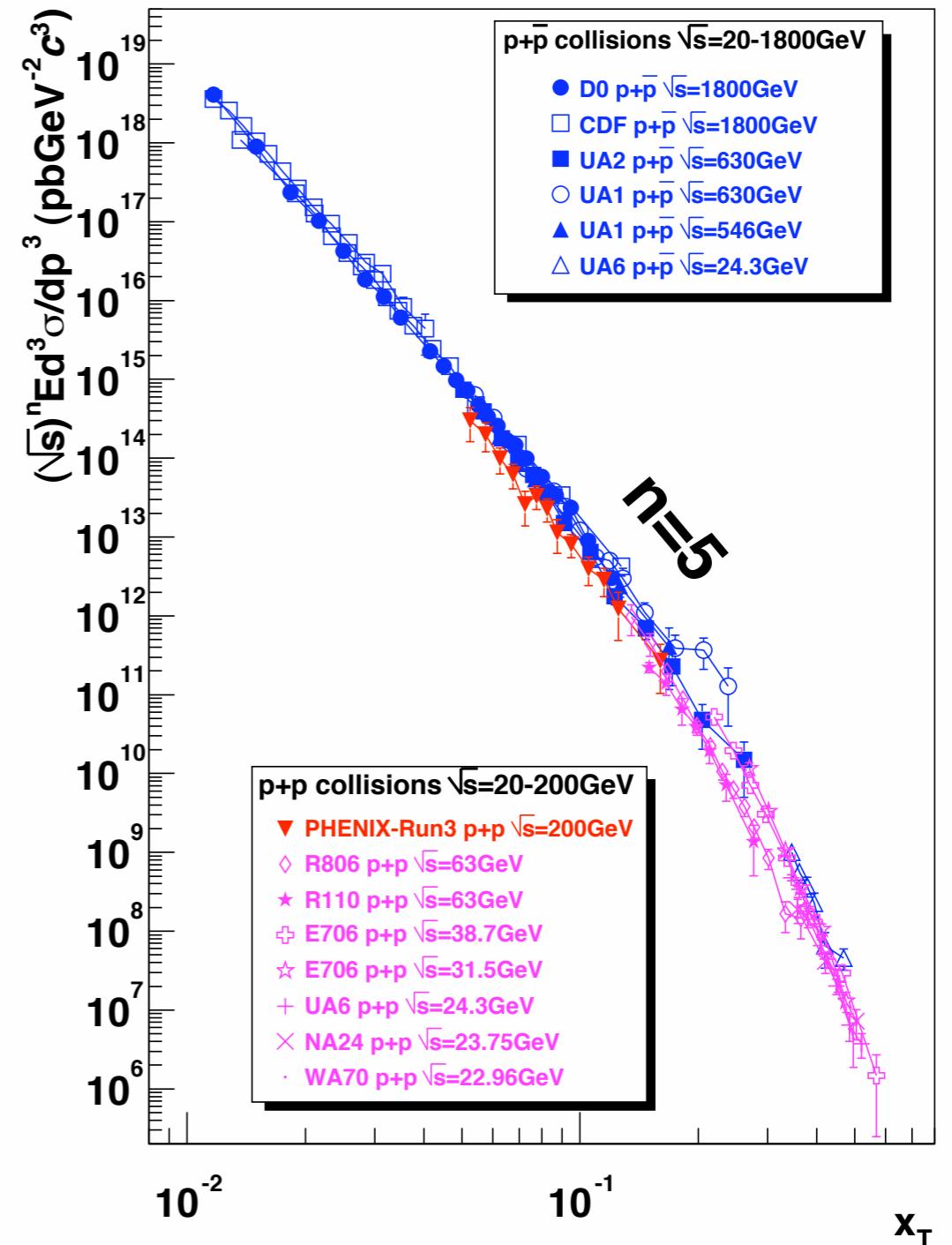
x_T scaling: photons

$$E \frac{d^3\sigma}{dp^3} = \frac{1}{\sqrt{s}^n(x_T, \sqrt{s})} G(x_T)$$



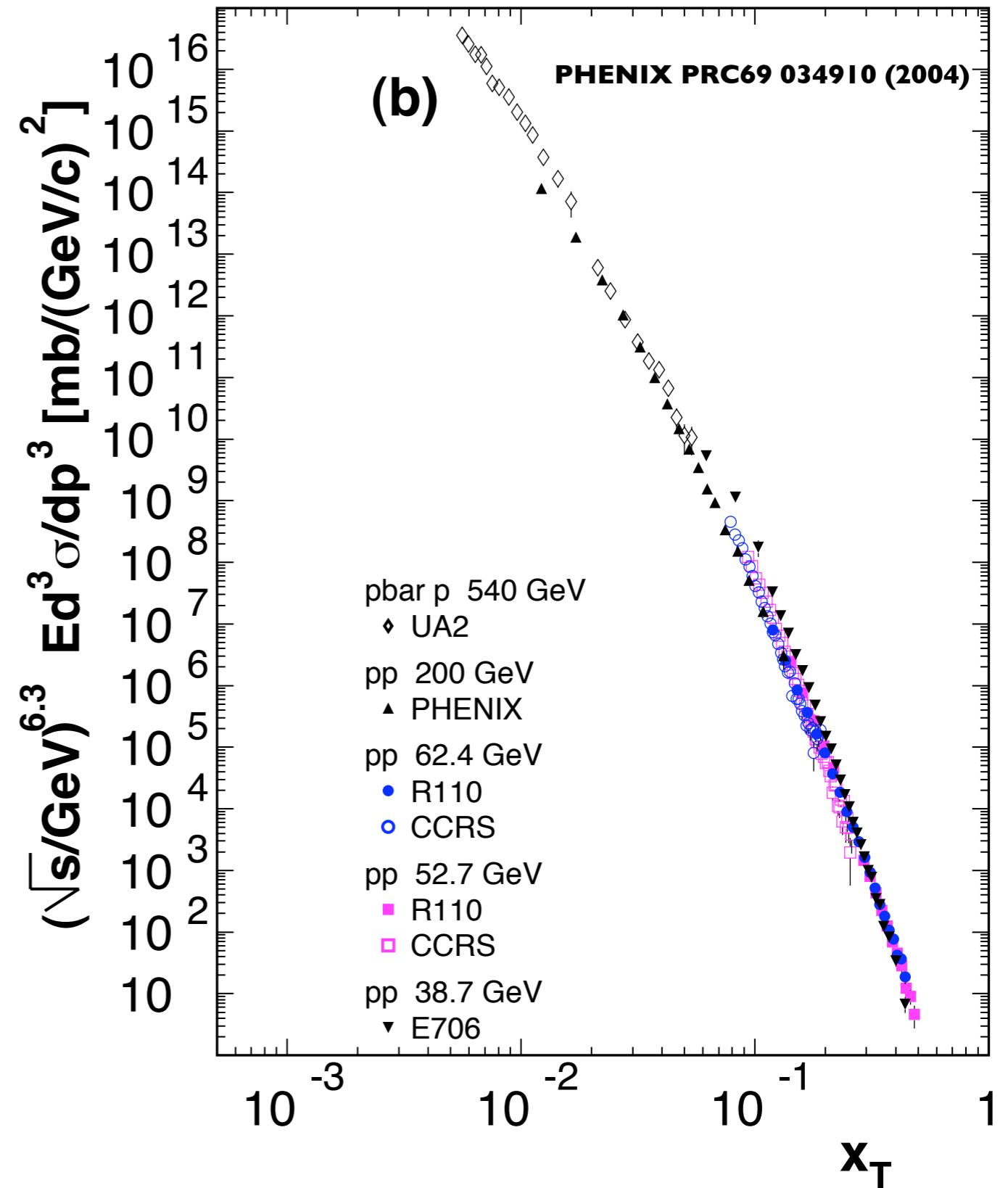
$$G(x_T) = E \frac{d^3\sigma}{dp^3} \sqrt{s}^n$$

- good scaling over a wide range of x_T with $n=5$
- $23 < \sqrt{s} < 1800$ GeV



x_T scaling: pions

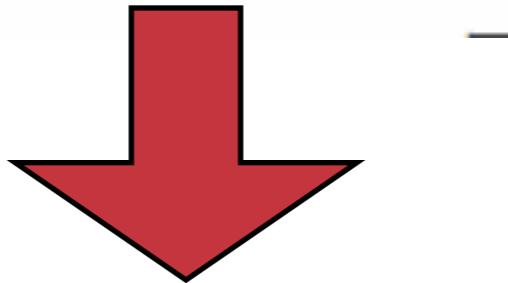
- good scaling over a wide range of x_T
- higher exponent than the photons $n=6.3$



more quantitative: $n_{\text{eff}}(x_T)$

$$E \frac{d^3\sigma}{dp^3} = \frac{1}{\sqrt{s}^{n(x_T, \sqrt{s})}} G(x_T)$$

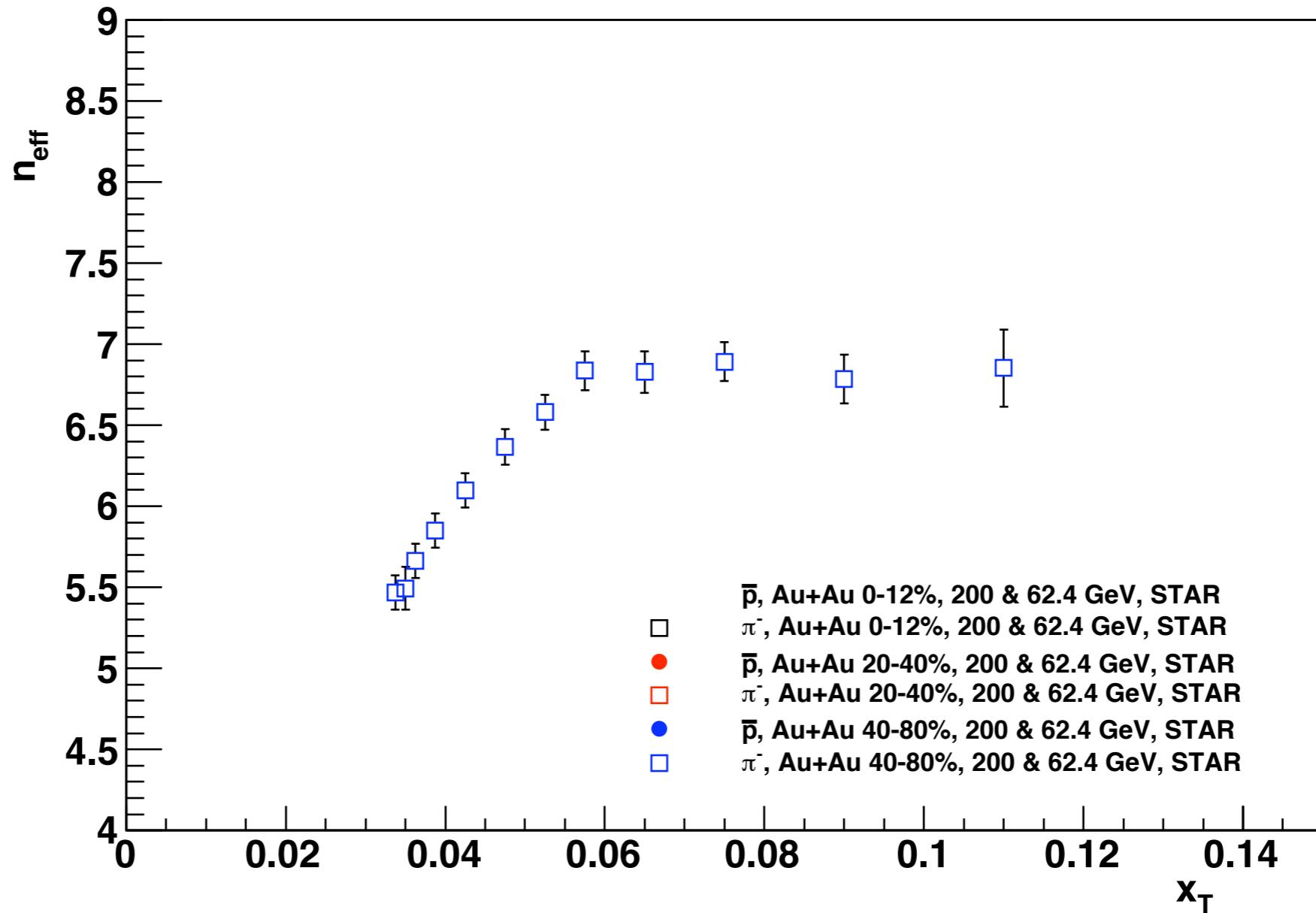
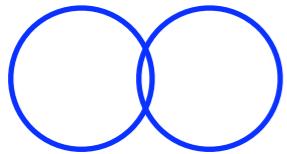
Cahalan et al PRD 11 1199 (1975)



$$n_{\text{eff}}(x_T) = \frac{\log \left(\text{yield}(x_T, \sqrt{s_a}) / \text{yield}(x_T, \sqrt{s_b}) \right)}{\log \left(\sqrt{s_b} / \sqrt{s_a} \right)}$$

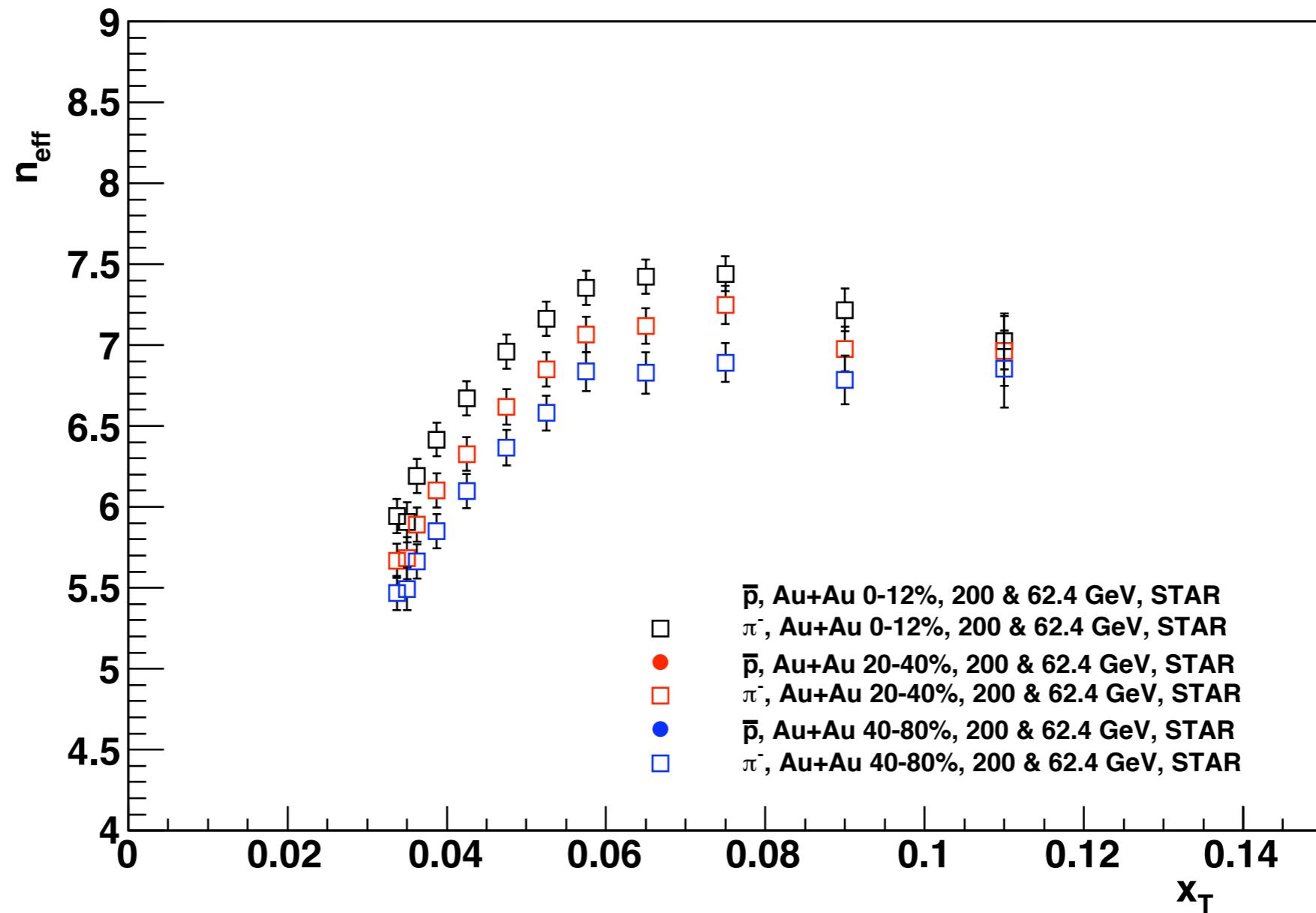
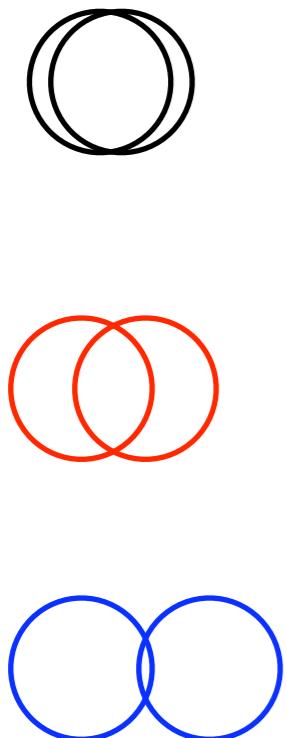
- use measurements at two collision energies to extract the effective exponent

pions: heavy ion collisions



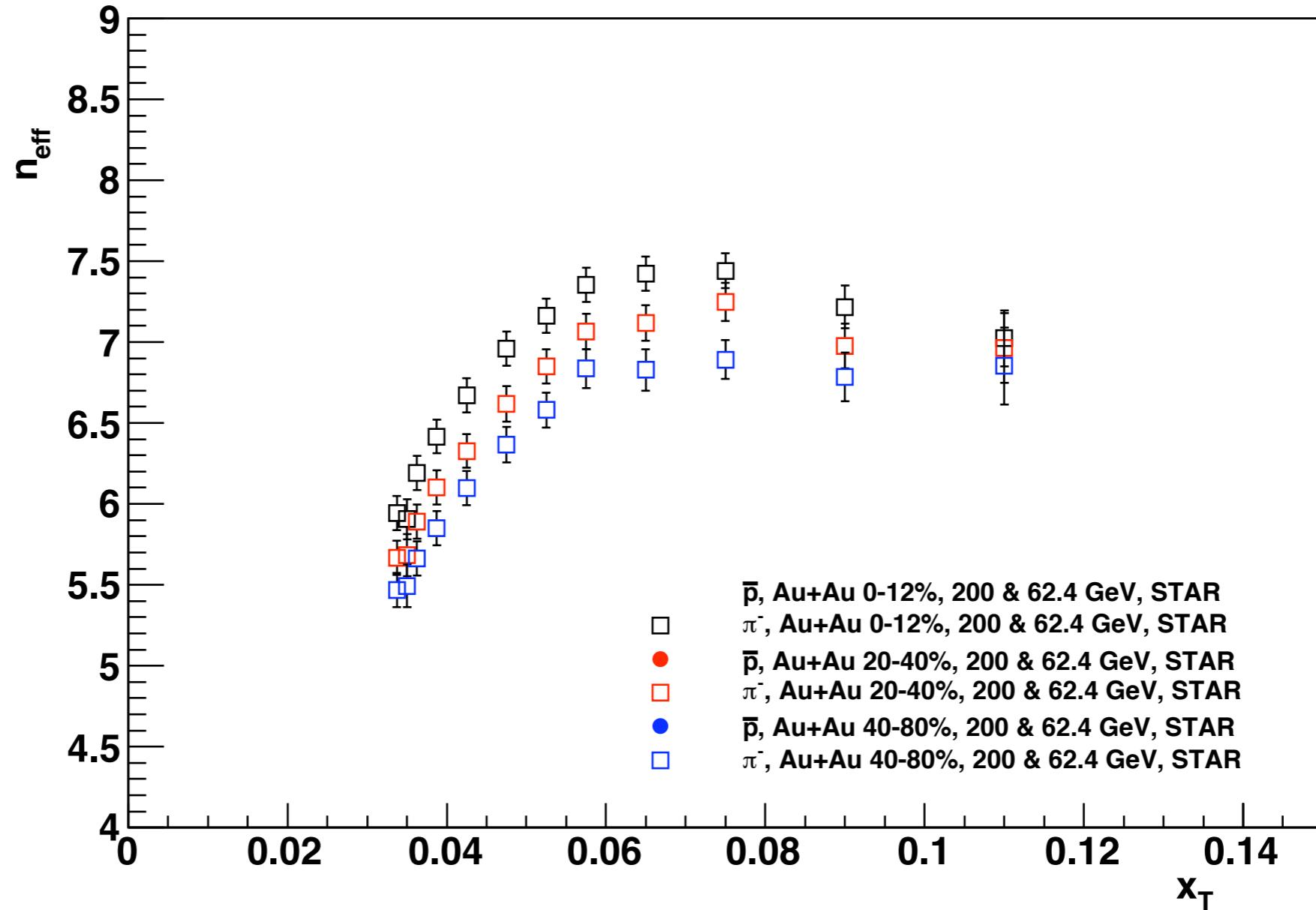
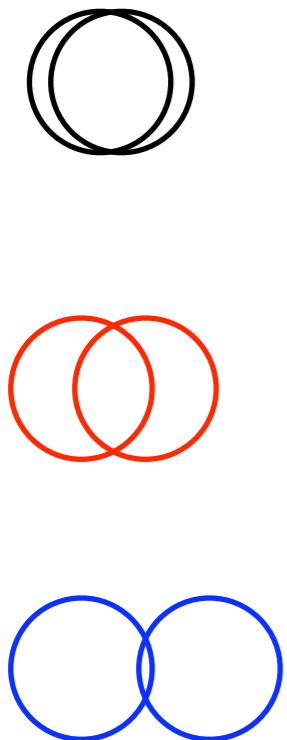
data from: STAR PLB 655 104 (2007)

pions: heavy ion collisions



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pions: heavy ion collisions

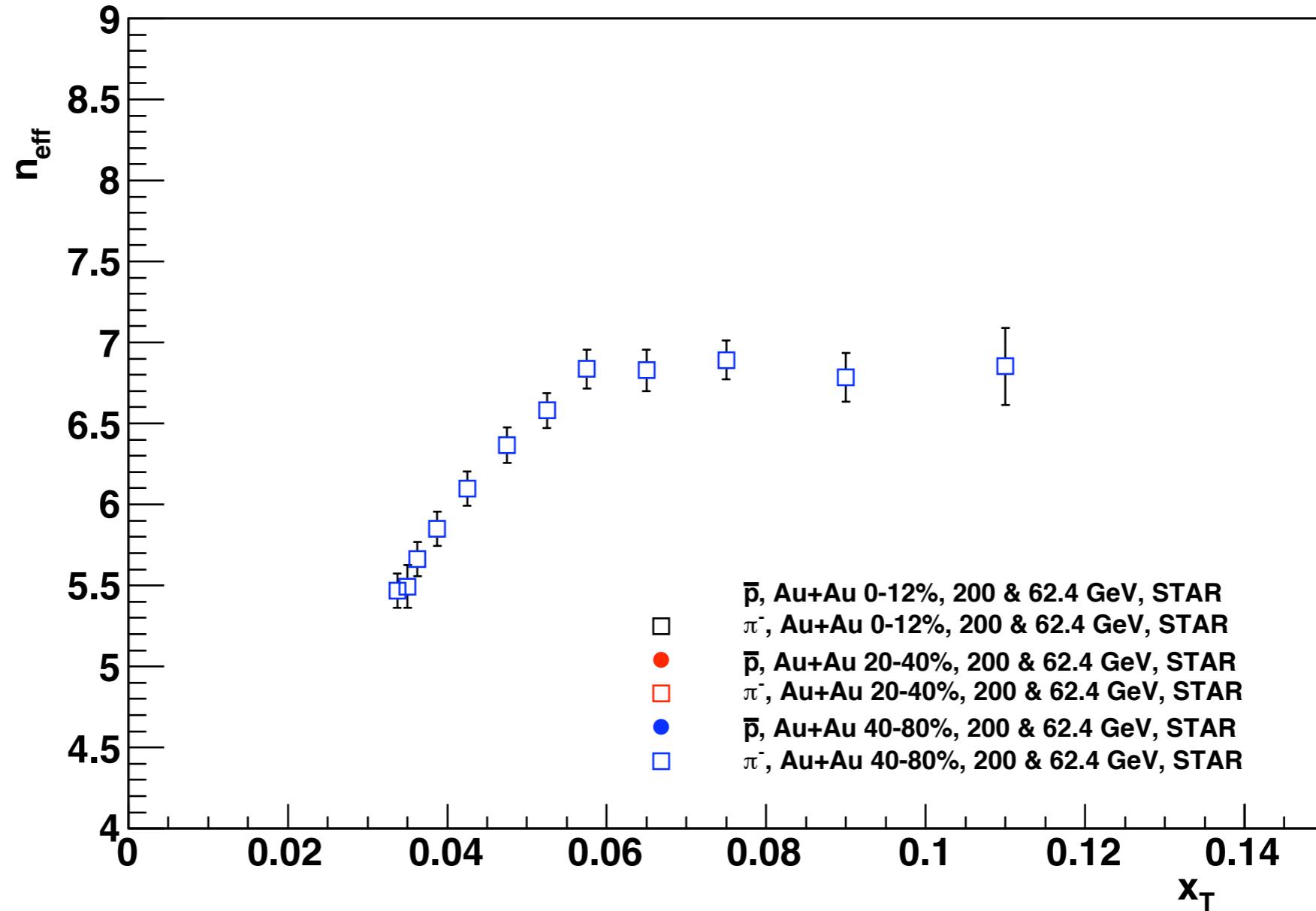


- $n_{\text{eff}}(\text{pions})$ increases with centrality

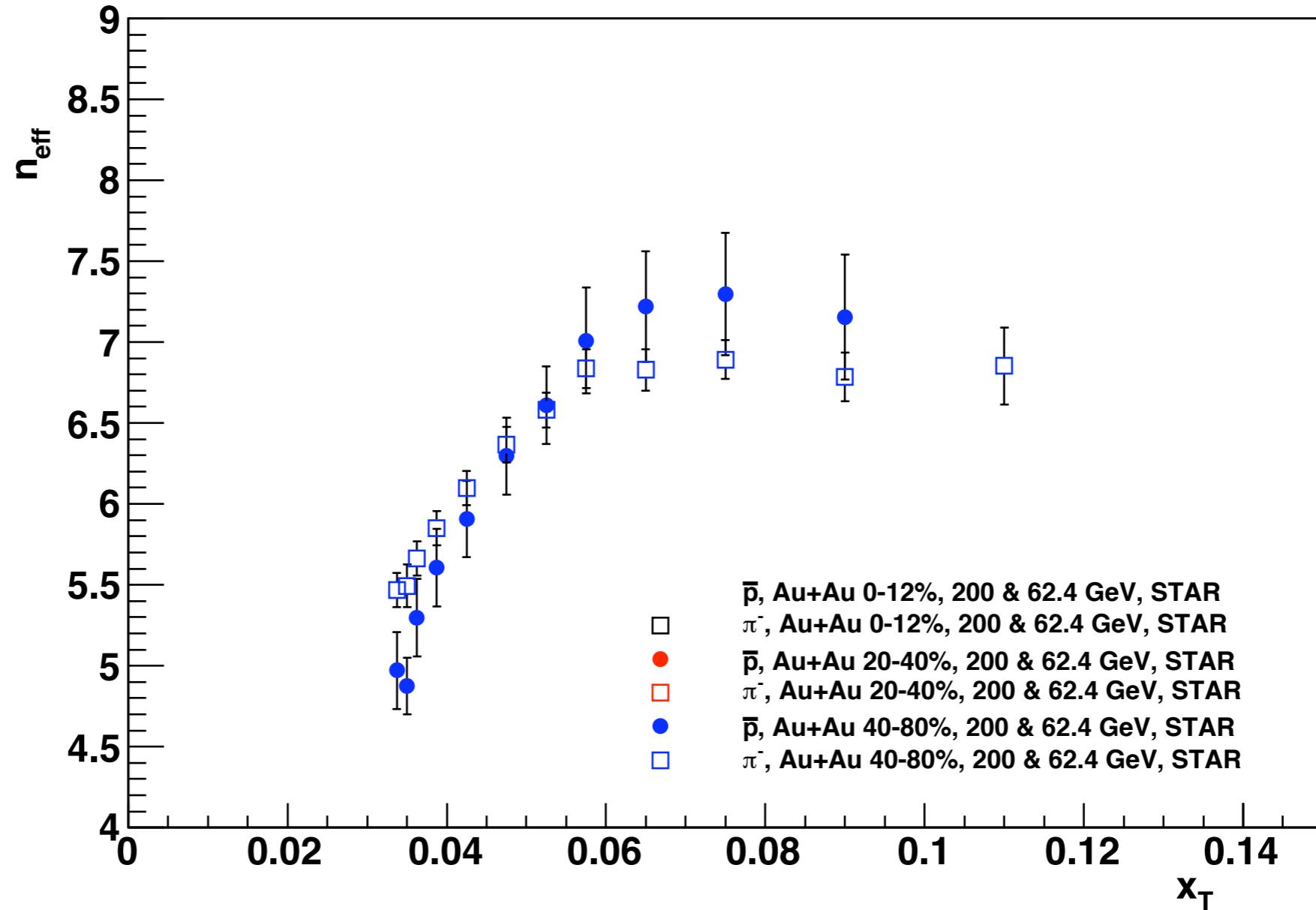
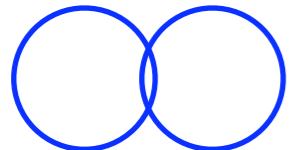
data from: STAR PLB 655 104 (2007)

Anne M. Sickles, April 29, 2009

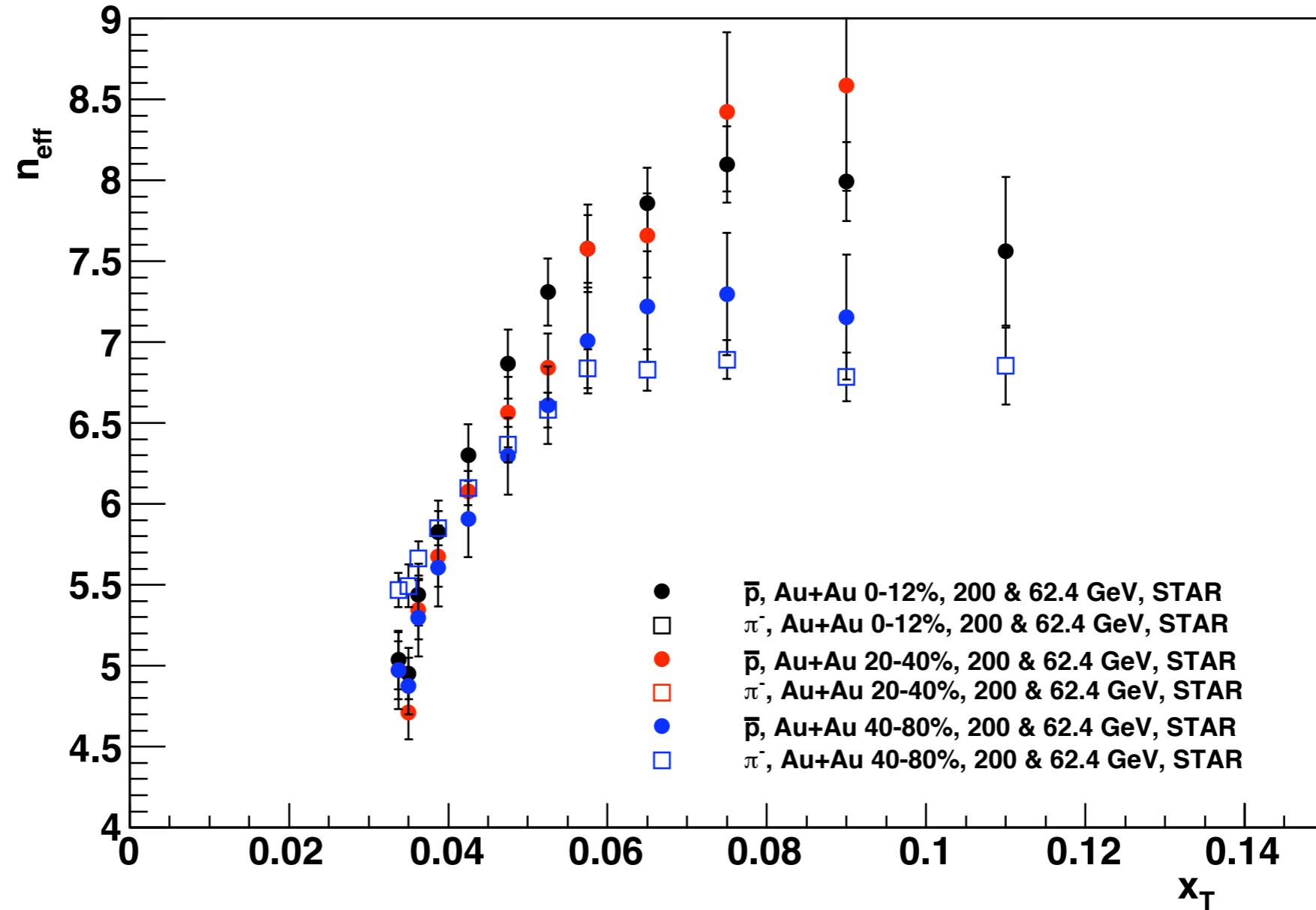
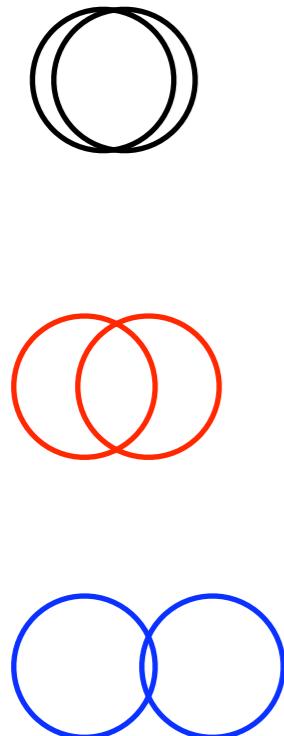
anti-protons: heavy ion collisions



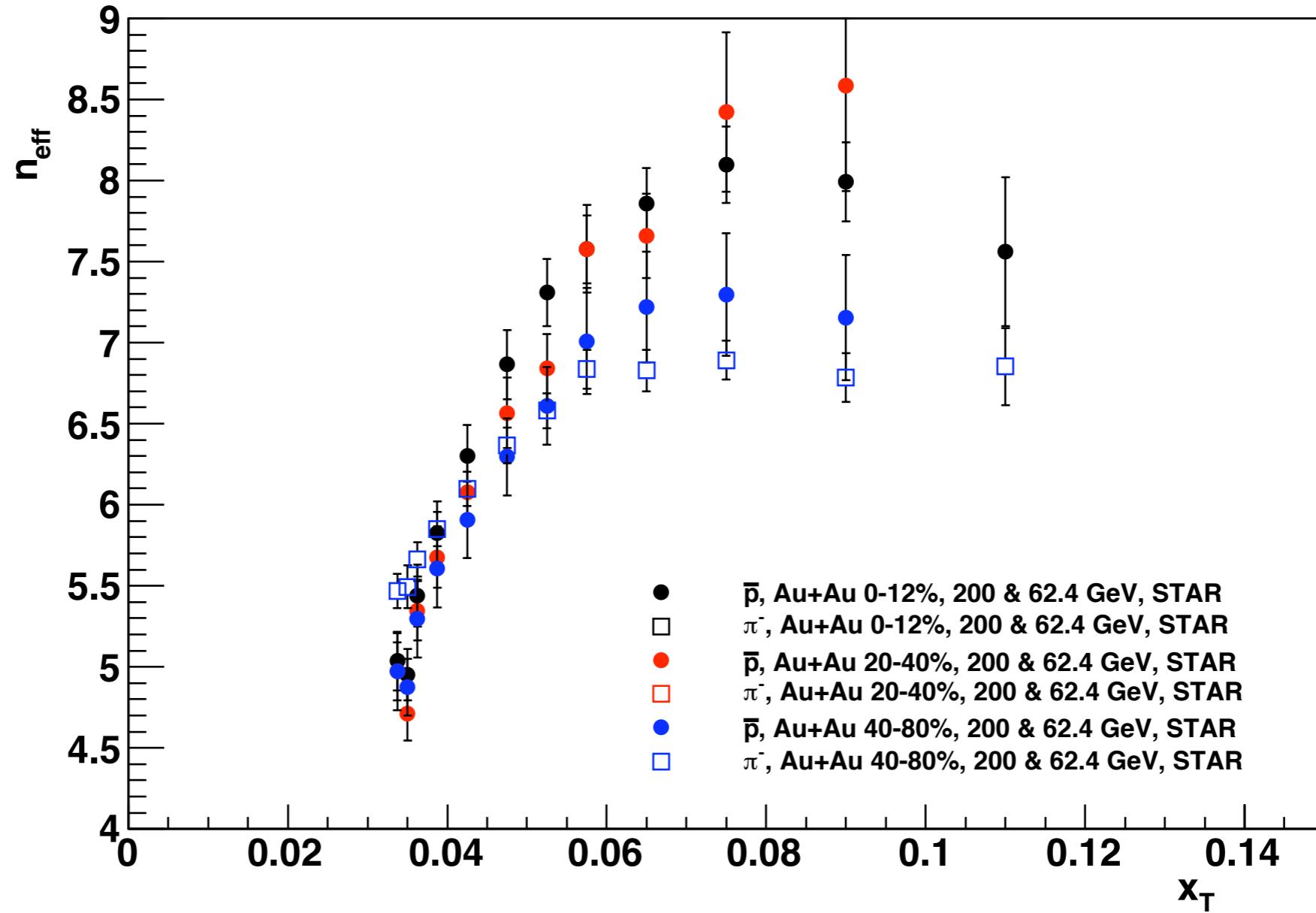
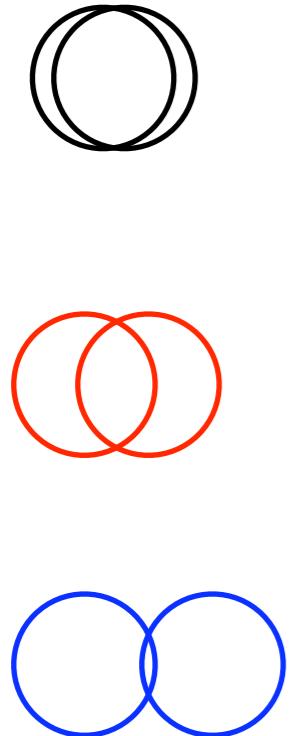
anti-protons: heavy ion collisions



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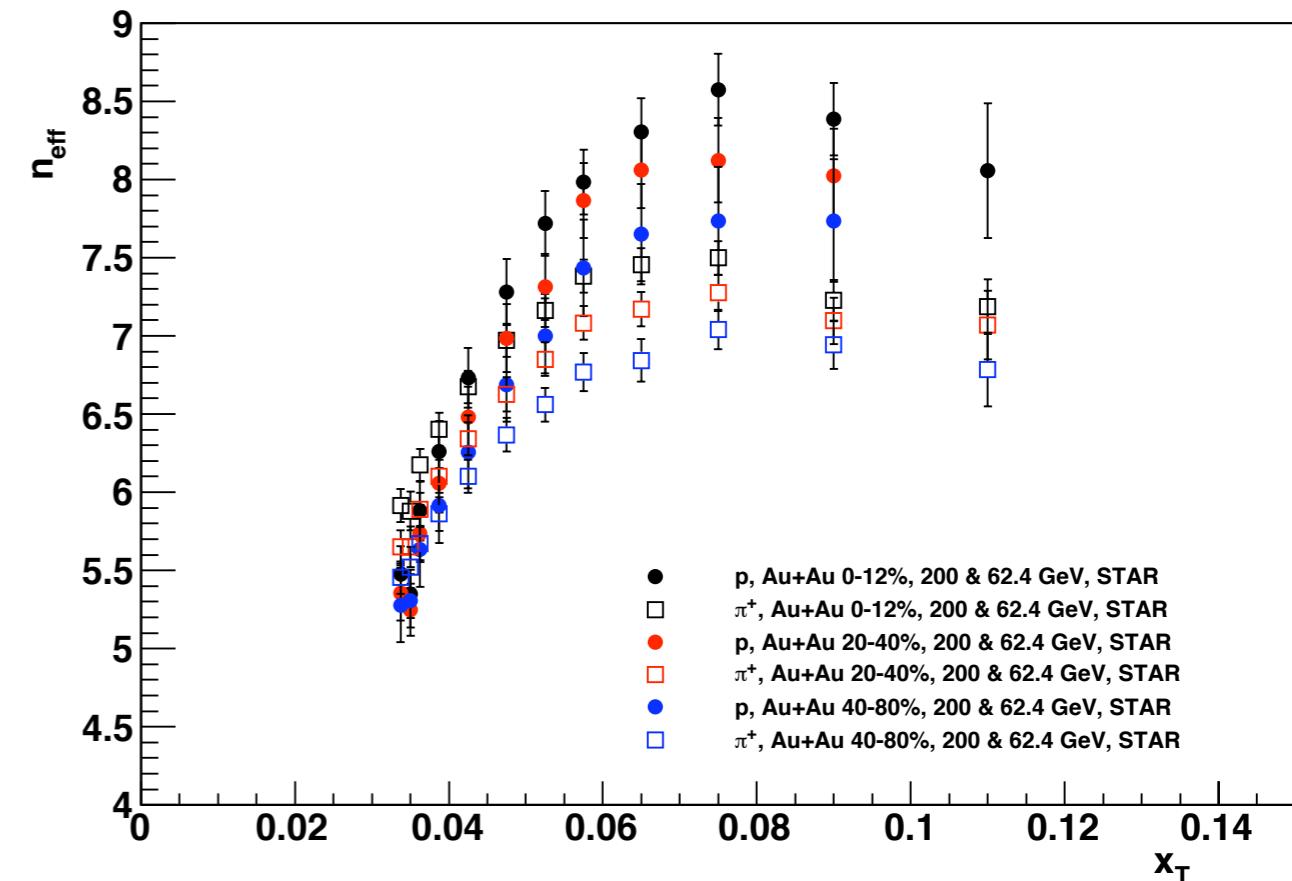
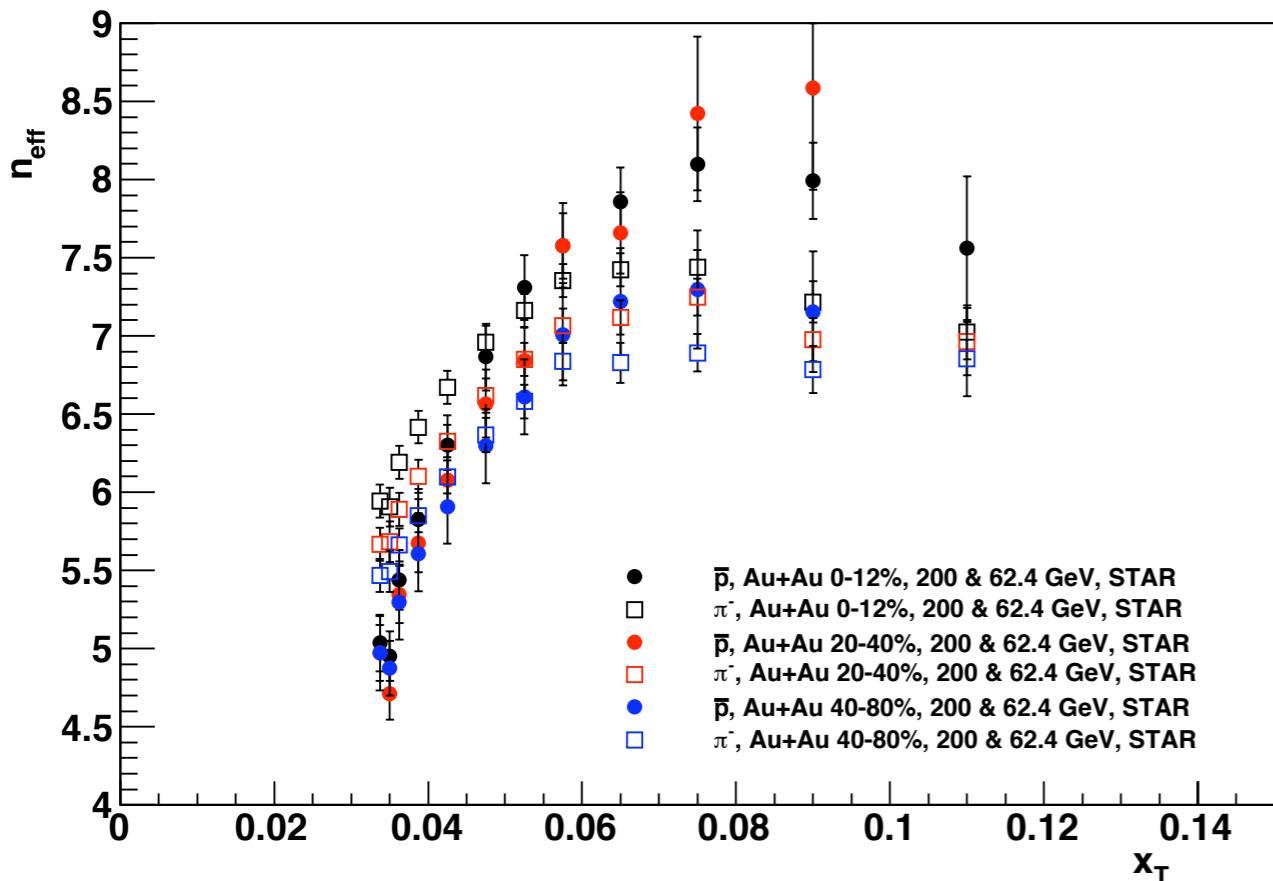


anti-protons: heavy ion collisions



- power increased for protons, increases w/ centrality

p and pbar

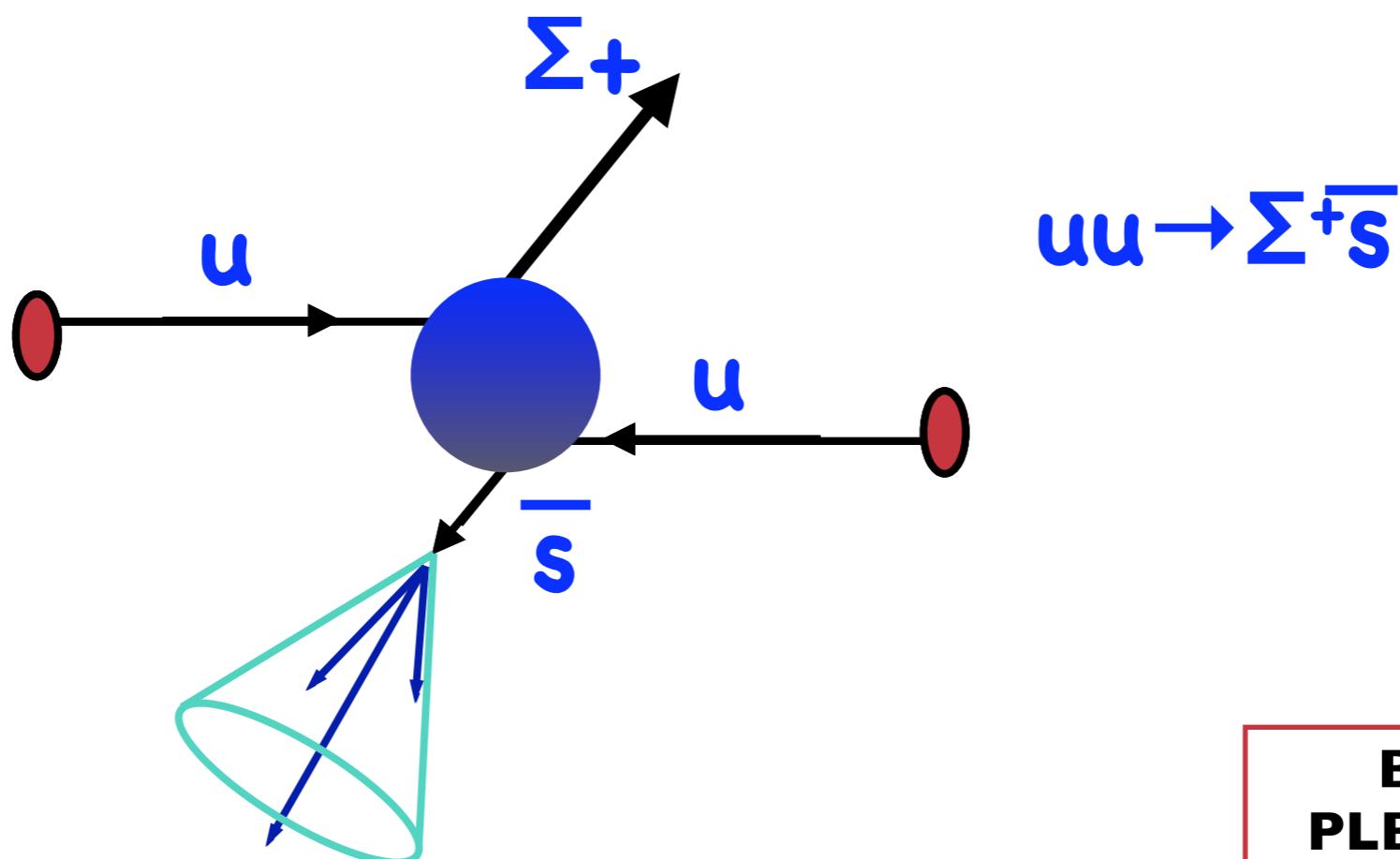


- n higher for p and pbar than pions
- n increases with centrality
- both charges show the same trend

data from: **STAR PLB 655 104 (2007)**

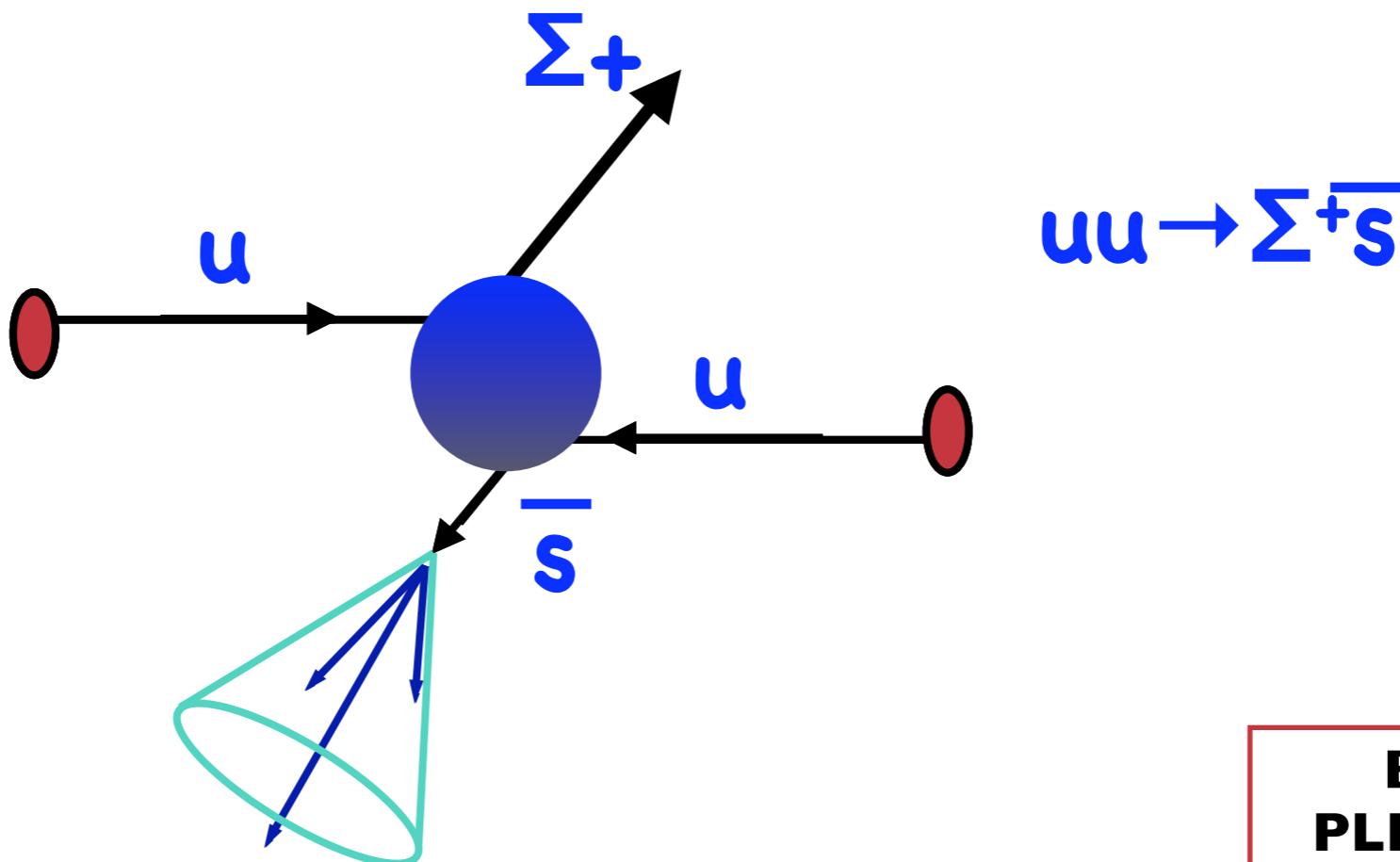
how would you test this?

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**Brodsky, AMS
PLB 668 111 (2008)**

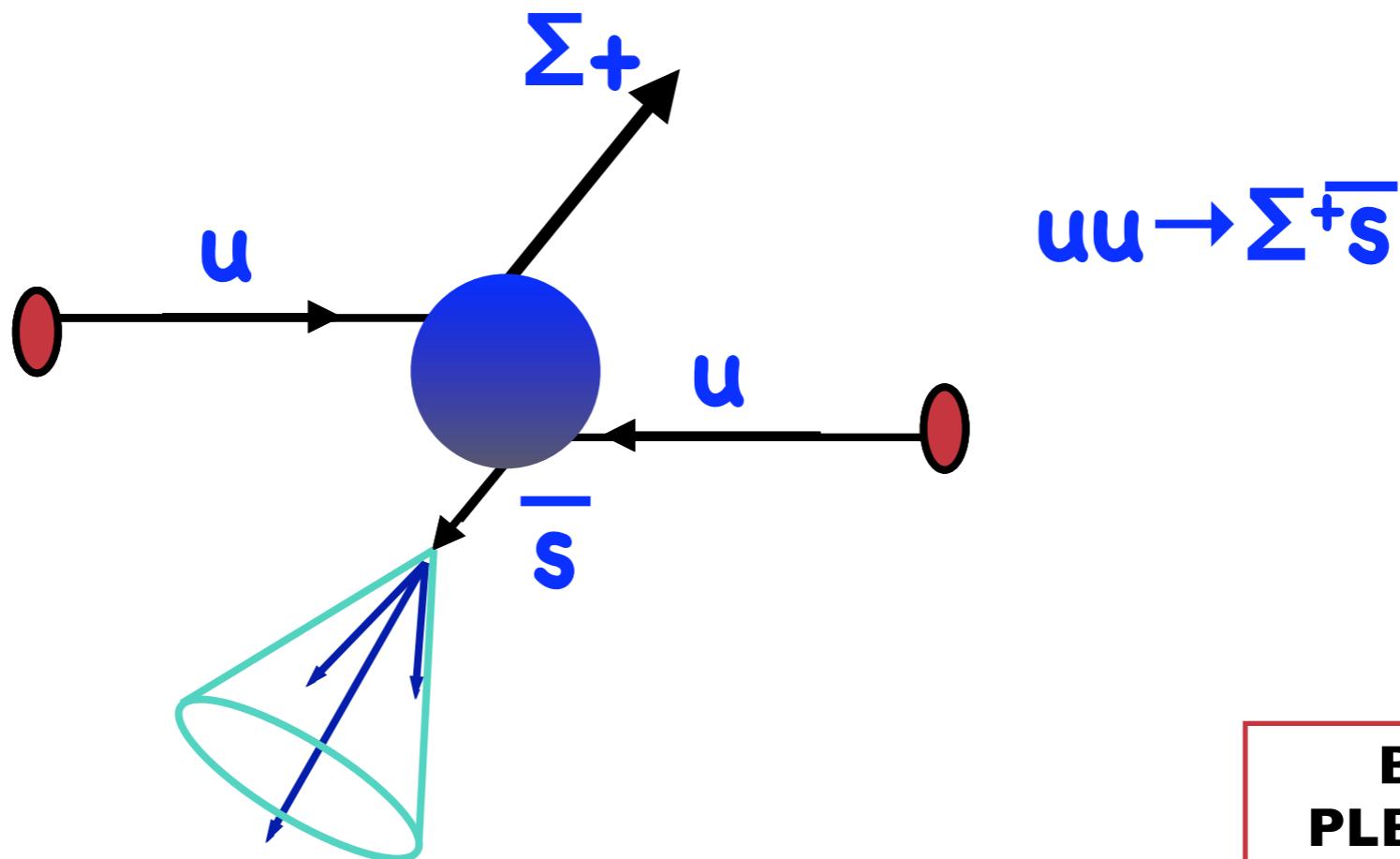
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PLB 668 111 (2008)**

- can also make strange baryons: signature balancing strangeness will be on in recoil jet

how would you test this?

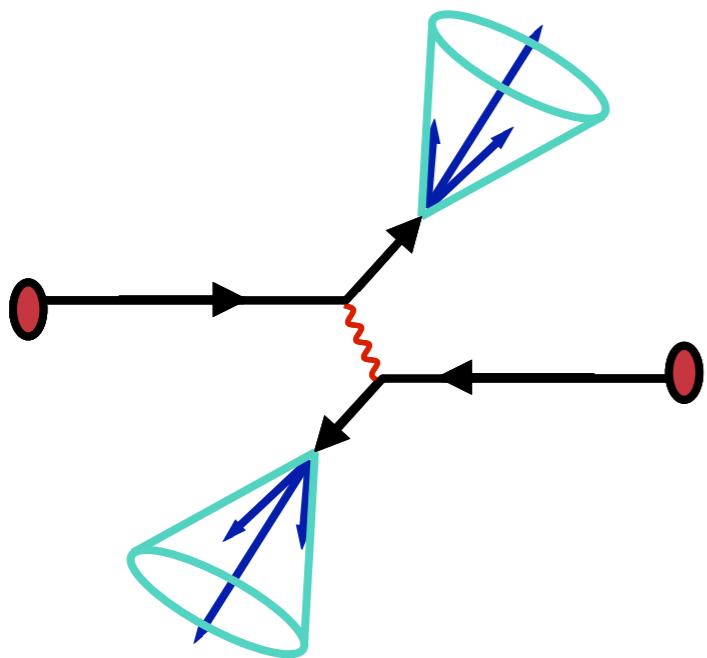


- can also make strange baryons: signature balancing strangeness will be on in recoil jet
- in contrast, in hard fragmentation picture: balancing strangeness will be close, in same jet

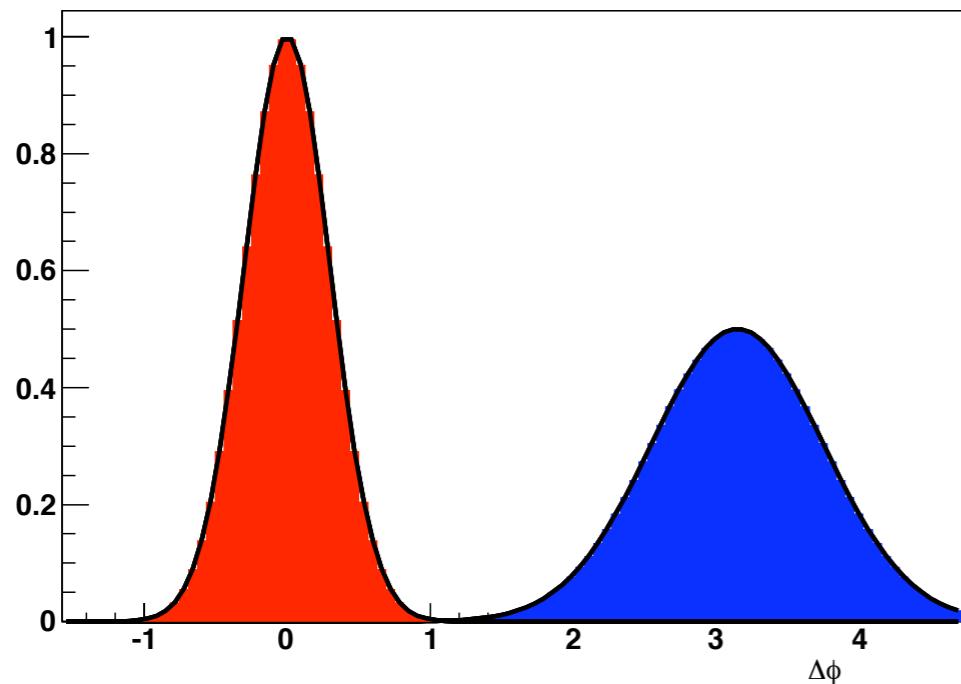
baryon “anomaly”

- low p_T : recombination
- intermediate & high p_T : higher twist
 - hot nuclear matter → study rare QCD processes!
 - identified particle measurements in a range of systems and energies provide a great way to study higher twist QCD processes and hot nuclear matter
 - strong motivation for RHIC energy scan at moderate center of mass (40-200GeV) p+p & heavy ions

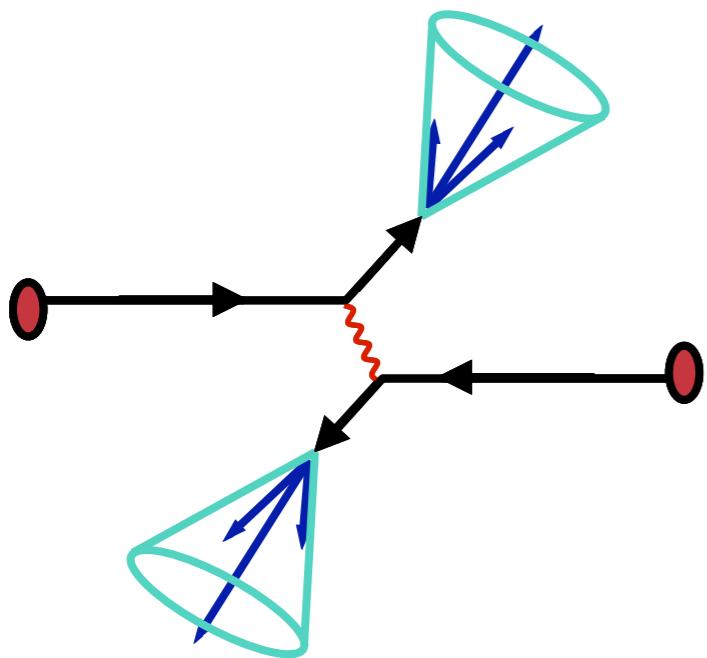
2 particle correlations



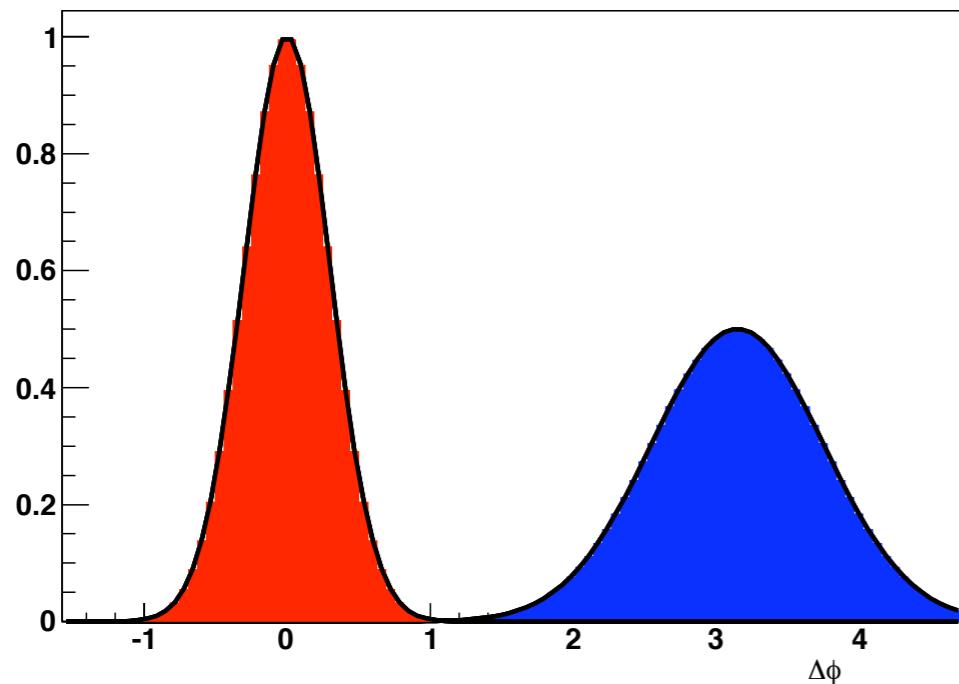
- complementary to single particle observables
- different sensitivity to geometry



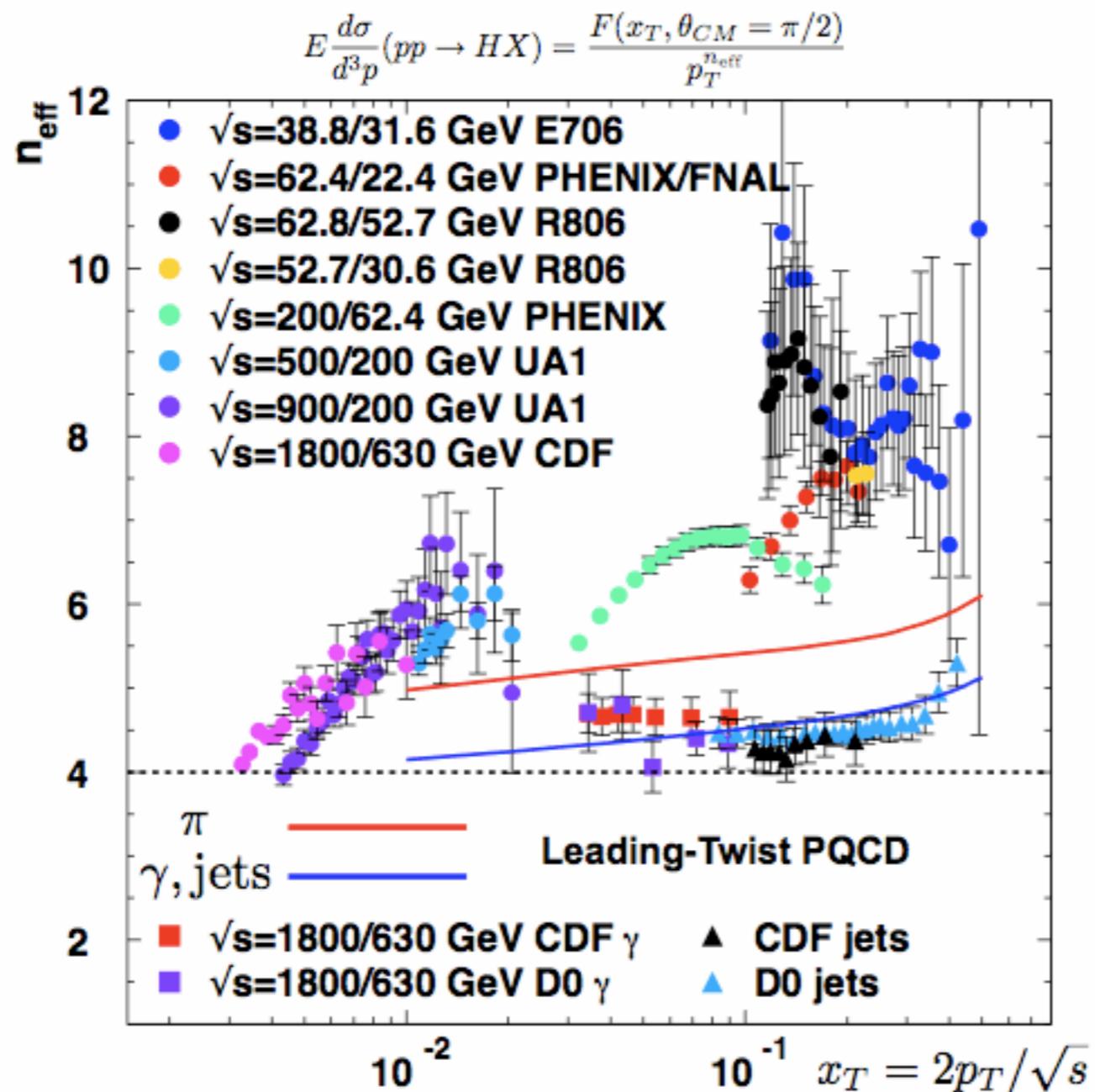
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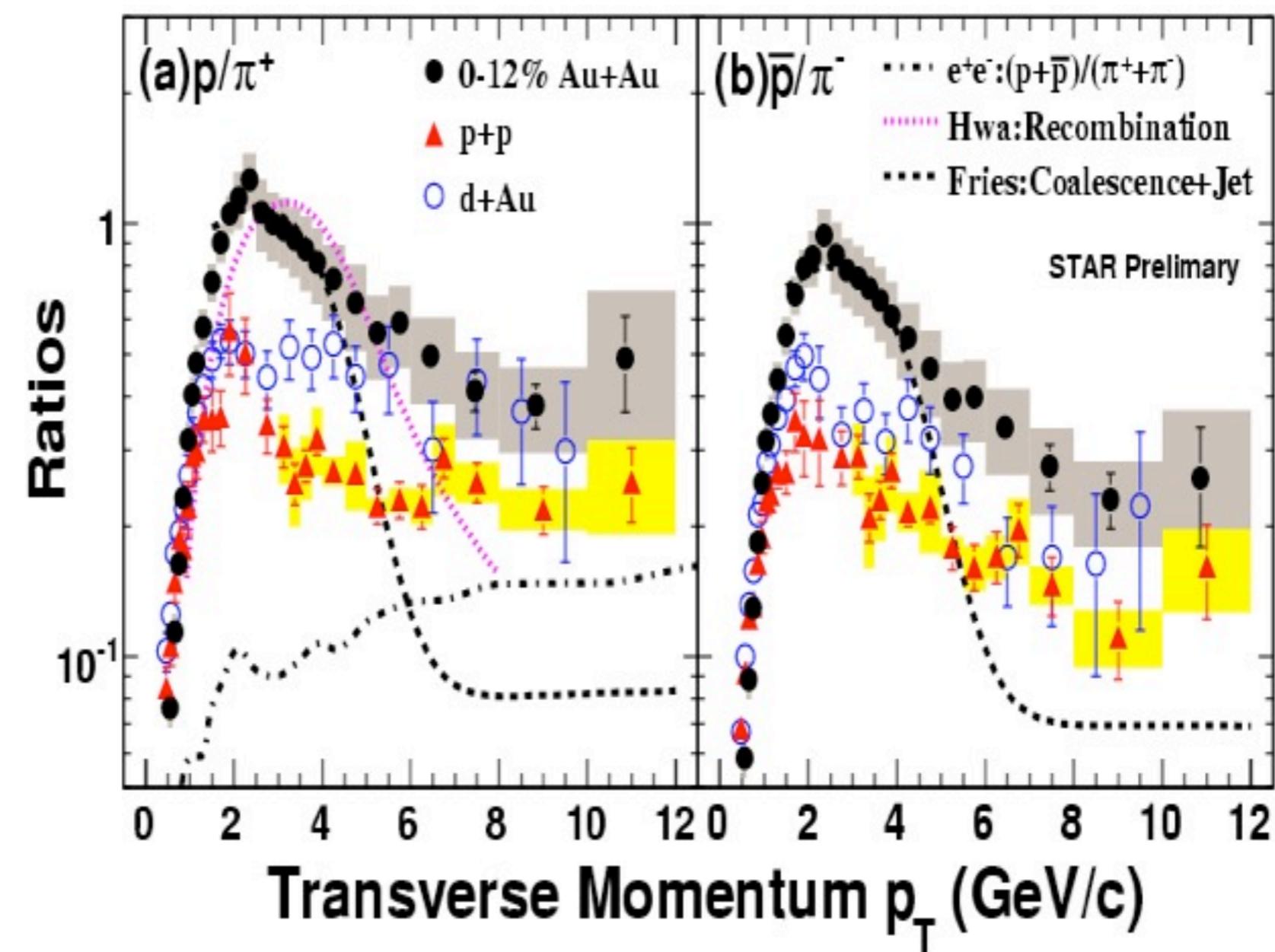


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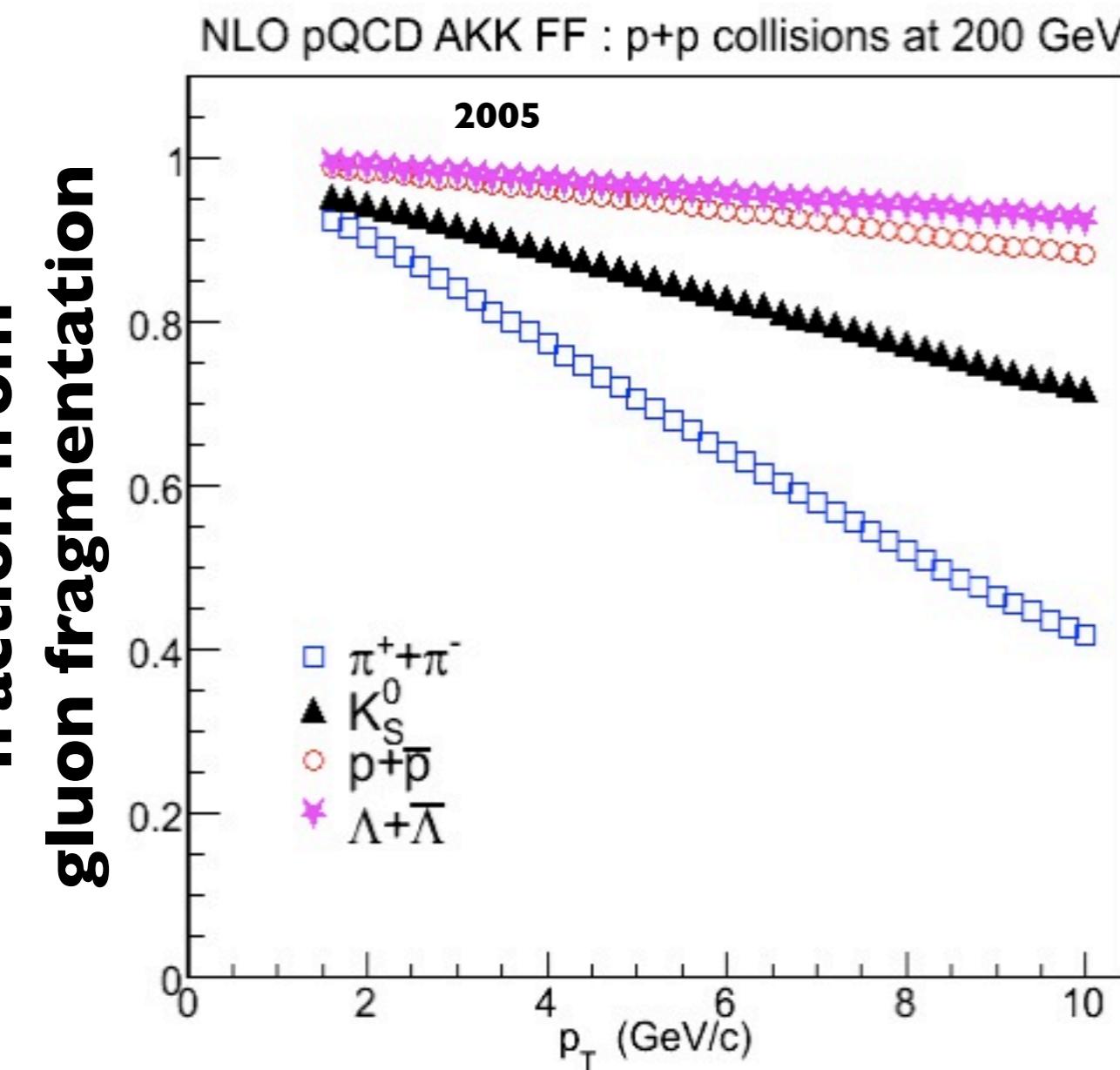


$$I_{AA} = \frac{\text{conditional yield in AuAu}}{\text{conditional yield in pp}}$$

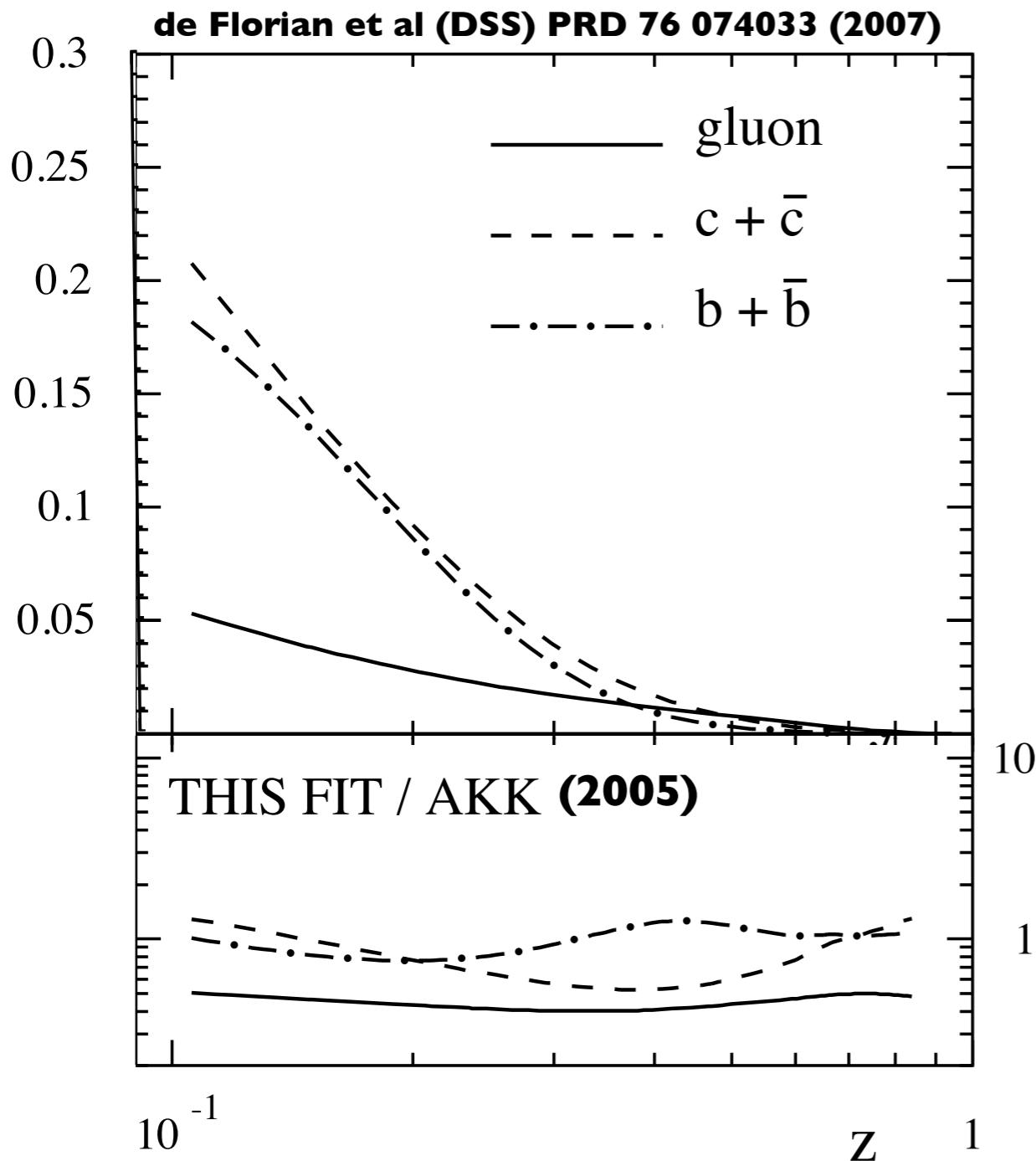




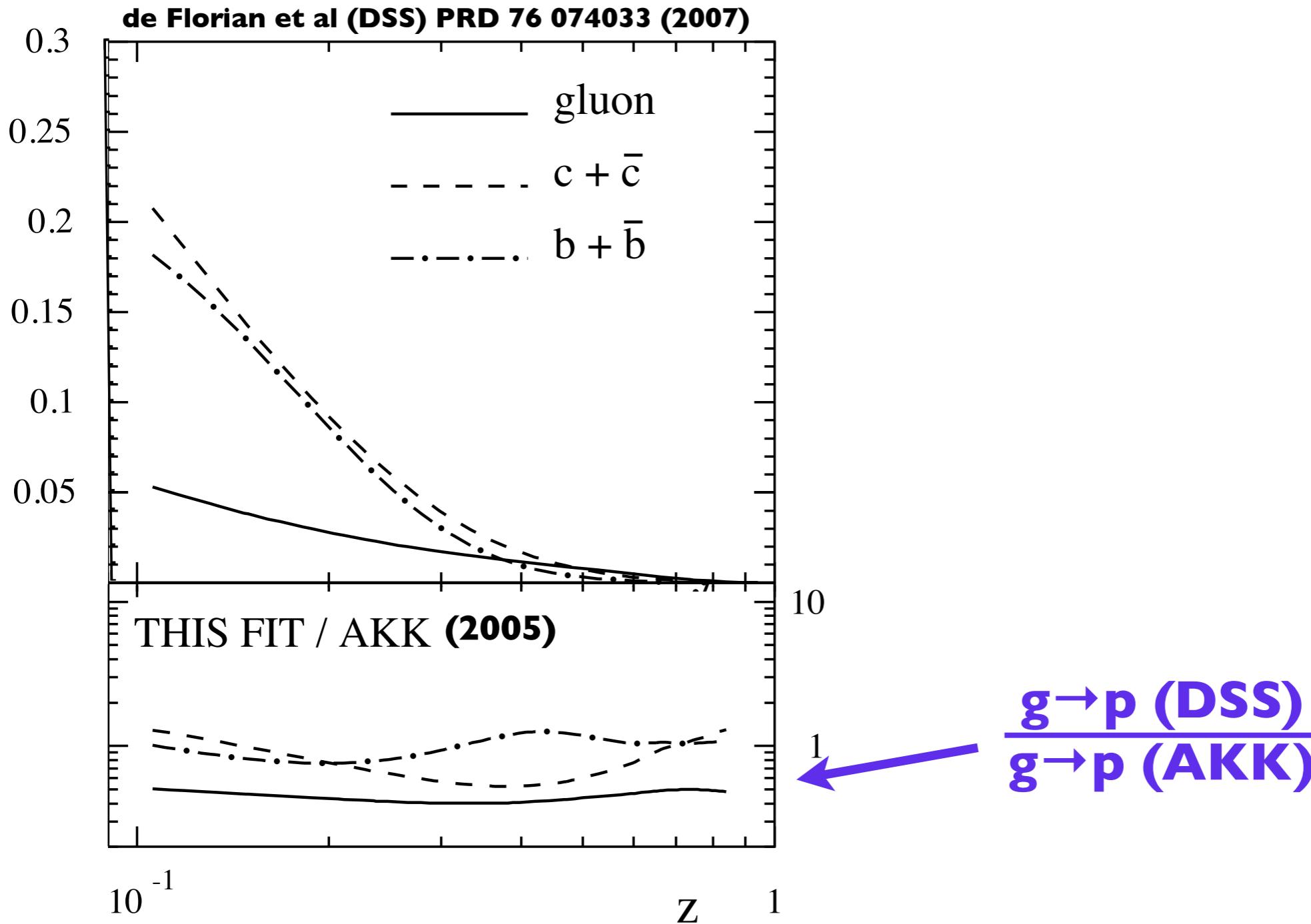
uncertainties in proton FF



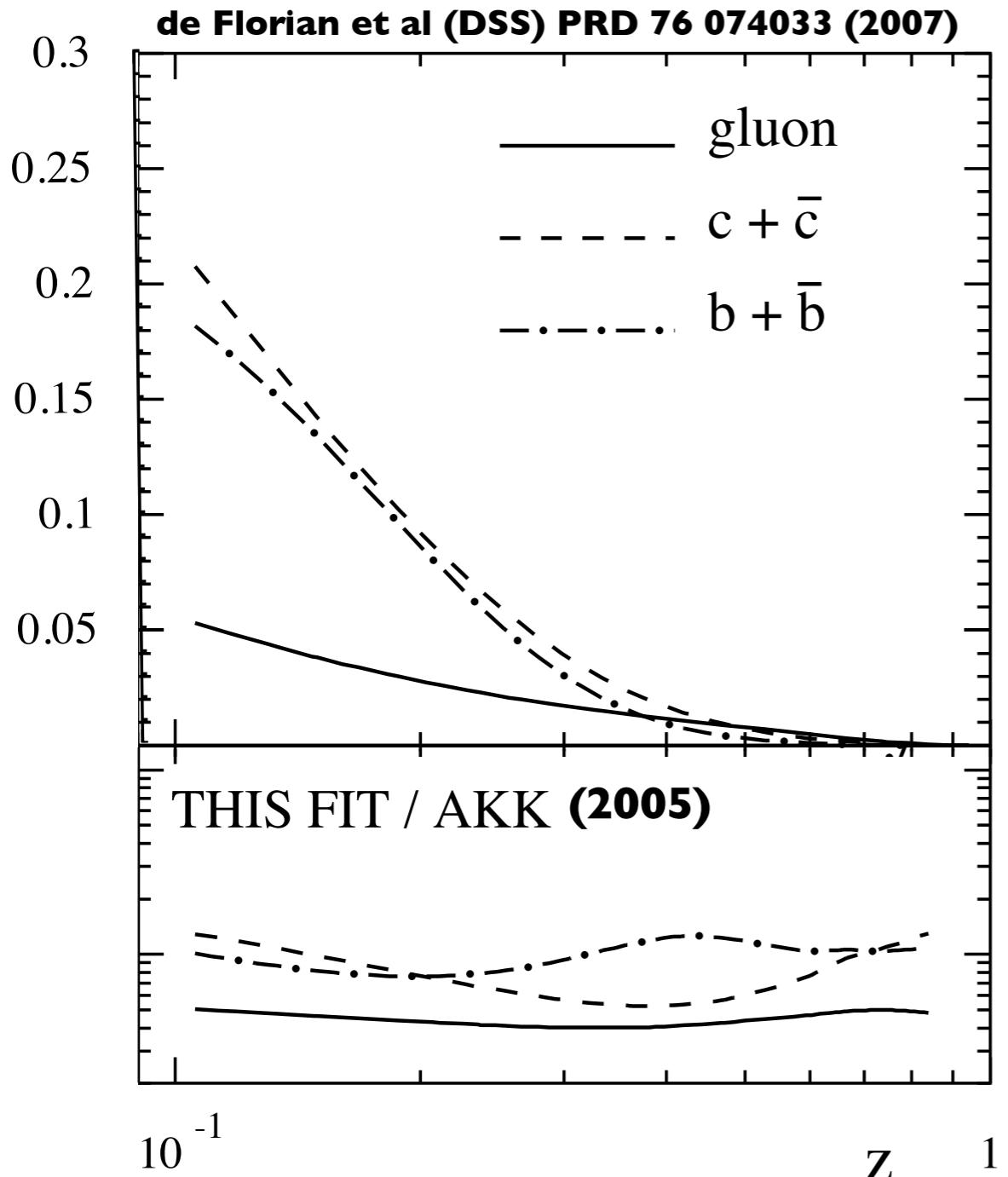
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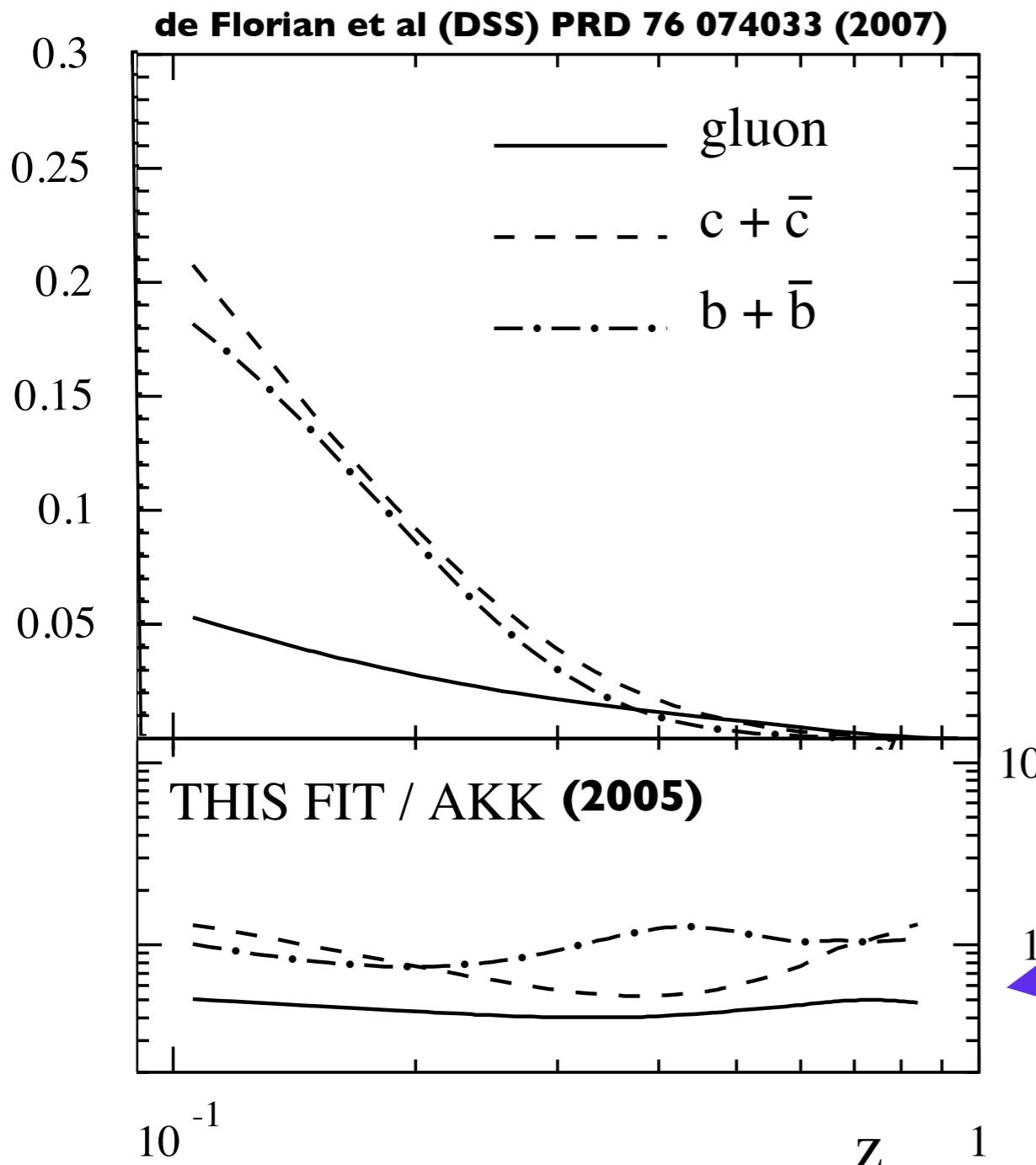


- **factor of three** differences in gluon \rightarrow proton FF!
- DSS fragmentation functions reproduce STAR p+p results (they were used in the constraint)

$$\frac{g \rightarrow p \text{ (DSS)}}{g \rightarrow p \text{ (AKK)}}$$



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$$\frac{g \rightarrow p \text{ (DSS)}}{g \rightarrow p \text{ (AKK)}}$$

still unclear why $R_{AA}(p) > R_{AA}(\pi)$

jet conversions

**idea: jet parton scatters on
medium parton and changes
flavor**

$$q + \bar{q} \leftrightarrow g + g$$

$$q + g \leftrightarrow g + q$$

**Ko et al. PRC 75 051901 (2007)
Liu & Fries PRC77 054902 (2008)**

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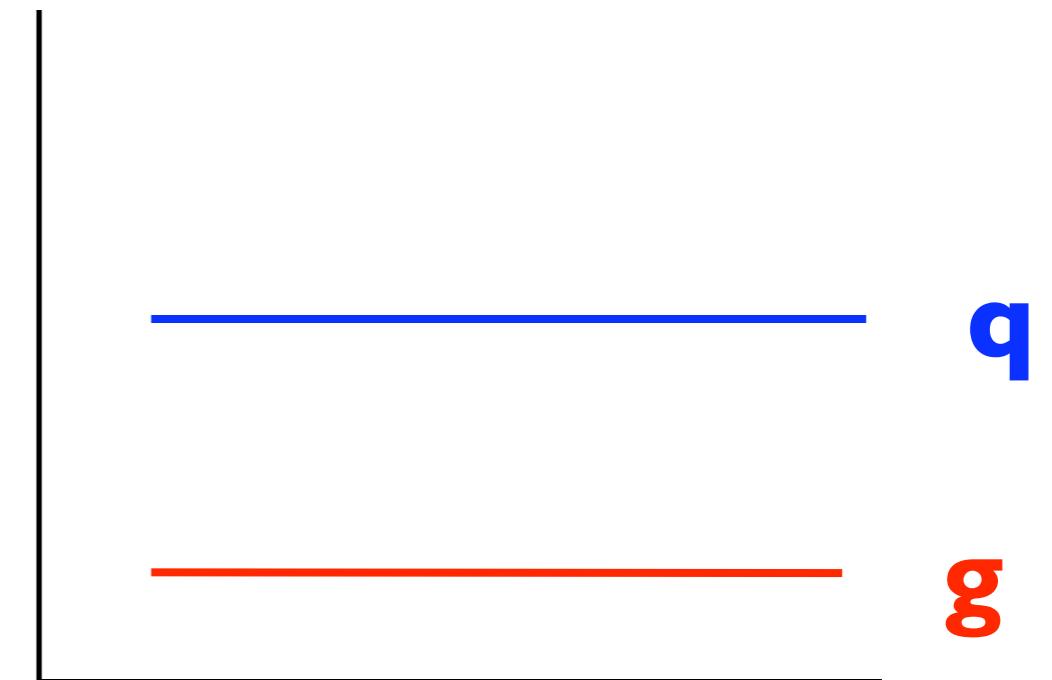
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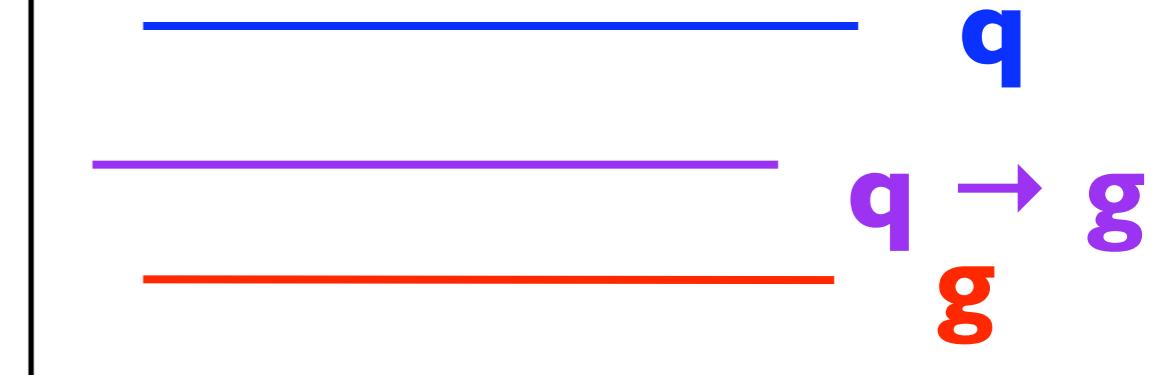
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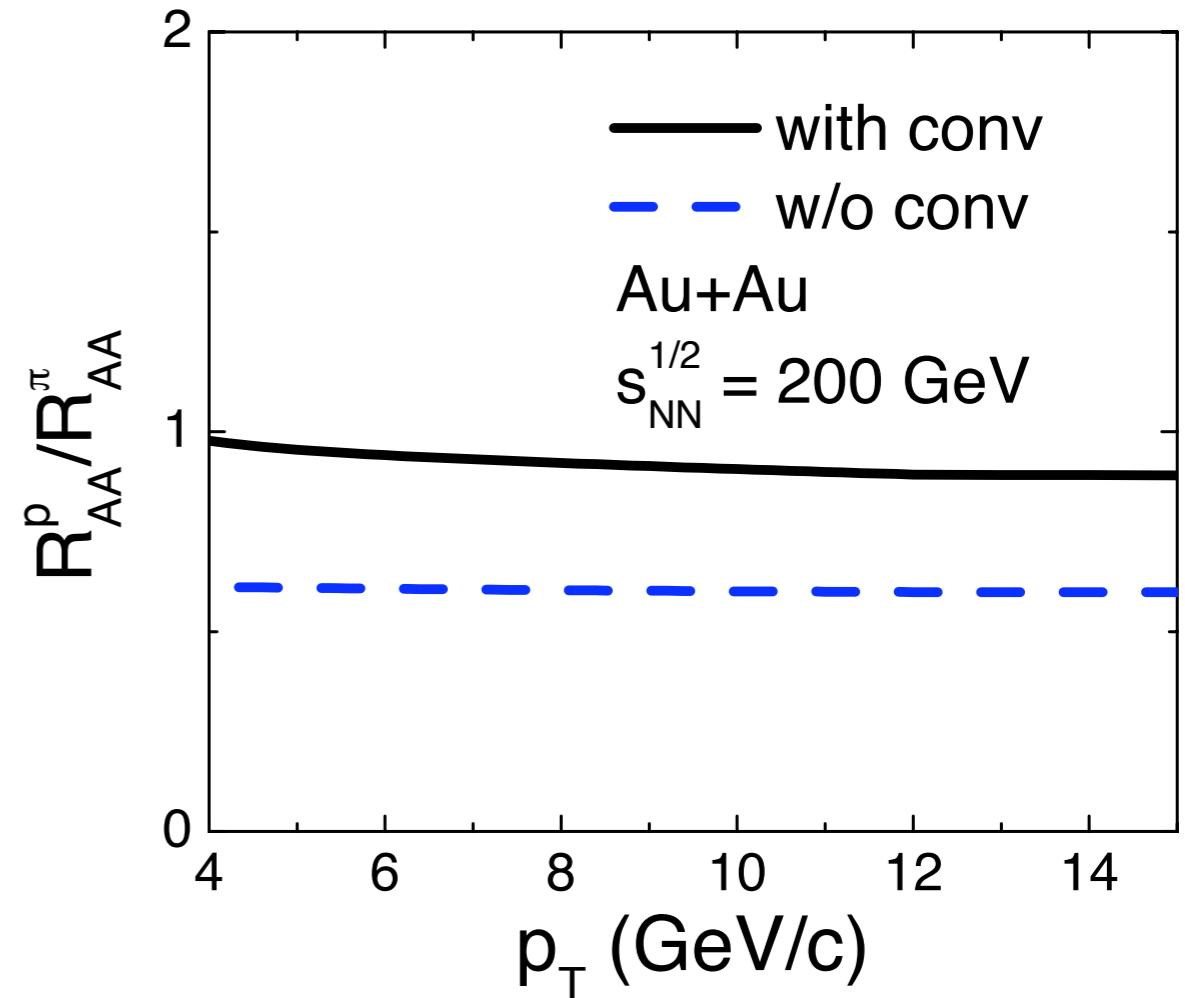


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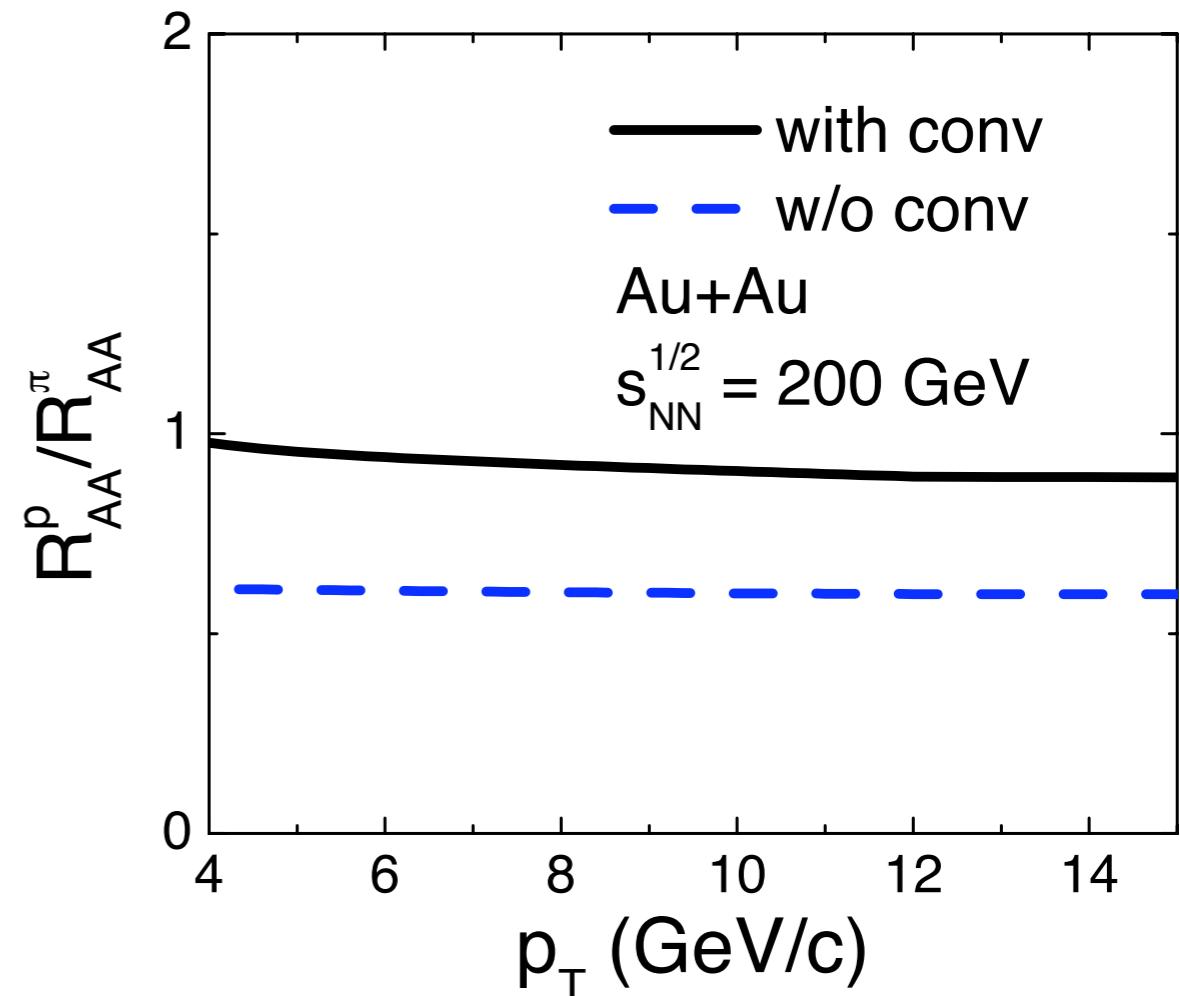
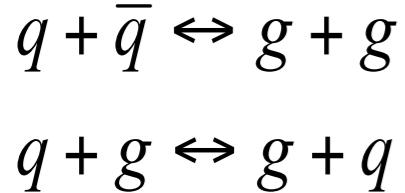
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Ko et al. PRC 75 051901 (2007)
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- could increase $R_{AA}(\text{protons})/R_{AA}(\pi)$, but not beyond 1

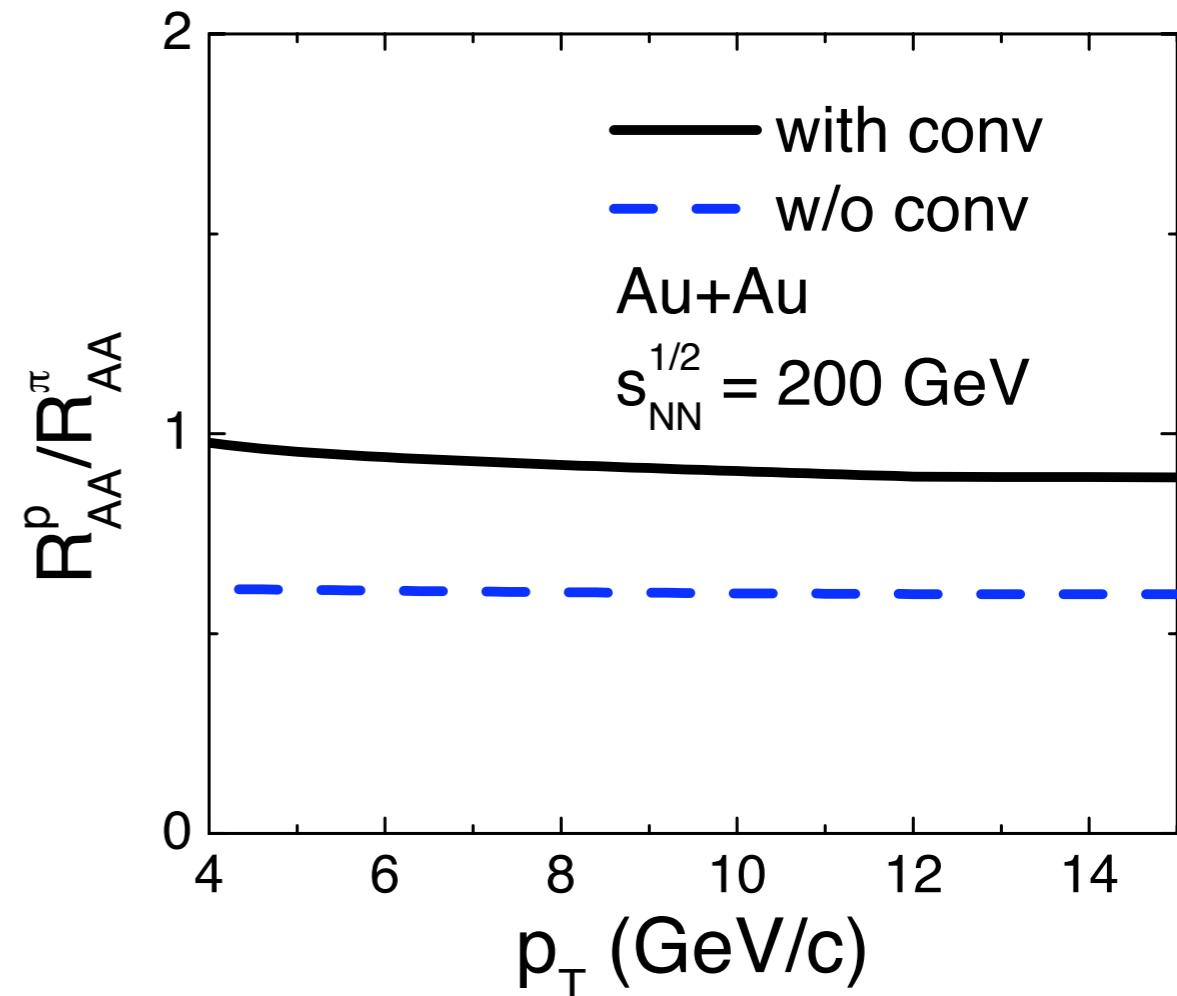
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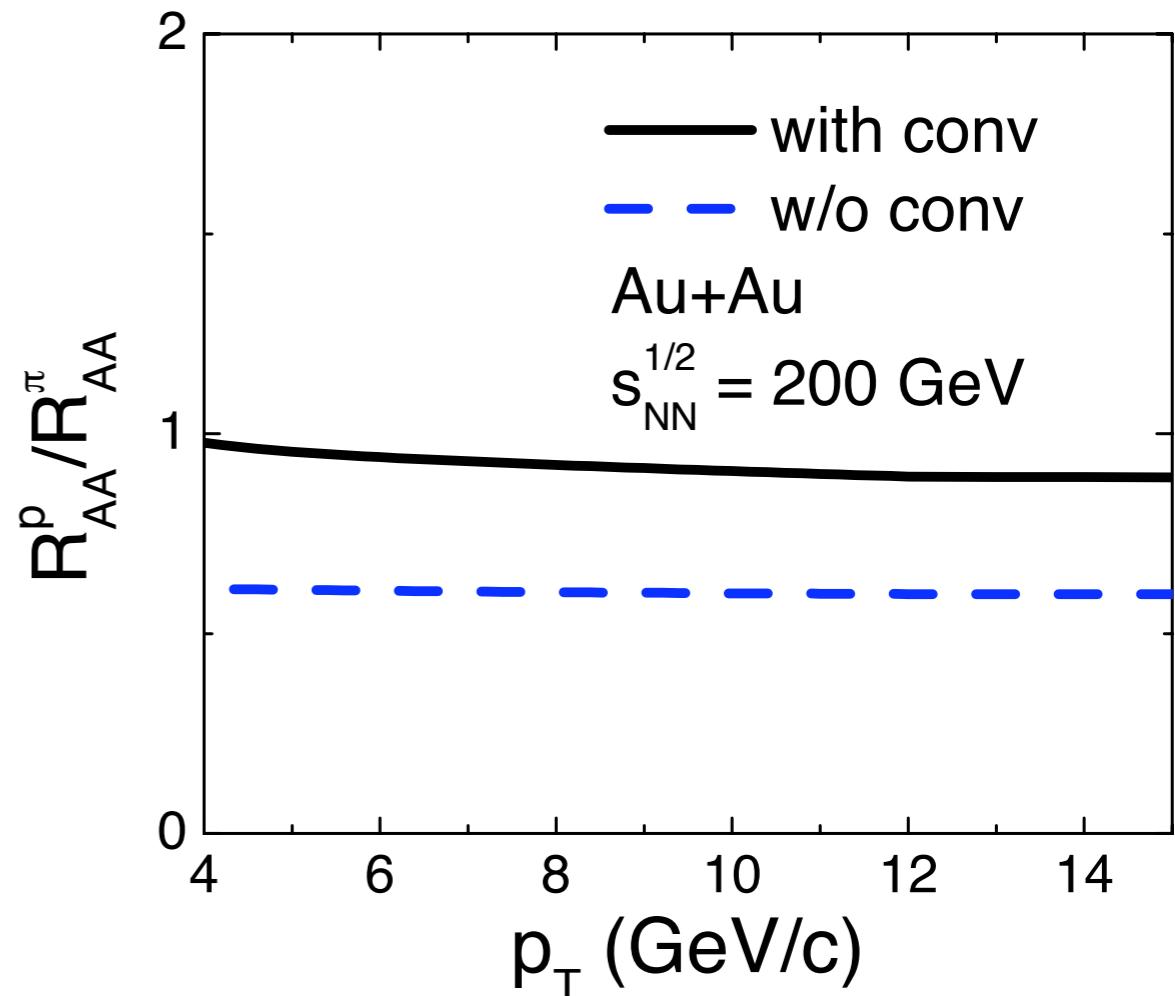
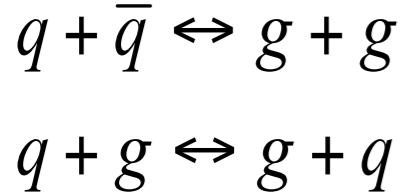


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- recombination at high p_T ?

Ko et al. PRC 75 051901 (2007)
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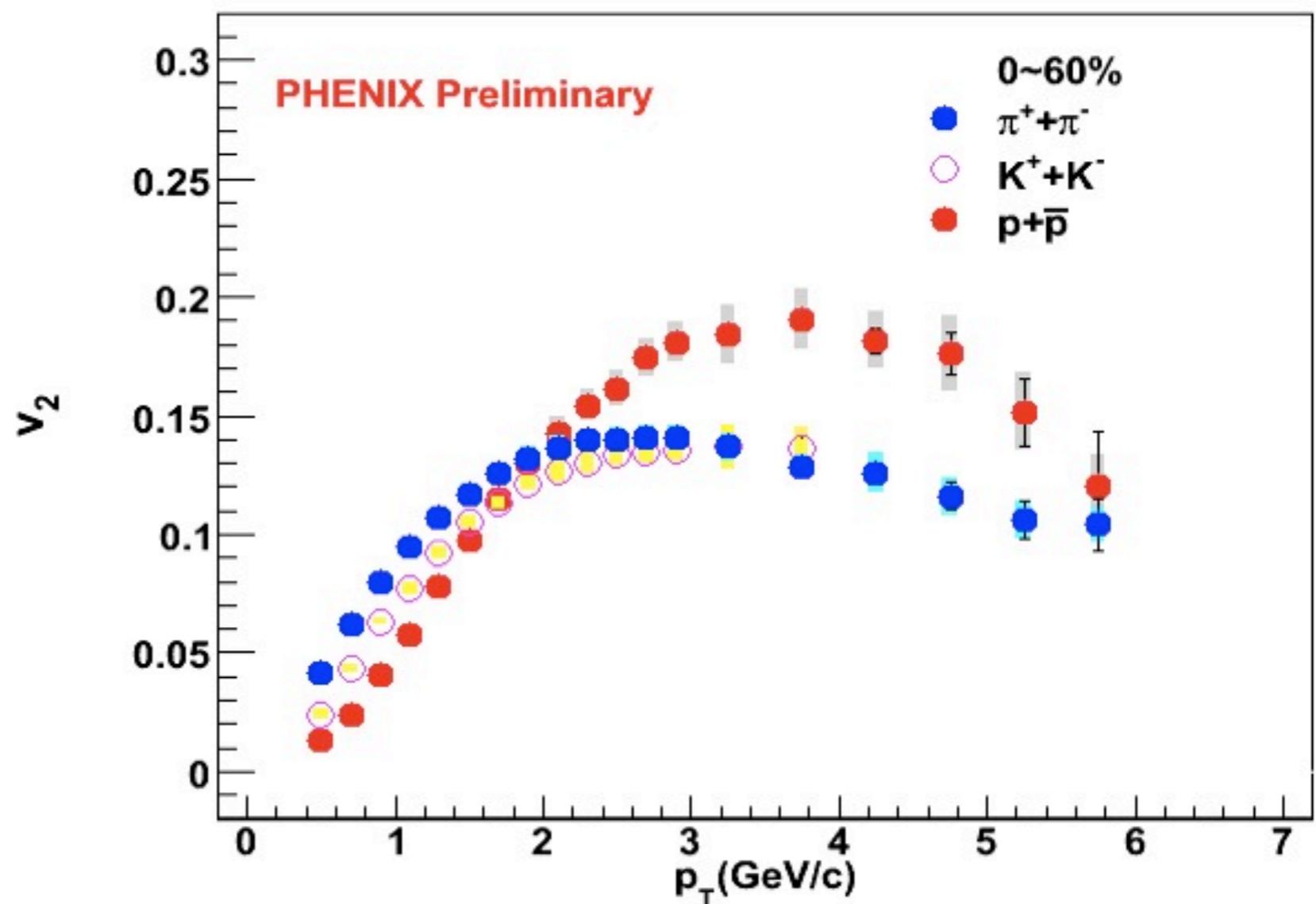
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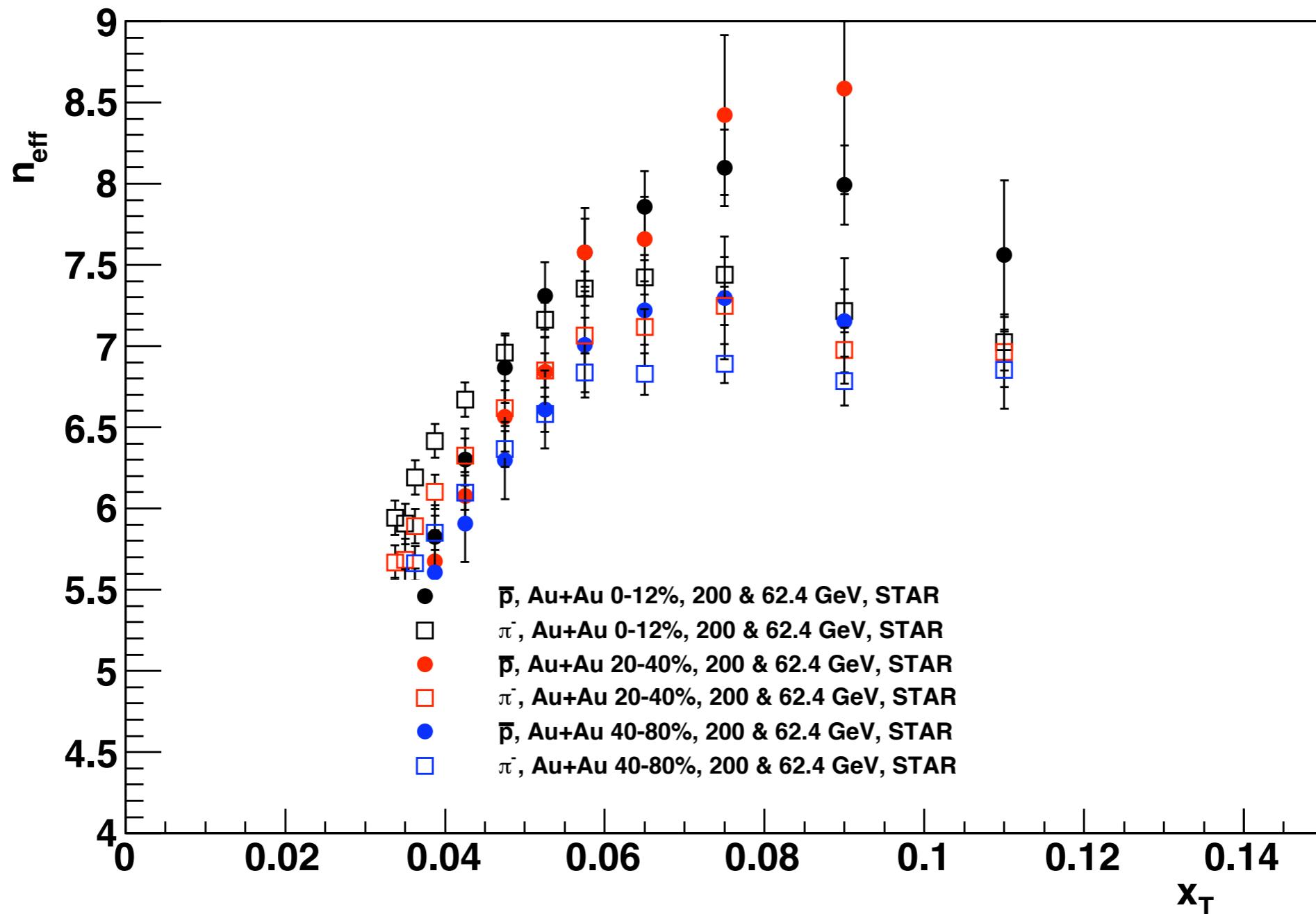
- could increase $R_{AA}(\text{protons})/R_{AA}(\pi)$, but not beyond 1
 - recombination at high p_T ?
 - potentially extremely interesting: sensitive to mean free path

Ko et al. PRC 75 051901 (2007)
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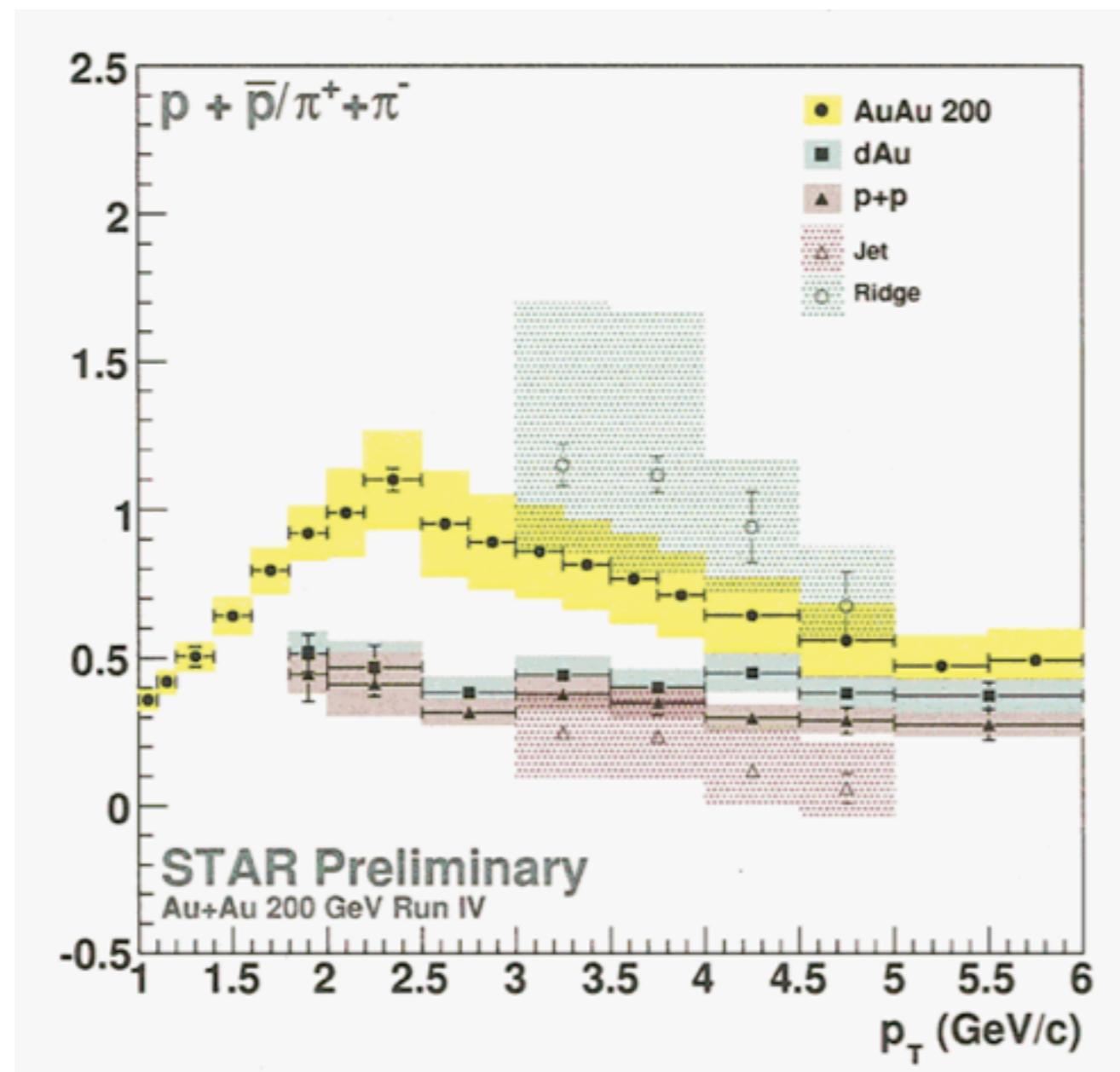


- decreasing proton v_2 ? increasing direct component?

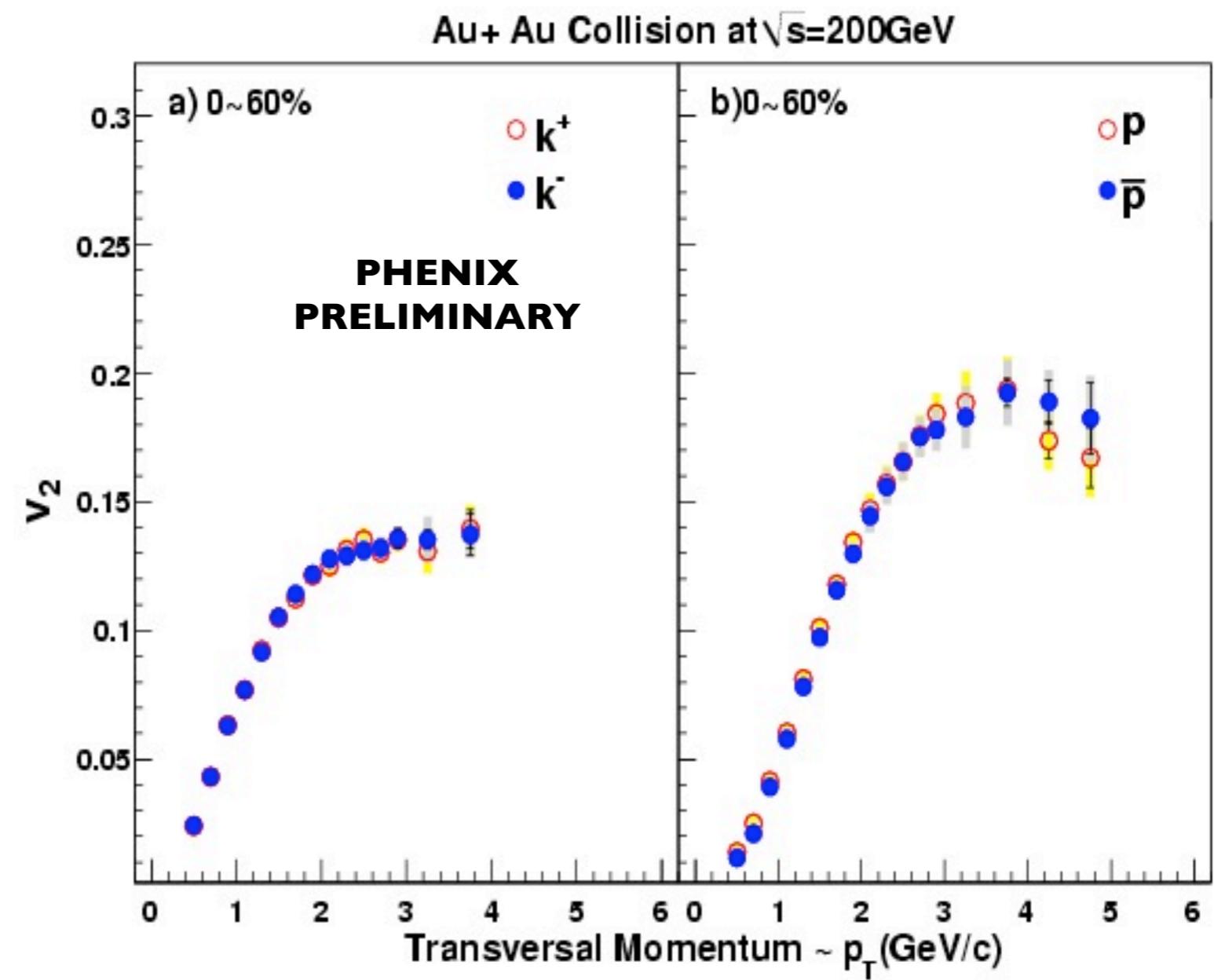
xT scaling



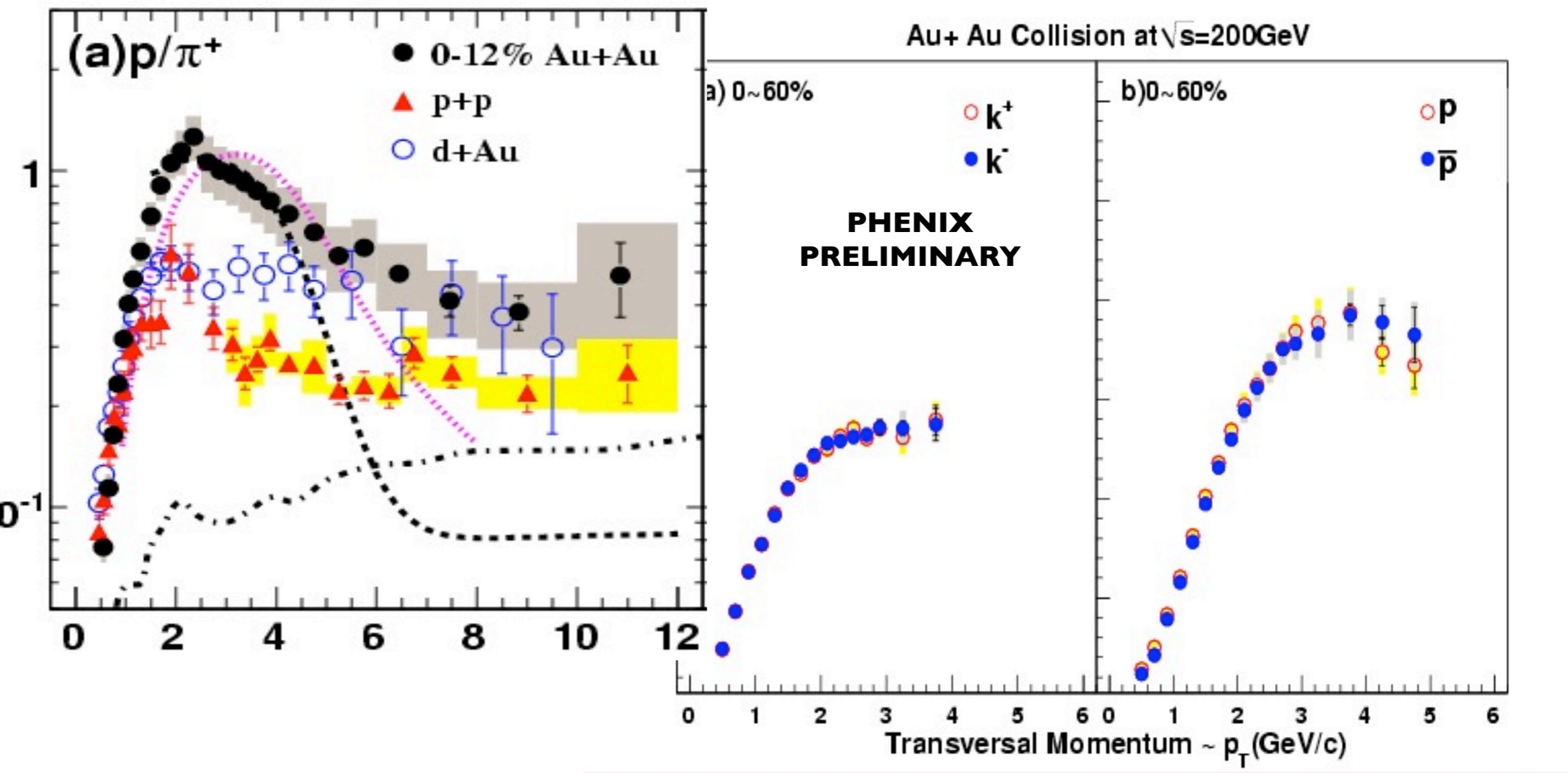
data from STAR PLB 655 104 (2007)



baryon/anti-baryon ratio



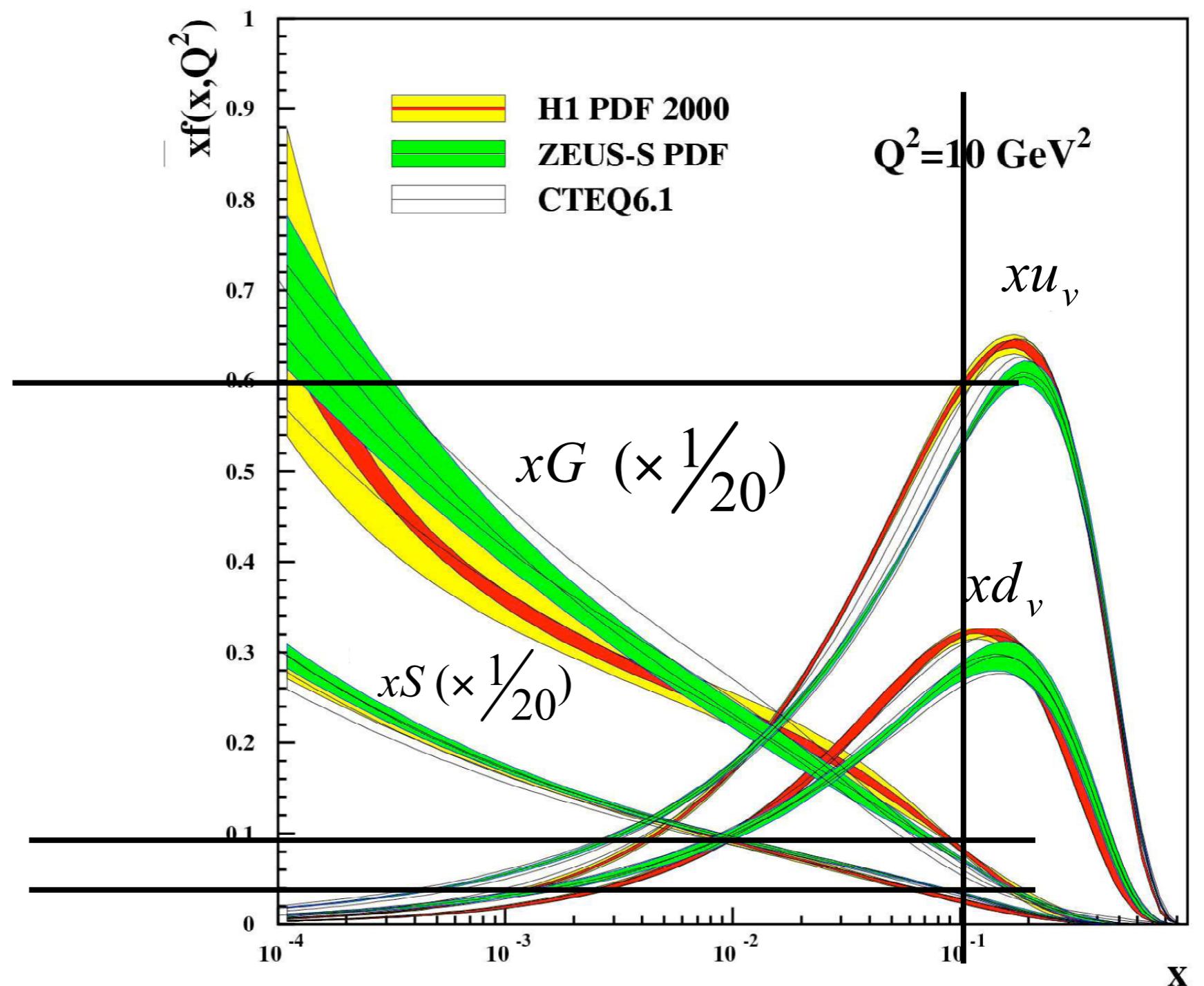
baryon/anti-baryon ratio



valance up: 0.6

gluon: $0.09 \times 20 = 1.8$

sea: $0.04 \times 20 = 0.8$



x_T scaling

$$\frac{d\sigma}{d^3p/E}(pp \rightarrow HX) = \frac{F(x_T, \theta_{cm})}{p_T^n} \quad x_T = \frac{2p_T}{\sqrt{s}}$$

- n related to “twist”, number of participants, of the hard scattering
- $n(x_T) = 4$: leading twist $2 \rightarrow 2$ scattering
- increased slightly: running coupling, evolution of PDFs

$$E \frac{d\sigma}{d^3p}(AB \rightarrow CX) \propto \frac{(1 - x_T)^{2n_{spectator}-1}}{p_T^{2n_{active}-4}} \frac{d^3\sigma}{r^3} = \frac{1}{\sqrt{s}^{n(x_T, \sqrt{s})}} G(x_T)$$